

# The Market for Sharing Interest Rate Risk: Quantities and Asset Prices

Umang Khetan  
University of Iowa

Jian Li  
Columbia Business School

Ioana Neamțu  
Bank of England

Ishita Sen  
Harvard Business School

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# Motivation

- ▶ Recent events highlight the extent of interest rate risk in the economy
  - \* Banks run a **positive duration gap** - maturity of assets  $>$  liabilities , e.g., SVB crisis
  - \* Pensions and insurers run a **negative duration gap**, e.g., UK gilt crisis.
  - \* Increased attention to the role of shadow banking in derivative markets

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  - \* Pensions and insurers run a **negative duration gap**, e.g., UK gilt crisis.
  - \* Increased attention to the role of shadow banking in derivative markets
- ▶ Derivatives provide opportunity to swap interest rate risk and reduce exposure to rate changes
  - \* Interest rate swaps are large and liquid markets with \$500 trillion outstanding
  - \* However, little systematic evidence on **cross-sector** risk sharing using these instruments
  - \* Need to assess spillover impact of demand shifts to inform policy discussions

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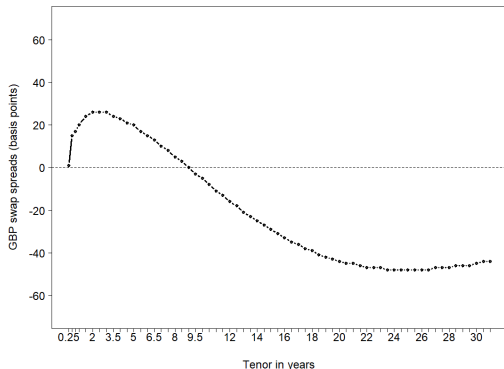
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  - ⇒ Opposite exposure to demand shocks
- ▶ High segmentation across maturities
  - \* PF&I mostly trade swaps  $\geq 10$  years, while banks and corporations trade swaps between 3 months - 5 years
  - ⇒ Expose dealers to demand fluctuations

# This paper

- ▶ Preferred-habitat investor model to study the asset pricing consequences of demand imbalances
  - \* Quantify the contribution of demand imbalances and supply frictions to the shape of the swap spread curve

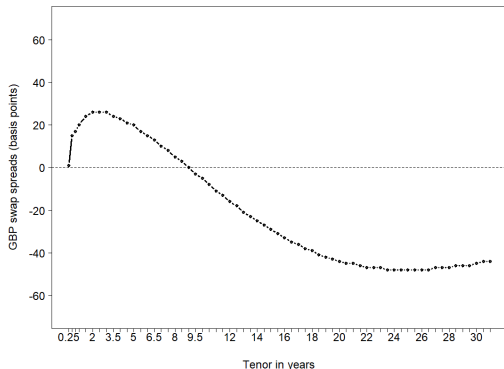
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- ▶ Preferred-habitat investor model to study the asset pricing consequences of demand imbalances
  - \* Quantify the contribution of demand imbalances and supply frictions to the shape of the swap spread curve
- ▶ Counterfactual analysis
  - \* Spillover effects of demand changes
  - \* Market integration
  - \* Dealer constraints



# We contribute to three strands of literature

## ▶ Individual sector interest rate risk management:

Begenau, Piazzesi, & Schneider (2015), Sen (2019), Kaniel & Wang (2020), McPhail, Schnabl, & Tuckman (2023), Jansen, Klingler, Ranaldo, & Duijm (2023)...

This paper: jointly studies all sectors, their interaction and demand imbalances

## ▶ Swap spreads:

Klingler & Sundaresan (2019), Jermann (2020), Hanson, Malkhozov, & Venter (2022)...

This paper: explains the shape of the swap spread curve with quantities data

## ▶ Preferred-habitat investors:

Vayanos & Vila (2021), He, Nagel & Song (2022), Bahaj, Czech, Ding & Reis (2023)...

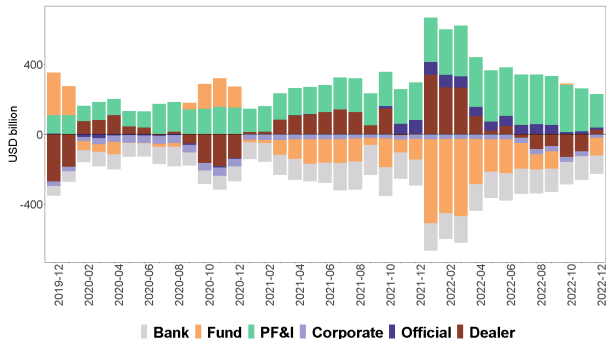
This paper: first study of preferred-habitat investors in interest rate swaps (estimate using quantities data)

# Data

- ▶ Largest IRS dataset deployed in academic literature: BoE regulatory data in OTC interest rate swaps, with at least one UK entity
  - \* Monthly stock: snapshots of stock of outstanding trades - quantities
  - \* Daily flows: new trades initiated - prices
- ▶ Sample period: July 2019 - Dec 2022
- ▶ Coverage:  $\geq 60\%$  global swaps transaction volume and  $\geq 84\%$  GBP swaps [Details](#)
  - \* Focus on GBP swaps
- ▶ Sector classification for over 6,000 legal entities (LEI)
  - \* Economically meaningful distinction between end-user banks and intermediary dealers

# Fact 1: Risk transfers across and within sectors

## Net Outstanding Swap Notional



- ▶ PF&I receive fixed, banks & corp. pay fixed  $\Rightarrow$  natural counterparties All currencies UK entities
- ▶ Most PF&I, Bank, Corporate entities behave similarly Within-sector homogeneity
- ▶ Funds flip direction; high intra-sector heterogeneity Fund heterogeneity

## Fact 2. Sensitivity to interest rates

- ▶ Convexity: higher interest rate reduces maturity mismatch and hedging needs
- ▶ Interest rate  $\uparrow$ 
  - \* PF & I  $\downarrow$  position in receiving fixed rate
  - \* Banks  $\downarrow$  position in paying fixed rate
- ▶ Opposite exposure to aggregate demand shocks

$$\Delta Q_{i,t} = \alpha_i + \beta \Delta Rate_{t-1} + \epsilon_{i,t}$$

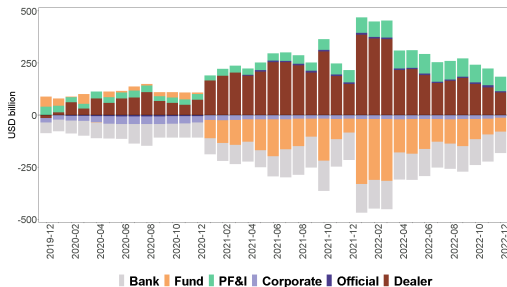
Panel A: PC1 (3M, 5Y, 10Y, 30Y)	$\Delta$ Quantity (\$ million)			
	Bank	Fund	PF&I	Corporate
$\Delta$ Bond Yield (PC1, t-1)	55.5** (25.4)	-112.3* (58.2)	-14.9*** (5.21)	4.15 (2.65)
Panel B: 10Y yield	Bank	Fund	PF&I	Corporate
$\Delta$ Bond Yield (10Y, t-1)	96.2** (44.3)	-221.8** (109.9)	-23.7*** (8.66)	6.11 (3.97)
N	6,200	9,520	28,400	12,600
Investor FE	Yes	Yes	Yes	Yes

▶ Other yields

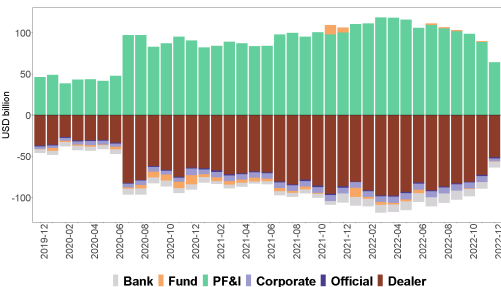


# Fact 3. Maturity segmentation

- Breakdown of exposures to four maturity groups: below 3 months, 3 months to 5 years, 5 years to 10 years, and 10 years & above



(a) 3 months to 5 years



(b) 10 years and above

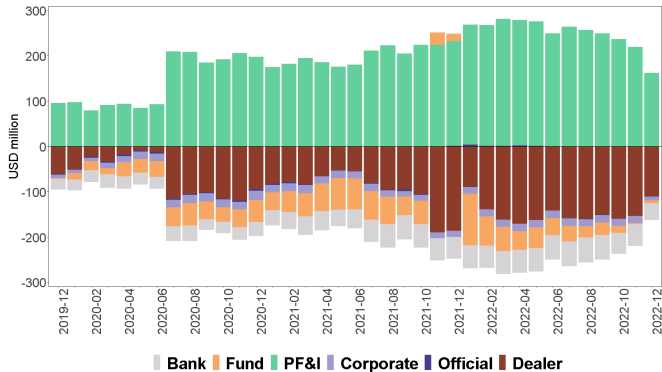
Below 3 months

Between 5y to 10y

## Fact 4. Dealers absorb residual imbalances

- ▶ Dealers participate in all maturity segments: receive fixed rate in the short-end, and pay fixed rate in the long-end
- ▶ On net, dealers have **negative DV01**

Net DV01 by Sector



# A preferred-habitat investors model (Vayanos and Vila, 2021)

## Goal:

1. Decompose and quantify the drivers of the shape of the swap spreads curve
2. Spillover effects from demand changes across sectors

## The economy:

- ▶ Preferred habitat investors: PF&I, banks, corporations...
  - \* Predominantly trade in one maturity bucket – key source of market segmentation (fact 3)
- ▶ Arbitrageurs: dealers and certain funds
  - \* Profit from price deviations through **carry trade** (subject to risk aversion and funding cost)

## Model: habitat investors in maturity group $\tau$

$$Q_t(\tau) = \underbrace{-\alpha(\tau)}_{\text{demand elasticity}} \underbrace{\log(P_t(\tau))}_{\text{swap spreads}} - \underbrace{\theta_0(\tau)}_{\substack{\text{demand intercept} \\ \text{(fact 1)}}} - \underbrace{\theta_1(\tau)}_{\text{loading}} \underbrace{\beta_{1,t}}_{\substack{\text{aggregate factor} \\ \text{(fact 2)}}$$

- \* Price of swap - value of fixed payments *relative to* a government bond of same maturity  $P_t(\tau) \equiv \exp(-\tau s_t(\tau))$

# Model: arbitrageurs

- ▶ **Arbitrageurs**: Risk-averse mean-variance dealers who can trade across all maturity groups

$$\max_{\{X_t(\tau)\}_{\tau=0}^{\infty}} \left[ \mathbb{E}_t(dW_t) - \frac{a}{2} \text{Var}(dW_t) \right]$$

$$\text{where } dW_t = \int_0^{\infty} X_t(\tau) \left( \frac{dP_t(\tau)}{P_t(\tau)} - c_t \right) d\tau$$

- \*  $a$  - risk aversion coefficient
- \*  $c_t$  - time-varying funding cost

# Equilibrium and calibration

- ▶ State variables  $\mathbf{g}_t \equiv (\mathbf{c}_t, \beta_{1,t})^\top$ : AR(1) with potentially correlated shocks

$$d\mathbf{g}_t = \underbrace{-\Gamma}_{\text{mean reversion speed}} (\mathbf{g}_t - \bar{\mathbf{g}}) dt + \underbrace{\Sigma}_{\text{shock variances}} dB_t$$

- ▶ Markets clear for all  $\tau > 0$
- ▶ Moments targeted: average swap spreads, average quantity, price and quantity dynamics [Details](#) [Moments match](#)

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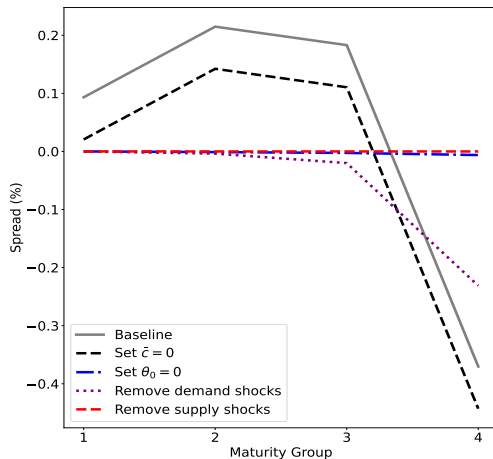
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- ▶ Markets clear for all  $\tau > 0$
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- ▶ Cross-sector ranking of demand elasticity:  $\underbrace{\alpha([\epsilon, 3m])}_{\text{funds}} > \underbrace{\alpha([3m, 5y])}_{\text{banks + funds}} >$

$$\underbrace{\alpha([10y, \infty))}_{\text{PF&I}}$$

# Decomposition of the swap spread curve

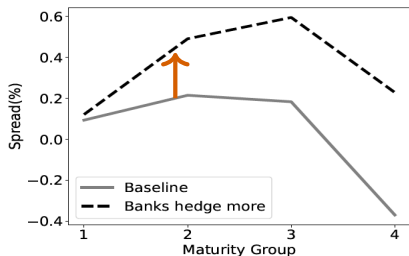


**Demand imbalance, interacted with dealer risk aversion, is quantitatively more important for explaining the shape of swap spread curve**

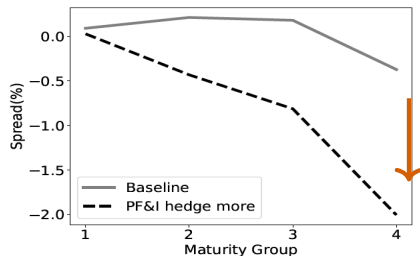


# Counterfactual: spillover impact of sector-specific demand shifts

- ▶ Regulations on risk-management of banks and PF&I increase the level of demand,  $|\theta_0(\tau)|$



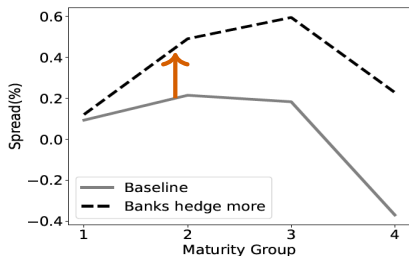
(a) Banks Hedge More



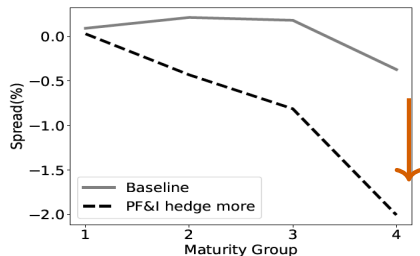
(b) PF&I Hedge More

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(a) Banks Hedge More



(b) PF&I Hedge More

- ▶ Back-of-the-envelope: one unit increase in demand for
  - \* banks would save PF&I approx. \$1.2 bn. a year ( $0.60\% \times 200$  bn)
  - \* PF&I would save banks approx. \$3.8 bn. a year ( $0.75\% \times 500$  bn)

# Conclusion

- ▶ First large-scale and cross-sector empirical study of interest rate swaps market
- ▶ Banks/Corporations and PF&I exchange risks but across different maturities
- ▶ Demand imbalances in different maturity buckets play a quantitatively important role in shaping the swap spread curve
- ▶ Quantify the spillover effects of demand shifts across sectors

Other counterfactuals

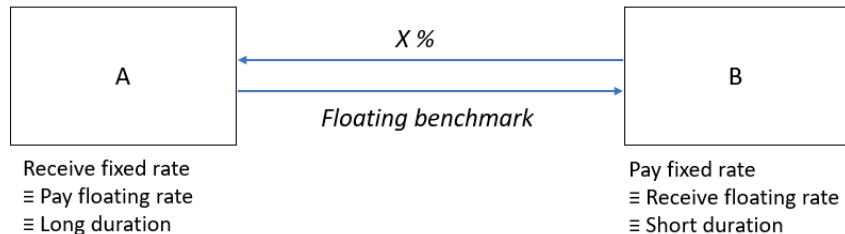
# Appendix

## Estimated volume coverage by currency

	Average daily turnover in April 2022		
	Our data (\$ billion)	BIS benchmark (\$ billion)	Coverage
All currencies	3,425	4,987	69%
Pound sterling (GBP)	287	341	84%
Euro (EUR)	1,328	1,688	79%
US dollar (USD)	1,460	2,209	66%
Australian dollar (AUD)	141	279	51%
Other currencies	209	470	44%

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# Focus on plain vanilla fixed-to-floating swaps

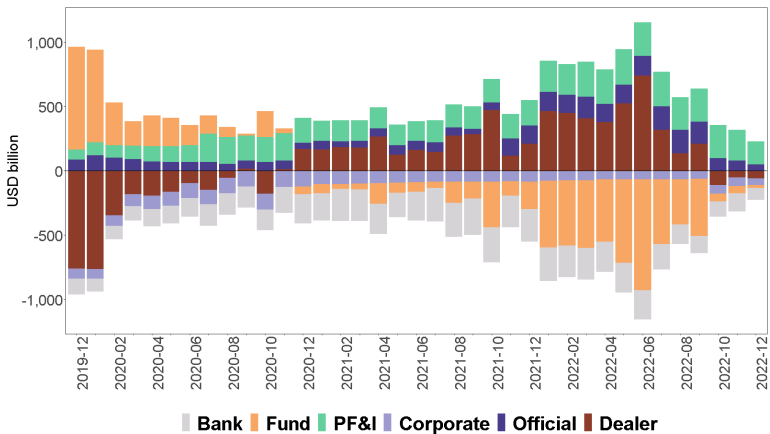


- ▶ Measures of exposure and risk:
  1. Net receive fix rate notional
  2. DV01 - the dollar value of a change in the value of a swap position for a 1 bp parallel shift in interest rates
- ▶ Price of a swap:  $\text{Swap spread} = \text{Swap rate}_{c,m,t} - \text{Treasury/bond rate}_{c,m,t}$

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# Net exposure across all currencies

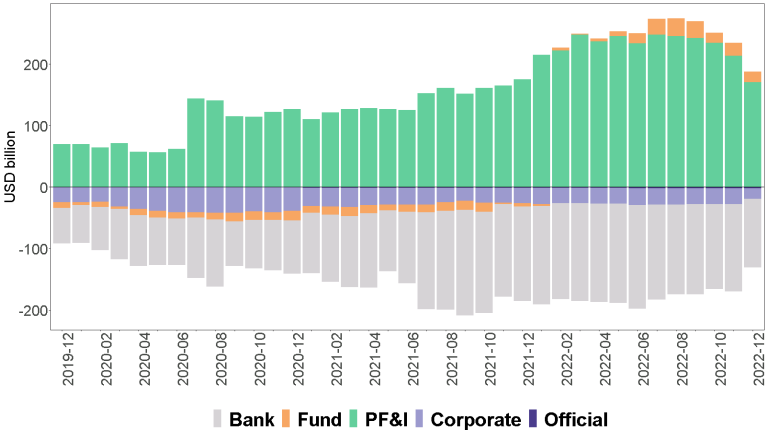
## Net Outstanding Positions (All currencies)



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# Net exposure for UK entities

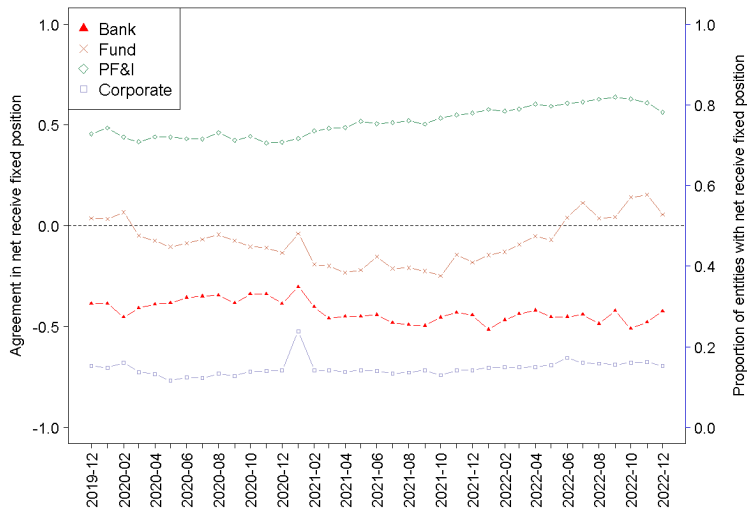
## Net Outstanding Positions (UK entities)



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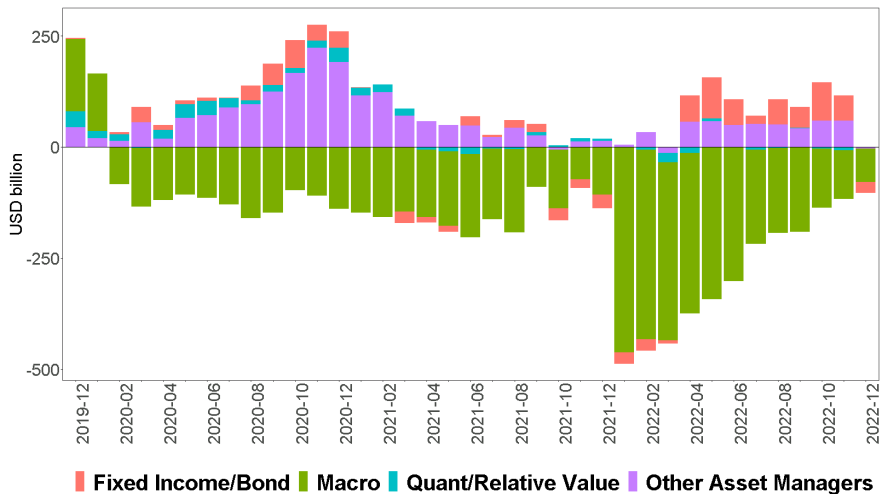


## Fact 2: Risk transfers **within** sectors



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# Hedge fund heterogeneity



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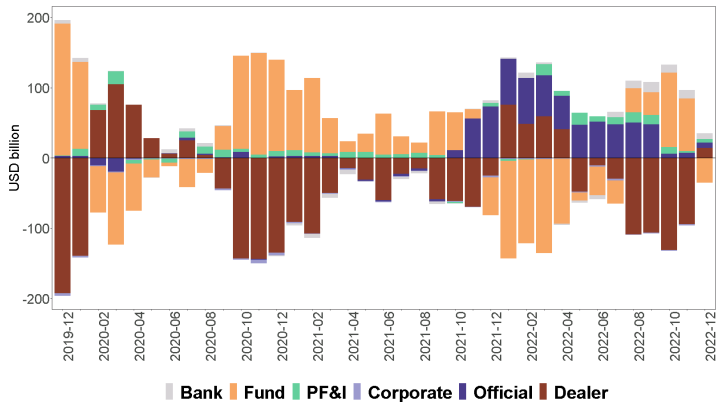
# Interest rates and quantities demanded II

Panel C: 5Y yield	$\Delta$ Quantity (\$ million)			
	Bank	Fund	PF&I	Corporate
$\Delta$ Bond Yield (5Y, t-1)	87.3** (39.1)	-210.7** (98.2)	-25.4*** (8.70)	6.10 (4.04)
Adj. R <sup>2</sup>	0.02	0.00	0.01	0.01
Panel D: 3M yield	Bank	Fund	PF&I	Corporate
$\Delta$ Bond Yield (3M, t-1)	97.8** (46.6)	-101.0 (121.2)	-32.7*** (10.6)	12.1 (8.24)
Adj. R <sup>2</sup>	0.02	0.00	0.01	0.01
Observations	6,200	9,520	28,400	12,600
Dominant maturity group	3M-5Y	Below 3M	10Y & above	3M-5Y
Investor FE	Yes	Yes	Yes	Yes

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# Maturity segmentation

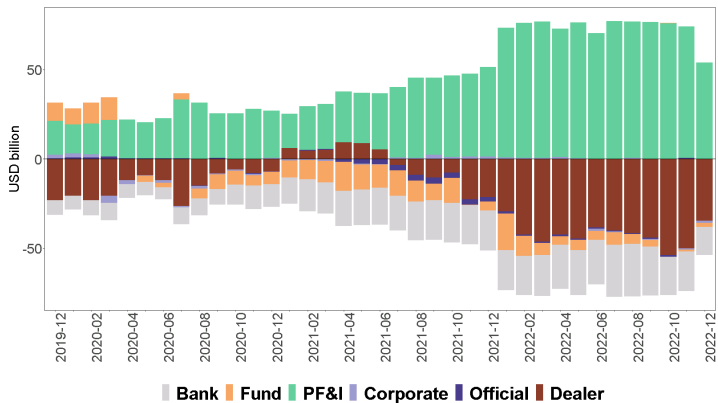
## Below 3 months



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# Maturity segmentation

5y to 10y



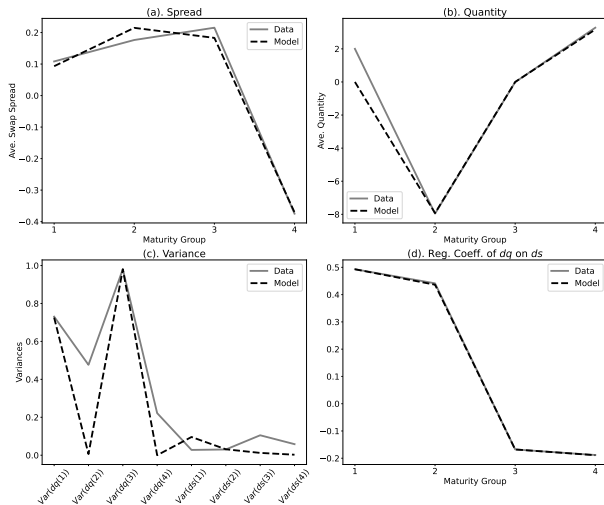
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# Empirical moments - targeted

Moments	Data
Ave. swap spreads in group 1-4 (spread quoted in %)	[0.108, 0.176, 0.215, -0.375]
Ave. quantity in group 1-4 (100 Billion \$)	[2, -7.959, -0.009, 3.278]
Variances of swap spread changes in group 1-4	[0.028, 0.03, 0.105, 0.058]
Variances of scaled quantity changes in group 1-4	[0.73, 0.476, 0.980, 0.222]
Regression coefficients of scaled quantity changes on the corresponding swap spread changes for group 1-4	[0.493, 0.441, -0.168, -0.188]

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# Simulated moments closely match empirical moments



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# Targeted empirical moments - details

- ▶ Average swap spread: volume-weighted average swap spreads by end-users in each maturity group during our sample period
- ▶ Average quantity: average net notional held by end-users in each maturity group during our sample period
- ▶ Variance of change in swap spread  $Var(\Delta s_t(\tau))$ 
  - \*  $\Delta s_t(\tau)$  change in volume-weighted average swap spreads from activity files
- ▶ Variance of change in quantity  $Var(\Delta q_t(\tau))$ , where  $\Delta q_t = \frac{Q_t - Q_{t-1}}{(|Q_t| + |Q_{t-1}|)/2}$
- ▶ Correlation of price change and quantity change:  $\frac{Cov(\Delta q_t, \Delta s_t)}{Var(\Delta s_t)}$

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# Calibrated parameters

Parameters	Values
Arbitrageur risk aversion coeff. $a$	123.05
Arbitrageur ave. cost $\bar{c}$	$7.26 \times 10^{-4}$
Demand elasticities $\alpha$	$[1.51 \times 10^{-2}, 4.55 \times 10^{-5}, 1.14 \times 10^{-8}, 2.73 \times 10^{-7}]$
Demand intercepts $\theta_0$	$[1.23 \times 10^{-6}, 7.925, 0, -3.17]$
Demand sensitivities to aggregate demand factor $\theta_1$	$[1.93 \times 10^{-5}, -1.741, 0, 1.12 \times 10^{-1}]$
Speed of mean reversion $\Gamma$	$\begin{pmatrix} 7.16 \times 10^{-4} & 0 \\ 0 & 7.96 \times 10^{-3} \end{pmatrix}$
Variances of supply and demand shocks $\Sigma$	$\begin{pmatrix} 3.03 \times 10^{-3} & 1.19 \times 10^{-3} \\ 3.196 \times 10^{-1} & 1.585 \times 10^{-1} \end{pmatrix}$

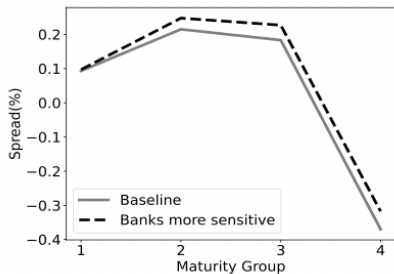
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# Other counterfactuals

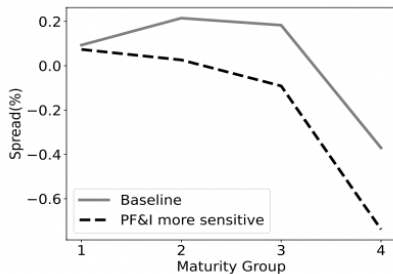
- ▶ Demand sensitivity to aggregate demand factor -  $\theta_1(\tau)$ 
  - \* Effects similar to level of demand shifts [Details](#)
- ▶ Market integration: moving part of PF&I demand to the same group as bank demand
  - \* Reduce outstanding positions and risks borne by dealers [Details](#)
- ▶ Arbitrageur's risk aversion -  $a$ 
  - \* Higher  $a$  tilts the swap spread curve to reflect more "local" demand [Details](#)

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# Counterfactual - demand sensitivity



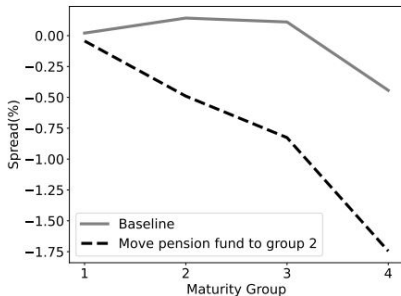
(a) Banks More Sensitive



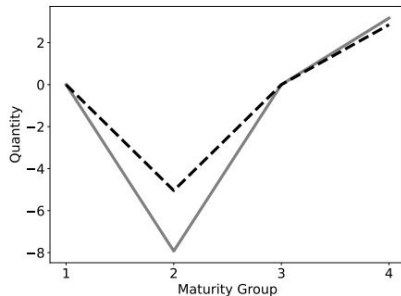
(b) PF&I More Sensitive

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# Counterfactual - increased market integration



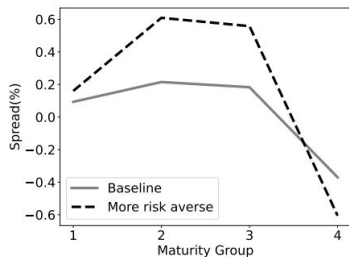
(a) Spread



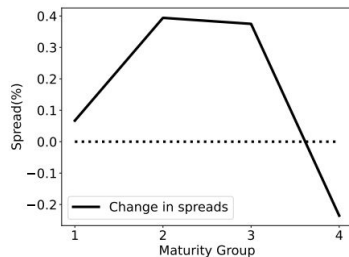
(b) Quantity

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# Counterfactual - arbitrageur's risk aversion - $a$



(a) Spreads



(b) Change in Spreads

- ▶ Stronger reflection of preferred habitat demand: arbitrageurs more concerned about demand shocks  $\implies$  less carry trade [Back](#)