Data Linkage between Markets: Does the Emergence of an Informed Insurer Cause Consumer Harm?

Claudia Herresthal¹ Tatiana Mayskaya² Arina Nikandrova³

¹University of Bonn

²HSE University

³City, University of London

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- ► Google/Fitbit merger could create an informed insurer.
- Some commentators argue that it could be detrimental for consumers.



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"Google's dominance in non-health data, combined with health data, will enable them to uniquely identify good risks and extract surplus from them (e.g. offering them only slightly lower prices), causing <u>higher prices</u> or lack of cover <u>for bad risks</u> and, in the extreme case, market unravelling over time."



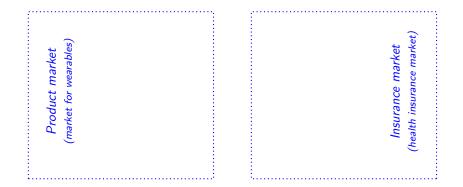
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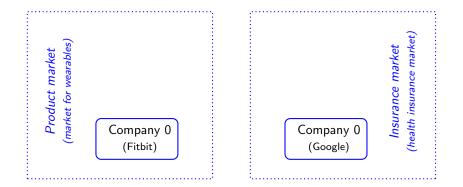


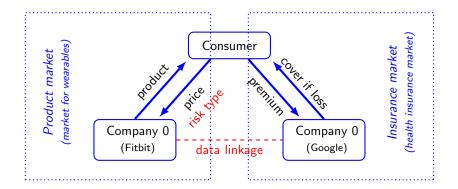
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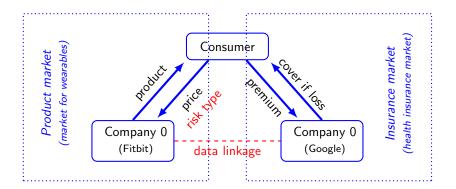
Research question

How does the data linkage between markets affect the welfare of different consumer groups?









Our aim

Compare consumer welfare with and without data linkage.

Both high- and low-risk consumers

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Both high- and low-risk consumers

 benefit from data linkage when share of high-risk consumers is large, but

may suffer when share of low-risk consumers is high.

Literature

Data linkage: Argenziano and Bonatti (2021), Condorelli and Padilla (2021), de Cornière and Taylor (2021), Cong and Matsushima (2023), ... Chen, Choe, Cong and Matsushima (2022), de Cornière and Taylor (2024)

Our paper:

- Negative externalities between different consumer types across markets.
- ▶ Welfare results depend on composition of consumer pool.

Insurance market:

- Rich literature on screening intiated by Rothschild and Stiglitz (1976) and Stiglitz (1977)
- Growing literature on symmetric information provision: Farinha Luz et al. (2023), Zapechelnyuk and Migrow (2024),...
- Our paper: asymmetric information provision.

Model

► Risk-averse consumer with income:

$$x = \begin{cases} y, \\ y - I, \end{cases}$$

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High risk :
$$x = \begin{cases} y, & 1 - \pi_H \\ y - I, & \pi_H \end{cases}$$
 Low risk : $x = \begin{cases} y, & 1 - \pi_L \\ y - I, & \pi_L \end{cases}$

where $0 < \pi_L < \pi_H < 1$.

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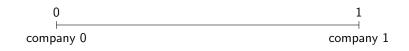
Type i's willingness to pay for the full insurance contract is w_i:

$$\underbrace{u(y-w_i)}_{i} = \underbrace{\pi_i u(y-l) + (1-\pi_i)u(y)}_{i}$$

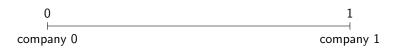
full insurance at premium wi

no insurance

where $w_H > w_L > 0$, $w_i > \pi_i I$



Hotelling duopoly



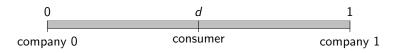
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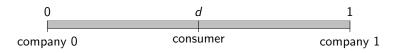
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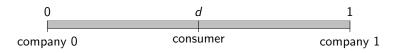
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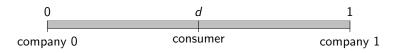
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• $\sigma > 0$ is the degree of product differentiation

Timing without data linkage

• Consumers privately learn risk type $i \in \{L, H\}$ and location d.

Product market:

- Companies 0 and 1 simultaneously choose prices t_0 and t_1 .
- Consumers select one product.

Insurance market:

- Company 0 offers a contract.
- Each consumer accepts the contract or remains uninsured.

Timing with data linkage

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Product market:

- Companies 0 and 1 simultaneously choose prices t_0 and t_1 .
- Consumers select product.

Insurance market:

- Company 0 identifies risk type of each consumer it served in the product market.
- Company 0 can make different offers to identified high-risk, identified low-risk and unidentified consumers.
- Each consumer accepts the contract offered to them or remains uninsured.

Monopolistic Insurance Market Analysis

Benchmark: Without data linkage



Product market equilibrium without data linkage:

Standard symmetric Hotelling duopoly.

Insurance market equilibrium without data linkage:

 $\begin{array}{ll} \mbox{High } \gamma & \mbox{ If } \gamma \geq \gamma_{M}, \mbox{ both types are served at } p = w_{L}. \\ (\mbox{many low risks}) \end{array}$

Low γ : Effect of Data Linkage on Consumer Welfare

Theorem 1

Suppose that $\gamma < \gamma_M$. Then

data linkage benefits both high- and low-risk consumers, and

welfare gains for both consumer types are the same.

Low γ : Monopolistic Insurance Market

Equilibrium with data linkage:

- Company 0 extracts all rents from *identified* consumers: $p_L = w_L$, $p_H = w_H$.
- Unidentified consumers of both types are served at $p_U = w_H$.

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Within the insurance market, data linkage

- leaves low-risk consumers indifferent,
 - Company 0 offers $p = w_L$ (accept/reject) or $p = w_H$ (reject),
- leaves high-risk consumers indifferent,
 - Company 0 offers $p = w_H$ with and without data linkage.

Low γ : Product market

Demand: no reason to avoid company 0 due to data linkage:

- Low-risk left with no rent in insurance market, identified or not.
- High-risk offered insurance at $p = w_H$, identified or not.
- \Rightarrow Demand in product market unchanged with data linkage.

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Supply: Pro-competitive effect.

- Company 0 gets additional profit in the insurance market per each (low-risk) consumer it serves in the product market.
- \Rightarrow competes more aggressively in the product market.
- $\Rightarrow \downarrow$ prices \Rightarrow all consumers are better off.

Low γ : Summary

Consumer welfare change with data linkage:

- Insurance market: no welfare change.
- Product market: lower prices \Rightarrow higher welfare.

Data linkage increases efficiency in insurance market, but additional surplus accrues only to company 0.

Company 0 passes some of this additional surplus on to consumers via lower prices in the product market.

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Within the insurance market, data linkage

leaves low-risk consumers indifferent,

• Company 0 offers $p = w_L$ with and without data linkage,

leaves high-risk consumers worse off,

- Company 0 offers $p = w_H$ instead of $p = w_L$ to identified high risks.
- Identified high risks lose information rent.

High γ : Naive Consumers

Naive consumer: does not anticipate that product choice affects subsequent insurance offer.

 \Rightarrow Product market demand unchanged with data linkage.

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Product market supply: Pro-competitive effect

Company 0 gets additional profit in the insurance market per each (high-risk) consumer it serves in the product market ⇒ ↓ prices.

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Proposition

If $\gamma > \gamma_M$ and consumers are naive, then data linkage

benefits all low-risk consumers,

harms high-risk consumers on average.

High γ : Sophisticated Consumers

Sophisticated consumers \Rightarrow Product market demand distortion

High risks lose $w_H - w_L$ in the insurance market if identified.

⇒ may buy a product at a higher price and / or are ready to travel a longer distance to avoid company 0 in the product market.

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Anti-competitive effect:

Demand by high risks less sensitive to price differences $\Rightarrow \uparrow$ prices

Theorem 2

Suppose that $\gamma > \gamma_M$ and consumers are sophisticated. Then

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- data linkage benefits low-risk consumers if $\sigma > w_H w_L$, and
- data linkage harms low-risk consumers if γ > γ_M and <u>σ</u> < σ < σ for some <u>γ_M</u>, <u>σ</u> and σ such that γ_M < <u>γ_M</u> < 1 and 0 < <u>σ</u> < σ < w_H w_L.

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• data linkage harms low-risk consumers if $\gamma > \overline{\gamma_M}$ and $\underline{\sigma} < \sigma < \overline{\sigma}$ for some $\overline{\gamma_M}$, $\underline{\sigma}$ and $\overline{\sigma}$ such that $\gamma_M < \overline{\gamma_M} < 1$ and $0 < \underline{\sigma} < \overline{\sigma} < w_H - w_L$.

Note: sophisticated high-risk consumers impose negative externality on low-risk consumers!

Competitive Insurance Market Analysis

	Monopolistic insurance market	Competitive insurance market
Low γ	 In the insurance market, consumer welfare is unchanged 	
	 No incentives to avoid company 0's product 	
High γ	 In the insurance market, identified high risks are worse off High risks have incentives to avoid company 0's product 	

	Monopolistic insurance market	Competitive insurance market
Low γ	In the insurance market, consumer welfare is unchanged	 In the insurance market, consumer welfare is unchanged
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	Across markets, both high and low risks may suffer from data linkage	

Conclusion

- We consider welfare consequences of data linkage between insurance and product markets.
- When the share of high risks is high, consumers benefit from data linkage.
- When the share of low risks is high, data linkage may make <u>all</u> risk types worse off:
 - In monopolistic insurance market, data linkage does not harm low risk consumers in the insurance market but their detriment arises through higher prices in the product market.
 - In competitive insurance market, cream-skimming by informed insurer makes all insurance consumers worse off.

Thank You