

# Managing the transition to central bank digital currency

Katrin Assenmacher  
*European Central Bank*

Massimo Ferrari Minesso  
*European Central Bank*

Arnaud Mehl  
*European Central Bank*  
& *CEPR*

Maria Sole Pagliari  
*De Nederlandsche Bank*

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# Introduction

# Motivation

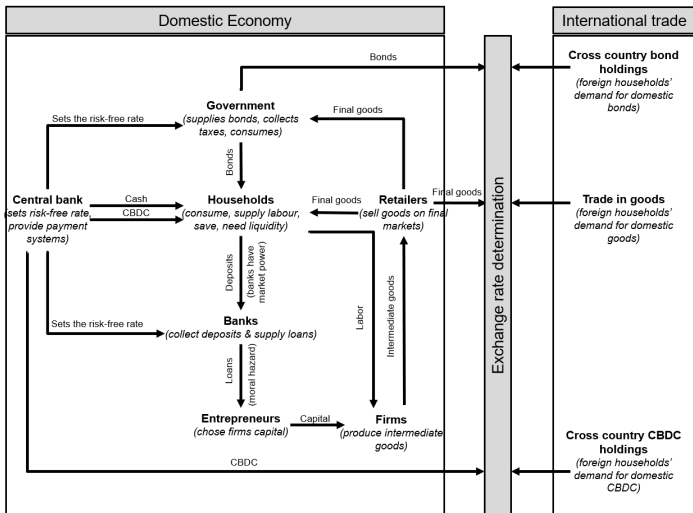
- ✓ Many central banks are investigating options to introduce a retail CBDC.
- ✓ In this context,
  - limits on individual's CBDC holdings,
  - negative interest on CBDC exceeding a certain baseline amount,
  - limited access to CBDC for foreignershave been proposed as measures to deal with **structural bank disintermediation** through deposit substitution.
- ✓ To avoid an unintended tightening of the monetary policy stance, the central bank could also provide additional liquidity (Brunnermeier and Niepelt, 2019; Adalid et al., 2020).

# What we do

- ✓ We study the **transition** from a steady state without CBDC to one with CBDC in an open-economy DSGE model, where the central bank can implement **policies to mitigate welfare effects** that arise during the transition (as occasionally binding constraints).
- ✓ We find that CBDC demand **overshoots persistently** during the transition to the new steady state, causing deposits, investments, GDP and welfare to fall.
- ✓ Mitigating policies can **reduce the welfare loss** during the transition.
  - Holding limits turn out to be most effective.
  - Interest policies and asset purchases also reduce welfare loss but are less effective.

# The model

# Model in one chart



## Key features

HHs demand payment services:

$$C_t = \chi_L [\mu_M M^{1-\eta_L} + \mu_D D^{1-\eta_L} + \mu_{DC} DC^{1-\eta_L}]^{\frac{1}{1-\eta_L}}$$

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The domestic central bank issues a CBDC in a [monetary policy neutral](#) way (no expansion of the balance sheet). Foreign HHs can hold CBDC but face a cost. CBDC demand in the home country is:

$$\gamma_t \mu_{DC} \chi_L C_t^{\eta_L} DC_t^{-\eta_L} = \lambda_t - \beta E_t \left( \lambda_{t+1} \frac{R_t^{DC}}{\pi_{t+1}} \right)$$

# Banks

Banks maximise profits under monopolistic competition in the deposit market and extract a rent through the deposit contract ([Andolfatto, 2021](#)):

$$\gamma_t \mu_D \chi_L C_t^{\eta_L} D_t^{-\eta_L} = \lambda_t - \beta E_t \left( \lambda_{t+1} \frac{R_t^D}{\pi_{t+1}} \right)$$

The optimal deposit rate is endogenously determined as a mark-down on the loan rate  $F_t$ .

$$F_t = R_t^D \frac{\theta_{t,D} - 1}{\theta_{t,D}}$$

with  $\frac{\theta_{t,D} - 1}{\theta_{t,D}} > 1$ .

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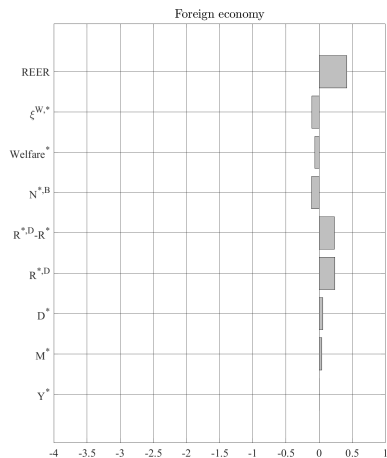
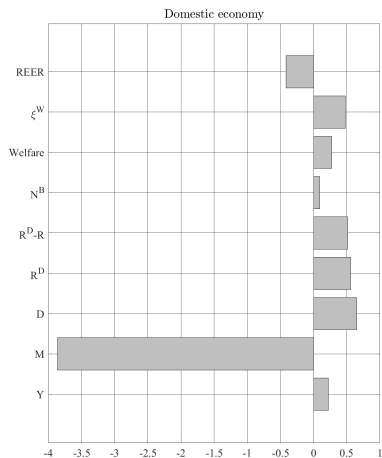
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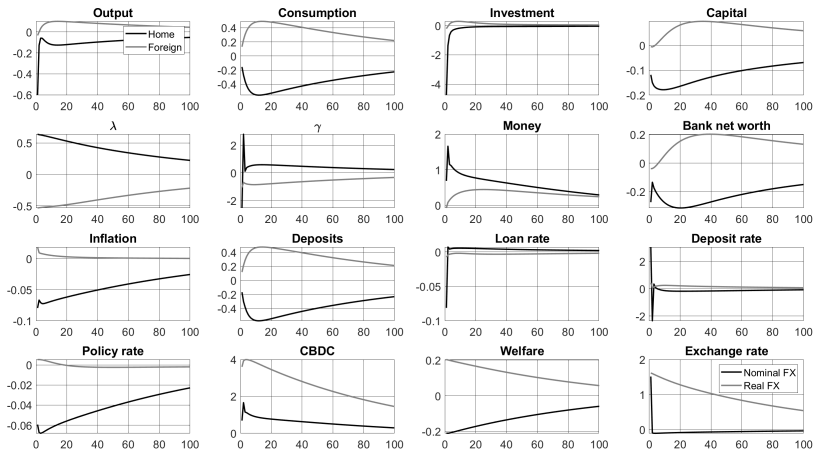
→ A CBDC [reduces the market power](#) of banks by adding a new payment instrument to HHs' portfolio.

# Steady-state impact



# Transition dynamics

# Transition from steady state without to one with CBDC



Shown as percent relative to new steady state.

# Policies during the transition

# Quantity limits

$$DC_t = \begin{cases} DC \text{ demand} & \text{if } DC_t < \overline{DC} \\ \overline{DC} & \text{if } DC_t \geq \overline{DC} \end{cases}$$

$$DC_t^* = \begin{cases} DC^* \text{ demand} & \text{if } DC_t^* < \overline{DC}^* \\ \overline{DC}^* & \text{if } DC_t^* \geq \overline{DC}^* \end{cases}$$

- ✓  $\overline{DC}$  and  $\overline{DC}^*$  are domestic and foreign quantity limits.
- ✓ Quantity limits can be set differently for domestic and foreign households.



# Tiered remuneration

$$R_t^{DC} = \begin{cases} 1 \text{ (no remuneration)} & \text{if } DC_t < \overline{DC} \\ 1 \frac{\overline{DC}}{DC_t} + R_-^{DC} \frac{DC_t - \overline{DC}}{DC_t} & \text{if } DC_t \geq \overline{DC} \end{cases}$$

- ✓ The thresholds  $(\overline{DC}, \overline{DC}^*)$  are set to 50% of steady-state CBDC demand in each country.
- ✓ The penalty rate  $R_-^{DC}$  is set to 0.97 (300 basis points below parity), and to 0.95 (500 basis points below parity).

# Central bank balance sheet expansion

The central bank purchases assets ( $AP$ ) proportional to excess CBDC demand with  $\chi_{AP} \in (0, 1]$ :

$$AP_t = \begin{cases} 0 & \text{if } DC_t < DC_{ss} \\ DC_t - \chi_{AP}DC_{ss} & \text{if } DC_t \geq DC_{ss} \end{cases}$$

Revenues are transferred to the government.

# Limited access of foreigners to CBDC

Foreigners can either not access the CBDC at all:

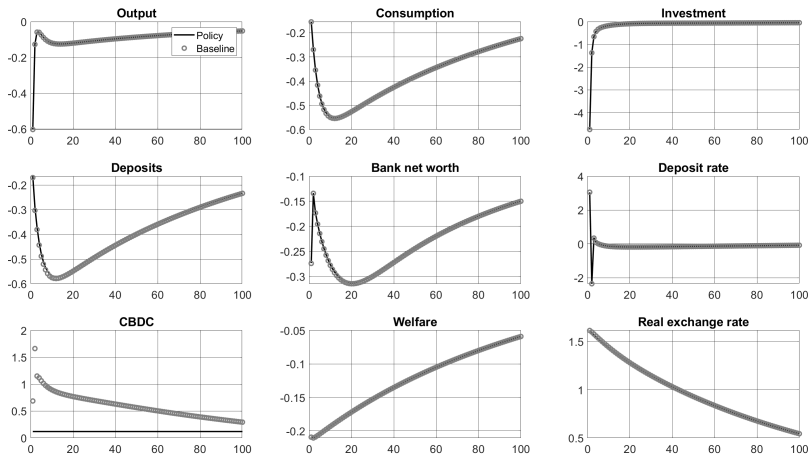
$$DC_t^* = 0 \quad \forall t$$

or there are higher costs for CBDC cross-border transactions:

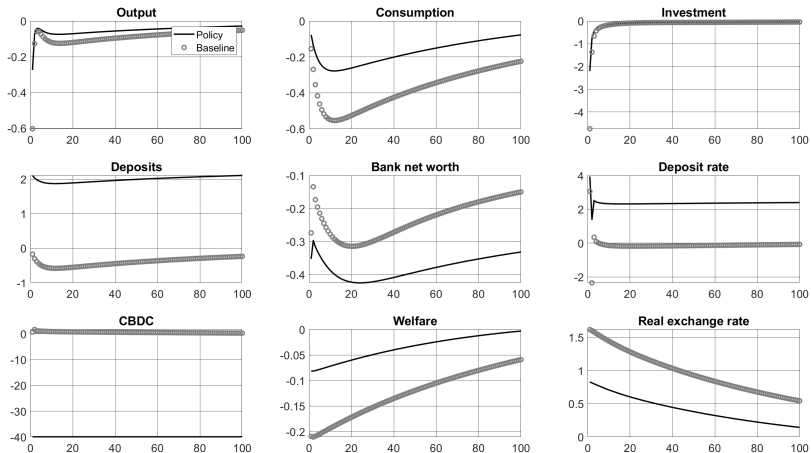
$$\phi^{*,DC} = 0.1$$

# Transition dynamics with mitigating policies

# Holding limit at new steady-state demand

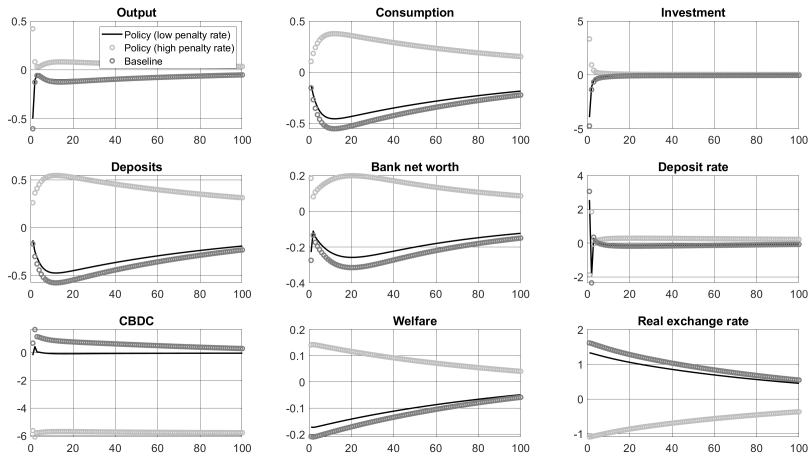


# Holding limit of 50% of steady-state demand



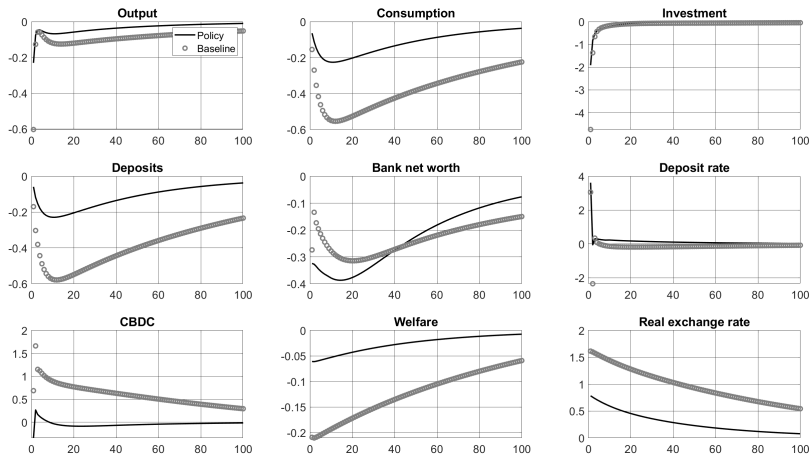
The holding limit is kept at 50% until the economy is close to the new steady state (period 100) and then gradually relaxed.

# Two-tiered remuneration



Penalty rates are 3% and 5%, respectively, for holdings above 50% of steady-state demand.

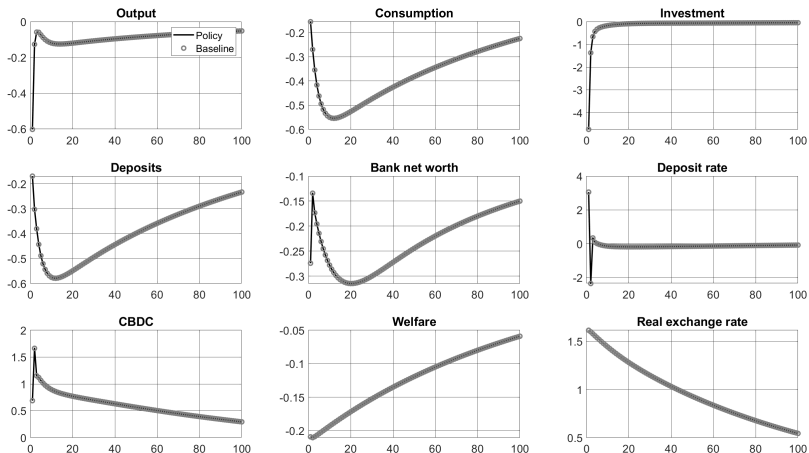
# Balance sheet expansion



The central bank buys assets for CBDC demand in excess of new steady state.

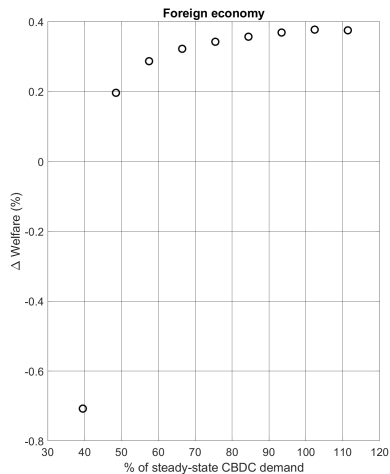
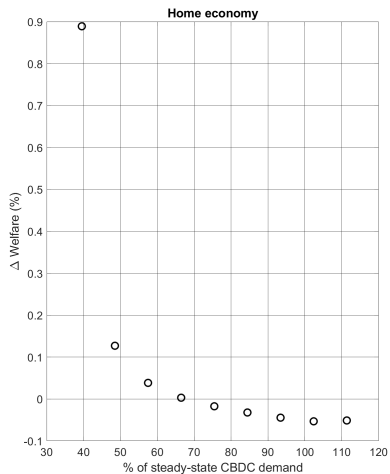


# Domestic CBDC



◀ High holding costs

# “Optimal” holding limit



# Conclusions

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- ✓ In **steady-state** a CBDC reduces the market power of banks.
- ✓ Endogenously **deposits** and the **deposit rate increase**, credit supply expands slightly, welfare improves (by about 0.5% of consumption)
- ✓ **During the transition**, HHs demand excess CBDC:
  - Deposits decrease below steady-state,
  - Investment and return on capital fall, remuneration on deposits stagnants,
  - GDP contracts in the home country (by about 1%), foreign economy largely unaffected.
- ✓ **Policies are effective** in governing the transition:
  - A **hard holding limit prevents the crowding out of deposits** and reduce GDP losses by more than 50%.
  - A two-tiered remuneration system is less effective.
  - Balance sheet expansion policies are effective in closing the output gap, but do not fully prevent the crowding out of deposits.

# Appendix

## Key friction – foreign economy

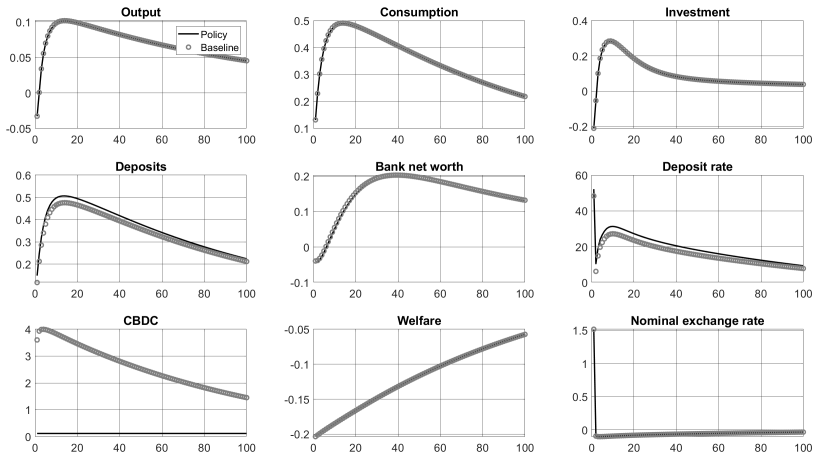
The problem is similar for the foreign economy. HH need liquidity:

$$C_t^* = \chi_L^* \left[ \mu_M^* (M^*)^{1-\eta_L^*} + \mu_D^* (D^*)^{1-\eta_L^*} + \mu_{DC}^* \left( \frac{DC^*}{\mathbf{RER}_t} \right)^{1-\eta_L^*} \right]^{\frac{1}{1-\eta_L^*}}$$

cross-country CBDC holdings are subject to a quadratic cost proportional to  $\phi^{DC}$ :

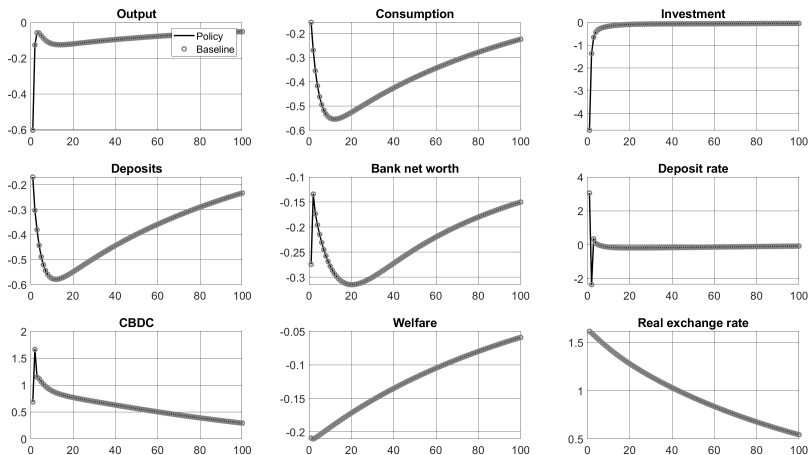
$$Cost_t = \phi^{DC} \left( \frac{DC_t^*}{\mathbf{RER}_t} \right)^2$$

# Soft holding limit – foreign economy



◀ Go back.

# High holding costs



◀ Go back.



- Andolfatto, D., 2021. *Assessing the Impact of Central Bank Digital Currency on Private banks*. The Economic Journal 131, 525–540.
- Assenmacher, K., Bitter, L., Ristiniemi, A., 2023. *CBDC and business cycle dynamics in a New Monetarist New Keynesian model*. Working Paper Series, 2811.
- Barrdear, J., Kumhof, M., 2022. *The macroeconomics of central bank digital currencies*. Journal of Economic Dynamics and Control, 142(C).
- Burlon, L., Montes-Galdón, C., Muñoz, M., Smets, F., 2022. *The optimal quantity of CBDC in a bank-based economy*. Working Paper Series, 2689.
- Fernandez-Villaverde J., Sanches, D., Schilling, L., Uhlig, H., 2021. *Central Bank Digital Currency: Central Banking For All?*. Review of Economic Dynamics, vol. 41, pages 225-242.
- Ferrari Minesso, M., Mehl, A., Stracca, L., 2022. *Central bank digital currency in an open economy,*” *Journal of Monetary Economics*, vol. 127(C), pages 54-68.
- Kumhof, M., Pinchetti, M., Rungcharoenkitkul, P., Sokol, A., 2023. *CBDC policies in open economies*. BIS Working Papers 1086.
- Moro A., Nispi Landi, V., 2023. *The external financial spillovers of CBDCs*. Temi di discussione di Banca d'Italia 1416.