

# Bank Capital Regulation in a Monetary Union

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# Motivation

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- Significant regulatory efforts since the Global Financial Crisis
- Many countries tightened bank regulation to strengthen the resilience of their banking sector
- But how do domestic regulatory changes affect other countries?

# This paper

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Focus: understanding international spillovers of capital requirements

- What are the **cross-border effects** of capital requirement changes?
- Which economic and institutional features affect the **size of the spillovers**?
- What are the implications for the **optimal level** of capital requirements?

# Framework

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Our model features:

- **Monetary union: 2 symmetric countries**
  - Bank intermediation frictions
  - Bank default risk
- **Interlinkages:** Goods trade and cross border lending (and deposit insurance financing)
- **Domestic policy authority:** Sets bank capital requirements
- **International institutional framework** considers:
  - Reciprocity of macroprudential policy measures
  - Deposit insurance scheme (national vs common)

# Main Findings

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- Optimal capital requirements trade off two distortions
  - **Bank limited liability**: benefits of higher capital requirements
  - **Scarce bank equity**: costs of higher capital requirements
- Cross country spillovers:
  - **Trade** (negative)
  - **Cross border bank lending** (negative)
  - Under reciprocity: **Bank solvency** (positive)
  - Under common DI: **Bank solvency** (large and positive)
- Spillovers: wedge between single country and cooperative optimum
  - **National DI scheme** without **reciprocity**: CRs too high
  - **National DI scheme** with **reciprocity**: CRs about right
  - **Common DI**: CRs too low

# Model

# Model: Households

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- **Household (HH)**: provides consumption insurance to 2 members
  - **Workers**: supply labor to firms and deposits to banks and consumes a CES basket of Home and Foreign goods
  - **Bankers**: inside equity providers (with limited net worth)
- **Banks**: domestic and foreign operations
- **Capital regulation**: set at country level (Nash) or Union-wide (Cooperative)
- **Deposit insurance (DI)**: national versus common (union-wide)

# Households

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The household value function (for each country) is

$$V_t = \left\{ \max_{C_{L,t}, C_{IM,t}, L_t, D_t, K_{H,t}} \log(C_t) - \varphi \frac{L_t^{1+\eta}}{1+\eta} + \beta \mathbb{E}_t[V_{t+1}] \right\},$$

where

$$C_t = \left[ \chi_c^{1/\gamma_c} C_{L,t}^{\frac{\gamma_c-1}{\gamma_c}} + (1-\chi_c)^{1/\gamma_c} C_{IM,t}^{\frac{\gamma_c-1}{\gamma_c}} \right]^{\frac{\gamma_c}{\gamma_c-1}},$$

subject to the household budget constraint

$$C_t + D_t + (1 + s_t)K_{H,t} = R_{D,t-1}D_{t-1} + (r_{L,t} + 1 - \delta)K_{H,t-1} + W_tL_t + T_t$$



# Home and Foreign Goods Choice

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Standard consumption basket of Home and Foreign goods

$$\begin{aligned} \min_{C_{L,t}, C_{IM,t}} \quad & P_{L,t}C_{L,t} + P_{IM,t}C_{IM,t}, \\ \text{s.t.} \quad & C_t = \left[ \chi_c^{1/\gamma_c} C_{L,t}^{\frac{\gamma_c-1}{\gamma_c}} + (1 - \chi_c)^{1/\gamma_c} C_{IM,t}^{\frac{\gamma_c-1}{\gamma_c}} \right]^{\frac{\gamma_c}{\gamma_c-1}} \end{aligned}$$

First order conditions give

$$\begin{aligned} C_{L,t} &= \chi_c P_{L,t}^{-\gamma_c} C_t \\ C_{IM,t} &= (1 - \chi_c) P_{IM,t}^{-\gamma_c} C_t. \end{aligned}$$

# Banks

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- Each bank maximizes the net present value (NPV) of the bankers' equity stake conditional on not defaulting

$$\max_{k_{j,t}, d_{j,t}} \mathbb{E}_t \left[ \Lambda_{B,t+1} \max \left\{ \omega_{j,t+1} R_{K,j,t+1} q_{j,t} k_{j,t} - R_{D,t} d_{j,t}, 0 \right\} \right] - \nu_t EQ_{j,t}$$

- Balance sheet constraint

$$q_{j,t} k_{j,t} = d_{j,t} + EQ_{j,t},$$

- Capital requirement constraint

$$EQ_{j,t} \geq \phi_j q_{j,t} k_{j,t}.$$

- No CSV deposit contract so capital requirement always binding

# Bank default

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- The bank receives iid shocks to capital returns  $\omega_t$  which are lognormally distributed  $\log(\omega) \sim \mathcal{N}\left(-\frac{\sigma_{B,t}^2}{2}, \sigma_{B,t}^2\right)$

- **Banks optimally default** when their asset returns are not enough to repay deposits

$$\omega_{j,t+1} R_{K,j,t+1} q_{j,t} k_{j,t} - R_{D,j,t} d_{j,t} < 0$$

- The default threshold is given by

$$\bar{\omega}_{j,t+1} = (1 - \phi_j) \frac{R_{D,j,t}}{R_{K,j,t+1}},$$

# Cross border lending

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- Two types of Home banks: one that lends at Home and one that lends in Foreign (cross-border loans):  $j = L, EX$
- Key institutional feature in capital regulation: reciprocity
  - Under reciprocity, cross-border loans subject to **host** country  $\phi$
  - Without reciprocity, cross-border loans subject to **home** country  $\phi$
- Bank equity holders arbitrage between different types of banks

$$\mathbb{E}_t [\Lambda_{B,t+1}(\rho_{L,t+1} - \rho_{EX,t+1})] = 0$$

# Final goods production

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- Use labor and capital services to produce the Home good

$$Y_t = A_t S_t^\alpha L_t^{1-\alpha}$$

- Capital services  $S_t$  are a CES of loans that come from Home  $K_{L,t}$  and Foreign capital  $K_{IM,t}$

$$\begin{aligned} \min_{K_{L,t}, K_{IM,t}} \quad & r_{L,t} K_{L,t} + r_{IM,t} K_{IM,t}, \\ \text{s.t.} \quad & S_t = \left[ \chi_k^{1/\gamma_k} K_{L,t}^{\frac{\gamma_k-1}{\gamma_k}} + (1 - \chi_k)^{1/\gamma_k} K_{IM,t}^{\frac{\gamma_k-1}{\gamma_k}} \right]^{\frac{\gamma_k}{\gamma_k-1}} \end{aligned}$$

- Foreign capital comes from Foreign banks while Home capital comes from Home banks and households

$$K_{L,t} = K_{B,L,t} + K_{H,t}$$

# Capital accumulation

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- Capital accumulation

$$K_{t+1} = (1 - \delta)K_t + I_t$$

- Capital market clearing: domestic capital is held by domestic households and domestic banks that lend in Home and in Foreign

$$K_t = K_{H,t} + K_{B,L,t} + K_{B,EX,t}$$

# Calibration

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- Cross border lending and banking market integration in the data
  - Domestic and cross-border (foreign) loans to non-financial corporations
  - Subsidiaries of foreign banks treated as domestic because they are domestically regulated even if they are foreign owned
  - Inter-bank lending is ignored: this is a short term market for sharing of liquidity not for taking credit risk
- Data from Individual Balance Sheet Items (IBSI) of EA Banks: bank-level information on lending to domestic and foreign firms (2003–2023)

$$\text{Share of cross-border loans}_t = \frac{\sum_b \text{Foreign Corporate Loans}_{b,t}}{\sum_b (\text{Domestic} + \text{Foreign Corporate Loans})_{b,t}}$$

- Data on Bank Default from Moody's Expected Default Frequency (EDF)

## Model vs Data Moments

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Targets	Definition	Data	Model
Real risk-free rate	$(\beta - 1) \times 400$	2.32	2.32
Capital requirement	$\phi$	0.08	0.08
Banks' default	$F(\bar{\omega}) \times 400$	0.665	0.665
Real equity return of banks	$(\rho - 1) \times 400$	7.066	7.066
Banks' price to book ratio	$\nu$	1.148	1.148
Share of cross-border loans	$K_{EX}/(K_{EX} + K_L)$	0.10	0.10

*Note:* Data targets used to calibrate the model as well as the corresponding model values.



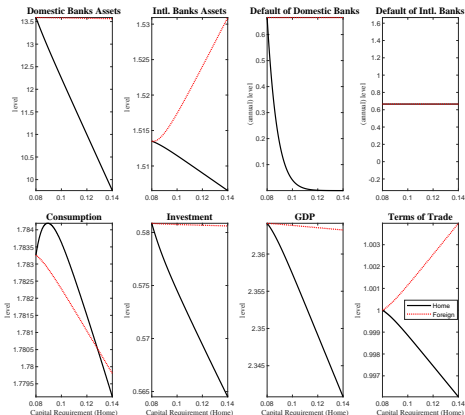
# Model parameters

## Baseline Calibration

Parameter	Notation	Value	Calibration
FINANCIAL			
Bank Survival	$\theta_B$	0.9098	Calibrated
Start-Up Funding	$\xi$	0.8075	Calibrated
SS Capital Requirement	$\phi_{ss}$	0.08	Calibrated
Default Costs	$\mu$	0.3	Preset
SS IID Risk	$\sigma_{B,ss}$	0.0286	Calibrated
INTERNATIONAL			
Substitution Elasticity Goods	$\gamma_c$	2	Preset
Substitution Elasticity Capital	$\gamma_k$	1.5	Herreno (2023)
Home Bias for Consumption	$\chi_c$	0.7	Preset
Home Bias for Capital	$\chi_k$	0.92	Calibrated

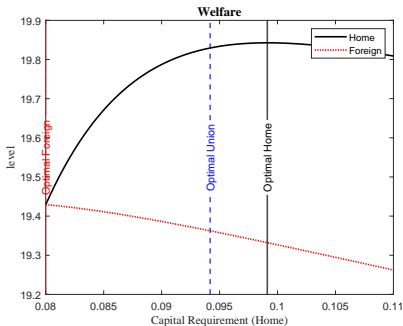
# (1) Capital Requirements on Domestic Lending

# CR Dom. Loans - Spillovers (w/o reciprocity)



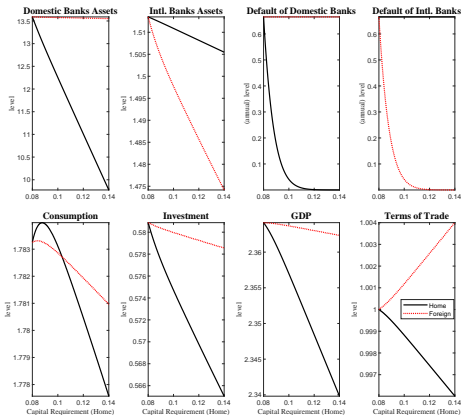
- **Trade spillovers (-):** Lower supply of Home goods
- **Bank lending spillovers (-)**
  - Foreign banks increase international lending ('macropru leakages')
  - But Home banks reduce cross-country lending

# CR Dom. Loans - Welfare (w/o reciprocity)



- Net negative spillovers
  - Never optimal for Foreign to have higher CR in the other country

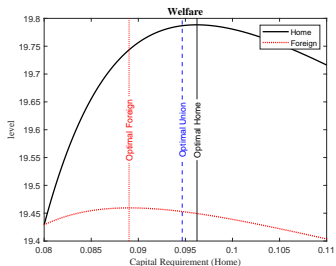
# CR Dom. Loans - Spillovers (reciprocity)



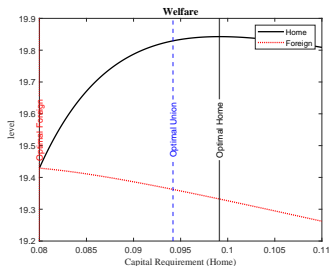
- **Bank solvency spillover (+):** Foreign international banks become safer
- Offsetting positive spillover!

# CR Dom. Loans - Welfare (reciprocity)

How do spillovers affect the optimal setting of CRs in the two countries?



(a) With Reciprocity

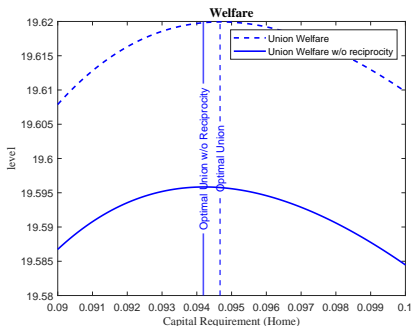


(b) W/o Reciprocity

- **With reciprocity:** offsetting negative and positive spillovers
- Smaller welfare cost from non-cooperative choices

# CR Dom. Loans - Reciprocity Framework

Is it beneficial to reciprocate capital requirement tightenings?

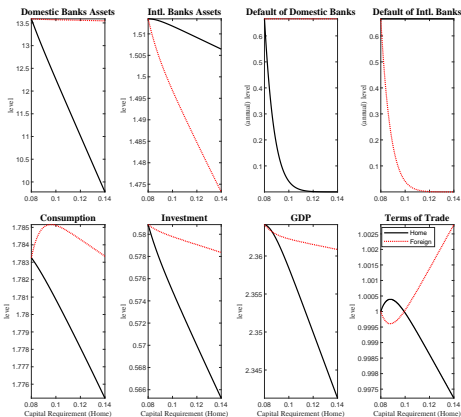


- Reciprocation of macroprudential measures leads to higher welfare from cooperation

## (2) Common Deposit Insurance



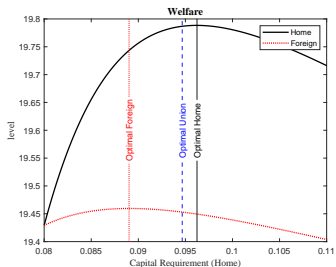
# CR Dom. Loans - Common DI: Spillovers (rec.)



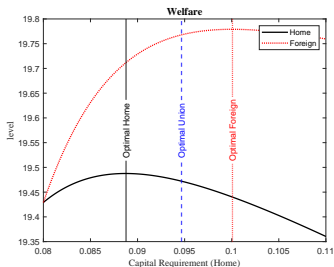
Common DI fundamentally changes the way the costs and benefits are distributed

- Home suffers most of the cost in terms of bank intermediation
- Half the benefit accrues to the Foreign fiscal authority

# CR Dom. Loans - Common DI: Welfare (rec.)



(a) National DI



(b) Common DI

- Sharing of DI payments, creates very large (+) bank solvency spillovers
- Net cross-country spillovers become positive
- Larger Welfare losses from non-cooperatively chosen CRs

# Conclusions

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- **Cross-border Spillovers of CR**
  - **Without Reciprocity:** Spillovers always negative
    - **Trade spillover (-):** lower supply of domestic goods also consumed abroad
    - **Bank lending spillover (-):** lower supply of foreign loans by domestic banks
  - **With Reciprocity:** Partially offsetting spillovers
    - **Solvency spillover (+):** higher CRs in one country makes the subsidiaries of foreign banks safer too
- **Reciprocation** of capital requirement increases beneficial
- **Common DI** amplifies positive spillovers
  - Net spillovers always positive also w/o reciprocity
  - Reciprocity remains optimal

# Background Slides

# Bankers

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- Bank equity held by a special set of households named Bankers
- Each period, some Bankers continue to be Bankers while others 'retire' and bring their accumulated wealth back to the representative household
- Supply of bank equity limited by Bankers' wealth
- Decide whether to invest equity in Home banks that lend at Home and Home banks that lend to Foreign

# Bankers' problem

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- Objective function

$$V_{B,t} = \max_{EQ_{L,t}, EQ_{EX,t}, dv_t} \{dv_t + \mathbb{E}_t [\Lambda_{t+1} [(1 - \theta_b) n_{t+1} + \theta_b V_{B,t+1}]]\}$$

- Budget constraint:

$$EQ_{L,t} + EQ_{EX,t} + dv_t = n_t$$

- Net worth evolution

$$n_{t+1} = \rho_{L,t+1} EQ_{L,t} + \rho_{EX,t+1} EQ_{EX,t}$$

# Bankers

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- Value function:

$$V_{B,t} = \nu_t n_t$$

- Dividends are zero when bank capital is scarce and  $\nu_t > 1$
- First order condition

$$\mathbb{E}_t [\Lambda_{t+1} (1 - \theta_b + \theta_b \nu_{t+1}) (\rho_{L,t+1} - \rho_{EX,t+1})] = 0$$

- Value of net worth

$$\nu_t = \mathbb{E}_t [\Lambda_{t+1} (1 - \theta_b + \theta_b \nu_{t+1}) \rho_{L,t+1}]$$

## Model: First order conditions

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$$1 = \mathbb{E}_t [\Lambda_{H,t+1} R_{t+1}] \frac{1}{1 + X_t}, \quad (2)$$

$$1 = \mathbb{E}_t [\Lambda_{H,t+1} \tilde{R}_{D,t+1}], \quad (4)$$

$$W_t = \varphi L_t^\eta C_t, \quad (6)$$

where we define the real stochastic discount factor

$$\Lambda_{H,t} = \beta_t \frac{C_{t-1}}{C_t}. \quad (8)$$



## Model: Bankers

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- Local banks: bankers in each country provide equity funding for banks
- Net worth evolution

$$N_t = [\theta_B + \xi(1 - \theta_B)]\rho_t N_{t-1}, \quad (9)$$

(10)

- Transfers back to the household in each country

$$T_B = (1 - \theta_B)(1 - \xi)\rho_t N_{t-1} \quad (11)$$

(12)

- Charter value of banker net worth

$$\nu_t = \mathbb{E}_t [\Lambda_{B,t+1}\rho_{t+1}], \quad (13)$$

where

$$\Lambda_{B,t} = \Lambda_{H,t}(1 - \theta_B + \theta_B\nu_t) \quad (14)$$

# Model Variant 1: MU-wide DI

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Deposit insurance costs shared between Home and Foreign

$$T_G = \mathcal{S} T_G^{MU} \quad (15)$$

$$T_G^* = \frac{1 - \mathcal{S}}{\mathcal{S}} RER_t^* T_G \quad (16)$$

# Model parameters

## Baseline Calibration

Parameter	Notation	Value	Calibration
PREFERENCES			
Discount Factor	$\beta$	0.9942	Calibrated
Frisch Elasticity	$\eta$	1	Preset
Dis-Utility Labour	$\varphi$	1	Preset
Portfolio Adjustment Costs	$\kappa_X$	1	Preset
TECHNOLOGY			
Capital Share	$\alpha$	0.3	Preset
Depreciation	$\delta$	0.03	Preset
Capital Adjustment Cost	$\psi$	2	Preset
Capital Service Cost	$\zeta$	0.00022	Calibrated

# Model parameters (2)

## Baseline Calibration

Parameter	Notation	Value	Calibration
FINANCIAL			
Bank Survival	$\theta_B$	0.9098	Calibrated
Start-Up Funding	$\xi$	0.8075	Calibrated
SS Capital Requirement	$\phi_{ss}$	0.08	Calibrated
Default Costs	$\mu$	0.3	Preset
SS IID Risk	$\sigma_{B,ss}$	0.0286	Calibrated
INTERNATIONAL			
Trade Elasticity	$\gamma$	2	Preset
Home Bias	$\chi$	0.7	Preset
Home Bias for Capital	$\chi_K$	0.92	Calibrated
STEADY STATES			
Net Foreign Assets	$B_{ss}$	0	Preset
Inflation	$\Pi_{ss}^*$	1.0044	Calibrated