# Long-term interest rates and bank loan supply: Evidence from firm-bank loan-level data 

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* The views expressed are ours and do not necessarily reflect those of the Bank of Japan or any of the institutions with which we are affiliated.


## Research background

- Empirical evidence on unconventional monetary policies (MP):
- Unconventional MP lowered long-term interest rates (Fukunaga et al. 2015, Gagnon et al. 2011, Krishnamurthy and Vissing-Jorgensen 2011).
- Institutional investors rebalanced their portfolios towards riskier assets (Carpenter et al. 2015, Joyce et al. 2014, Foley-Fisher et al. 2016).


## Research background

- Mixed evidence on the impact of unconventional MP on bank loan supply
- Unconventional MP increased bank loan supply (Bottero et al. 2022, Rodnyansky and Darmouni 2017).
- Unconventional MP (esp. negative interest rates) reduced bank loan supply (Brunnermeier and Koby 2018, Heider et al. 2019).


## What we do

- We examine whether the decline in long-term interest rates has stimulated bank loan supply.
- We examine three transmission channels of a change in long-term interest rates simultaneously.
- (i) portfolio balance channel
- (ii) bank balance sheet (BS) channel
- (iii) risk-taking channel
- Previous studies have examined these channels independently.
- Data: Firm-bank panel data in Japan during 20022014


## MP and long-term interest rates



## What we find

- Portfolio balance channel: Unanticipated reductions in long-term interest rates increased bank loan supply.
- The effect is stronger for banks with higher expected returns on loans.
- Bank BS channel: Banks that enjoyed capital gains on their bond holdings increased bank loan supply. However, we find an insignificant result when firm-year fixed effects are controlled for.
- Risk-taking channel: The positive effect of capital gains on bonds was stronger in the case of loans to smaller, more leveraged, and less creditworthy firms.
- The transmission channels of MP are heterogeneous among banks and firms.


## Outline

- Developments in monetary policy and bank portfolios in Japan
- Theoretical model (intuition)
- Data, empirical strategy
- Results
- Conclusion


## THEORETICAL MODEL

## Overview

- A simple mean-variance model of bank portfolio selection, subject to the value-at-risk (VaR) constraint (Adrian and Shin 2011)
- We consider a bank that invests in loans and government bonds, taking the prices of those assets as given.
- VaR constraint: Bank should hold sufficient net worth to absorb losses from loans and bonds under the stress event.


## Overview

- Three transmission channels through which a change in the price of bonds (long-term interest rates) affects bank loans supply
- Portfolio balance channel: net of "substitution effect" and "income effect"
- Bank BS channel: net worth effect
- Risk taking channel: larger net worth effect for riskier loans.


## Overview



## Bank's BS and expected profit

- Balance sheet constraint

$$
L+B=D+N
$$

where $L$ : loan, $B$ : bond, $D$ : deposit, $N$ : net worth

- Expected profit

$$
\begin{aligned}
& \mathrm{E}[\pi]=\mathrm{E}\left[r_{L} L+r_{B} B-r_{D} D\right] \\
& =\mathrm{E}\left[\left(r_{L}-r_{D}\right) L+\left(r_{B}-r_{D}\right) B-r_{D} N\right]
\end{aligned}
$$

where $r_{i}$ : interest rate of $i . r_{L}$ and $r_{B}$ are stochastic variables with mean and standard deviation ( $\mu_{L}, \sigma_{L}$ ) and $\left(\mu_{B}, \sigma_{B}\right)$. We assume $\operatorname{Corr}\left(r_{L}, r_{B}\right)=0$.

## Bank's portfolio selection

- Bank's optimization problem

$$
\operatorname{Max} \mathrm{E}[\pi]-\frac{\gamma}{2} \operatorname{Var}[\pi]
$$

- VaR constraint

$$
\left(\mu_{L}-n \sigma_{L}-r_{D}\right) L+\left(\mu_{B}-n \sigma_{B}-r_{D}\right) B+r_{D} N \geq 0
$$

$$
\underbrace{\frac{r_{D}-\left(\mu_{L}-n \sigma_{L}\right)}{r_{D}} L+\frac{r_{D}-\left(\mu_{B}-n \sigma_{B}\right)}{r_{D}} B \leq N}_{\substack{\text { Loss from loans under } \\ \text { the stress event }}}
$$

$n$ : the magnitude of stress (the volatility of bank assets under which the bank is solvent)

## Effect of a decrease in $\mu_{B}$



Increase in relative profitability of loans

Increase in loss from bonds under the stress event, which tightens the VaR constraint

【 $\frac{\partial L}{\partial \mu_{B}}$, substitution effect>income effect】


## Effect of an increase in $N$



【 $\frac{\partial L}{\partial N}$, net worth effect】

$L$

## Effect of an increase in $N$

- Introducing 2 types of loans: safe $L$ and risky $R$
- Risky loans have a higher mean, higher standard deviation, and lower Sharpe ratio (risk premium),

$$
\mu_{L}<\mu_{R}, \sigma_{L}<\sigma_{R}, \frac{\mu_{L}-r_{D}}{\sigma_{L}}>\frac{\mu_{R}-r_{D}}{\sigma_{R}} .
$$

- Under the above assumptions, we can show:

$$
\frac{\partial\left[R^{* *} / L^{* *}\right]}{\partial N}>0
$$

- In response to an increase in net worth, the bank increases risky loans more than safe loans.


## DATA, EMPIRICAL STRATEGY, AND VARIABLES

## Data and sample selection

- Firm-bank matched loan-level data for 2002-2014
- Unbalanced panel: 379,989 observations
- Firm and loan data: Teikoku Databank (TDB) database
- Sample selection: Firms for which data on (i) the total loans outstanding, (ii) the amount of loans outstanding from at least two banks, and (iii) the TDB credit score are available
$\rightarrow \underline{48,975}$ firms
- Bank-level data: Nikkei Financial Quest, JBA, annual reports
- Sample selection: City banks, regional banks, Shinkin banks.
$\rightarrow 408$ banks
- Macroeconomic variables: Nikkei Financial Quest


## Identification challenges

- Disentangling the effect on loan supply from that on loan demand.
- Our strategy: Using firm-bank panel data to control for loan demand using fixed effects (e.g., firm-year FE).
- Endogeneity of MP
- If a change in MP is anticipated, there is a possibility of reverse causality (Khawaja and Mian 2008).
- Our strategy: Employing changes in long-term forward interest rates, which reflect unanticipated component of expected returns on bonds
- Some studies rely on settings where MP is independent of economic conditions (Jiménez et al. 2012, loannidou et al. 2015)


## Empirical strategy

- Usual OLS regression yields biased estimates of $\alpha$ if a firm-specific loan demand shock is unobservable.

$$
\begin{aligned}
& \triangle L O A N S(i, j) \text { Portfolio balance channel } \\
& =\alpha_{0}+\alpha_{1} \triangle B O N D R A T E+\alpha_{2} B K_{-} C A P G A I N(j) \\
& +\alpha_{3} F_{-} D E M A N D(i)+\varepsilon(i, j) \quad \text { Bank BS channel }
\end{aligned}
$$

- If we observe a change in loans to the same firm by another bank $j^{\prime}$, we can eliminate $F_{\text {_ }} D E M A N D(i)$ by taking differences of two equations. Sample selection: firms that

$$
\begin{aligned}
& \Delta L O A N S(i, j)-\Delta L O A N S\left(i, j^{\prime}\right)=\text { are excluded } \\
& \alpha_{2}\left\{B K_{-} C A P G A I N(j)-B K_{-} C A P G A I N\left(j^{\prime}\right)\right\}+ \\
& \left\{\varepsilon(i, j)-\varepsilon\left(i, j^{\prime}\right)\right\}
\end{aligned}
$$

## Empirical specification (1)

- Main estimations
$\beta_{1}<0$ if substitution effect > income effect

$$
\Delta \operatorname{LOANS}(i, j, t)=\beta_{0}+\beta_{1} \triangle B O N D R A T E(t-1)
$$

$i:$ firm, $j$ : bank, $t$ : year
$+\boldsymbol{\beta}_{\mathbf{3}}$ CONTROLS + Fixed Effects $+\varepsilon(i, j, t)$
$\beta_{\beta_{2}>0 \text { if net worth effect exists }}^{+\beta_{2} B K_{-} \operatorname{CAPGAIN}(j, t-1)}$
(i) firm, bank, (ii) firm, year, bank, (iii) firm-year, bank

- Specifications (ii) and (iii): we cannot estimate $\triangle B O N D R A T E$


## Empirical specification (2)

- Cross-term estimations
$\Delta \operatorname{LOANS}(i, j, t)=\theta_{0}$
$\theta_{1}<0$ if substitution effect is
stronger for banks facing higher loan rates
$+\theta_{1} \triangle B O N D R A T E(t-1) \times B K \_\Delta L O A N R A T E(j, t-1)$ $+\theta_{2} B K_{-} C A P G A I N(j, t-1)$
$+\theta_{3}$ CONTROLS + Fixed Effects $+\varepsilon(i, j, t)$
firm-year, bank
- Interaction terms with bank-specific loan interest rates show the heterogeneity among banks regarding the portfolio balance channel.


## Empirical specification (3)

- Cross-term estimations

$$
\Delta \operatorname{LOANS}(i, j, t)=\lambda_{0}
$$

$\beta_{2}>0$ if net worth effect is stronger for loans to risky firms $+\lambda_{1} B K_{-} C A P G A I N(j, t-1) \times F I R M_{-} R I S K(i, t-1)$ $+\lambda_{3}$ CONTROLS + Fixed Effects $+\varepsilon(i, j, t)$ firm-year, bank

- Interaction terms with firm-level variables representing firms' riskiness (size, leverage, credit score) show whether the effect of increase in bank net worth is stronger for loans to riskier firms (risk-taking channel).


## RESULTS

## Main results (Table 3)

|  | (i) | (ii) | (iii) | (iv) |
| :---: | :---: | :---: | :---: | :---: |
| Key independent variables |  |  |  |  |
| $\triangle B O N D R A T E$ | $\begin{array}{ll} -1.84 & * \\ (0.95) & \end{array}$ |  |  |  |
| BK_CAPGAIN | $\begin{aligned} & 5.11 \quad * * * \\ & (1.38) \end{aligned}$ | $\begin{aligned} & 3.37 \\ & (2.00) \end{aligned}$ | $\begin{aligned} & 4.33 \\ & (2.71) \end{aligned}$ | $\begin{aligned} & 4.20 \\ & (2.72) \end{aligned}$ |
| $\triangle B O N D R A T E \times B K \_\triangle L O A N R A T E$ |  |  |  | $\begin{aligned} & -4.57 \quad * * * \\ & (1.15) \end{aligned}$ |
| Macroeconomic controls | YES | - | - | - |
| Bank characteristics | YES | YES | YES | YES |
| Firm characteristics | YES | YES | - | - |
| Fixed effects |  |  |  |  |
| Firm | YES | YES | - | - |
| Year | - | YES | - | - |
| Firm-year | - | - | YES | YES |
| Bank | YES | YES | YES | YES |
| Observations | 379,989 | 379,989 | 379,989 | 379,846 |
| Adjusted $R^{2}$ | 0.04 | 0.04 | 0.21 | 0.21 |

# Main results (Table 3) 

(i)
(ii)
(iii)
(iv)

## Key independent variables

| $\triangle B O N D R A T E$ | -1.84 | $*$ |
| :--- | :--- | :--- |

Portfolio balance channel: $\triangle B O N D R A T E$ is inegative and weakly significantNRATE
MaModest but not negligible economic significance: A 100${ }^{\text {Ba }}$ Batsis foint decrease in the long-term forward râte Firp charateristicloan growth rate (mean: $-5.2 \%$ ) by 1.8
percentage points.

YES

| Year | - | YES | - | - |
| :--- | :---: | :---: | :---: | :---: |
| Firm-year | - | - | YES | YES |
| Bank | YES | YES | YES | YES |
| Observations | 379,989 | 379,989 | 379,989 | 379,846 |
| Adjusted $R^{2}$ | 0.04 | 0.04 | 0.21 | 0.21 |

# Main results (Table 3) 



Bank BS channel: BK_CAPGAIN is significantly positive in column' (i), buit it is weakly significant in column (ii) and insignificant in column (iii).

Fixed effects

| Firm | YES | YES | - | - |
| :--- | :---: | :---: | :---: | :---: |
| Year | - | YES | - | - |
| Firm-year | - | - | YES | YES |
| Bank | YES | YES | YES | YES |
| Observations | 379,989 | 379,989 | 379,989 | 379,846 |
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## Main results (Table 3)

|  | (i) | (ii) | (iii) | (iv) |
| :---: | :---: | :---: | :---: | :---: |
| Key independent variables |  |  |  |  |
| ABONDRATE | $\begin{aligned} & -1.84 \\ & (0.95) \end{aligned}$ |  |  |  |
| BK_CAPGAIN | $\begin{array}{cc} 5.11 & * * * \\ (1.38) & \\ \hline \end{array}$ | $\begin{gathered} 3.37 \\ (2.00) \\ \hline \end{gathered}$ | $\begin{aligned} & 4.33 \\ & (2.71) \\ & \hline \end{aligned}$ | $\begin{aligned} & 4.20 \\ & (2.72) \\ & \hline \end{aligned}$ |
| $\triangle B O N D R A T E \times B K \_$ILOANRATE |  |  |  | $\begin{array}{ll} \hline-4.57 & * * * \\ (1.15) & \\ \hline \end{array}$ |
| Relativecstrength of the porstfolio balancechannel: |  |  |  |  |
| $\triangle B O N D R A T c E \times B K \_\triangle L O Y N R A T E E$ is significantly negative. |  |  |  |  |
|  irm easpecially for a bank facing a higher loan rate. |  |  |  |  |
| Firm-year | - | - | YES | YES |
| Bank | YES | YES | YES | YES |
| Observations | 379,989 | 379,989 | 379,989 | 379,846 |
| Adjusted $R^{2}$ | 0.04 | 0.04 | 0.21 | 0.21 |

## Risk-taking channel (Table 4)

## (i)

(ii)
(iii)

| Interaction term with | $d u m_{-} F_{-}$ | $d u m_{-} F_{-}$ | $d u m_{-} F_{-}$ |
| :---: | :--- | :--- | :--- |
| $B K_{-} C A P G A I N$ | $\operatorname{lnT} A_{-}$small | $C A P_{-}$small | $S C O R E_{-} l o w$ |



## Risk-taking channel (Table 4)

(i)
(ii)
(iii)

Interaction term with $\quad d u m_{-} F_{-} \quad d u m_{-} F_{-} d u m_{-} F_{-}$
BK_CAPGAIN InTA_small CAP_small SCORE_low

| Below / |
| :--- |
| above |
| median | \(\left\{\begin{array}{l}Small (low) <br>

Large (high)\end{array}\right.\)

| $15.29 * * *$ | $8.83 * * *$ | $6.57 \quad *$ |  |
| :---: | :---: | :---: | :---: |
| $(4.97)$ | $(2.79)$ | $(3.62)$ |  |
| 0.54 | -2.76 | 3.64 |  |
| $(2.87)$ | $(4.57)$ | $(3.36)$ |  |

## Risk-taking channel: Significant positive coefficients for firms that are smaller, have a lower capital-asset ratio, and have a lower credit score <br> Obsetvatons worth effect is stronger for loans to riskier firms.

| Adjusted $R^{2}$ | 0.21 | 0.21 | 0.21 |
| :--- | :--- | :--- | :--- |

## CONCLUSION

## Summary

- It is important to take the heterogeneity across banks and borrowing firms into account when examining the transmission channels of MP.
- The portfolio balance channel was stronger for banks with higher expected returns on loans.
- The bank BS channel was stronger in the case of loans to smaller, more leveraged, and less creditworthy firms (risk-taking channel).


## END OF PRESENTATION THANK YOU

## SUPPLEMENTARY SLIDES

## Variables: $\triangle L O A N S$

## Log change in firm $i$ 's total loans outstanding from bank $j$



## Variables: $\triangle B O N D R A T E, B K \_C A P G A I N$

- $\triangle$ BONDRATE : Difference between the forward interest rates observed in year $t-1$ for 10 -year bonds starting in year $t$ and the forward rate observed in year $t$-2 for the same 10-year bond starting in year $t$ $\triangle$ BONDRATE $=f_{t-1}(t, t+10)-f_{t-2}(t, t+10)$
- BK_CAPGAIN : Bank-specific capital gains/losses due to changes in prices of bonds held

$$
\frac{-\sum_{s}\left(\triangle B O N D R A T E_{-} S P O T_{t}(s) \times B K_{-} B O N D_{t-1}(s) \times s\right)}{B K_{-} T A_{t-1}}
$$

where $s$ : maturity of bonds

## Variables: $\triangle B O N D R A T E, B K \_C A P G A I N$



## Other control variables

- Macroeconomic controls: $\triangle L O A N R A T E, \triangle N P L, \triangle G D P$, $\triangle$ TOPIX
- Bank characteristics: $B K_{-} C A P, B K_{-} C A P \_S Q, B K_{-} N P L$, BK_LIQ, BK_ROA, BK_lnTA
- Bank-firm relationships: BK_MAIN
- Firm characteristics: $F_{-} C A P, F_{-} L I Q, F_{-} R O A$, $F_{-} \triangle S A L E S, F_{-} l n T A, F_{-} A G E, F_{-} \ln N B A N K S$
- To deal with possible outliers, following variables are winsorized at the upper and lower 0.5 percentiles : $\triangle L O A N S, F_{-} C A P, F_{-} L I Q, F_{-} R O A, F_{-} \Delta S A L E S$

