

The Dollar and Global Financial Collapse

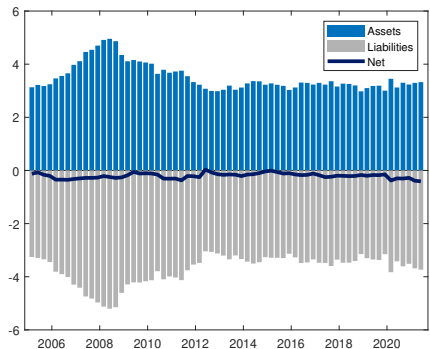
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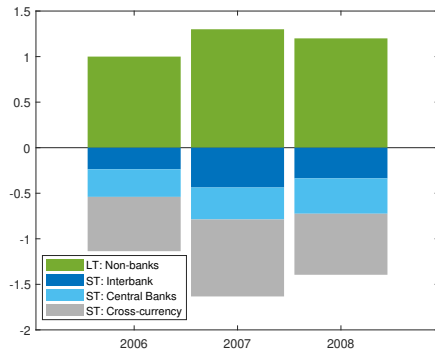
EEA-ESEM 2023
Barcelona, August 2023

Facts

1. Non-US global banks **borrow and invest** heavily in **dollars** (~ 14% of portfolio)
2. Their short-term funding and long-term assets generate **dollar short-term needs**
3. During a crisis, the **dollar appreciates** and **liquidity shortages** arise.



Dollar assets and liabilities of EU banks
(\$ trillions)



Net dollar positions of EU banks,
by counterparty (\$ trillions)

[More data](#)

Motivation

- ▶ All banks struggle during a crisis, but especially non-US global banks
 - * Why? No easy access to \$ from the Fed or stable deposits
- ▶ Problem can become **global** (large holdings of US assets by global banks)
- ▶ Triggered a **massive Fed intervention (Swap Lines)**
 - * > 500\$bn Swap Lines outstanding, during GFC and Covid-19
 - * > 14 central banks benefited
 - * Fed acting as the **international lender of last resort (IOLLR)**

This Project

► Questions

- * Why are the Fed's swap lines needed and what are their **macro implications**?
- * Are the **incentives of the US** aligned with the rest of the world?

► **Approach:** Stylized and tractable model of the global economy around the GFC

- * Self-fulfilling crises (Bocola & Lorenzoni, 20) + Global Banks (Gabaix & Maggiori, 15)
- * **New:** maturity mismatches in \$ in AE + international spillovers

► **Contribution**

- * Macro implications of swap lines and the **Fed as ILOLR**. Bahaj and Reis (21), Cesa-Bianchi et al. (23).
- * Framework to think about \$ ↑ during a global crisis. Kekre & Lenel (22), Maggiori (17), Gourinchas et al. (17)

Sketch of the model

Ingredients

- ▶ Two countries (EU, US (*)). $t \in \{1, 2\}$
- ▶ 1 Tradable good and 1 Non-Tradable (numéraire) in each country.
 - * **Exchange rate** e_t : quantity of *euros* bought by one *dollar*: $\uparrow e_t \equiv \uparrow \$$
 - * Law of one price: $e_t p_t^* = p_t$
- ▶ **Agents:** EU and US Households, Global Banks (EU-owned)

Households

- ▶ Endowments of T and NT in both periods.
- ▶ EU receive Π from banks in $t = 2$.

Households

- ▶ Endowments of T and NT in both periods.
- ▶ EU receive Π from banks in $t = 2$.
- ▶ US access to **bonds B^* in dollars** paying R^* . EU access to **bonds B in euros** paying R .
- ▶ US hold preexisting \$ deposits L^* with global banks.

Banks

- ▶ Start $t = 1$ with pre-existing positions (*from Facts 1 & 2*):
 - * **Short-term \$ liabilities** L^* to be repaid in $t = 1$
 - * **Long-term assets** in \$ and in €, with gross returns A^* and A in $t = 2$
- ▶ Roll-over L^* with B and B^* bonds to obtain profits Π in $t = 2 \Rightarrow R = R^* \frac{e_2}{e_1}$ (UIP)

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- ▶ **Financial friction:** can divert a fraction $\gamma < 1$ of the funds they intermediate, $B + e_1 B^*$.

$$\frac{\Pi}{R} \geq \gamma(B + e_1 B^*) = \gamma e_1 L^* \quad (\text{IC})$$

- ▶ If households do not provide the funds to roll-over their debt, **banks go bankrupt.**

Liquidation implies: $A^*, A \rightarrow 0$ and $L^* \rightarrow 0 \Rightarrow \Pi = 0$

Self-fulfilling crises

State of the economy: the ER matters

- ▶ Using Π , UIP and roll-over needs, banks operate if:

$$\underbrace{e_1 \frac{A^*}{R^*} + \frac{A}{R}}_{\text{Discounted gross profits}} \geq \underbrace{(1 + \gamma)e_1 L^*}_{\text{Roll-over needs + funds at risk}} \quad (\text{IC})$$

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- ▶ Focus on the case with \$ solvency **but \$ liquidity shortages**:

$$\frac{A^*}{R^*} - L^* > 0$$

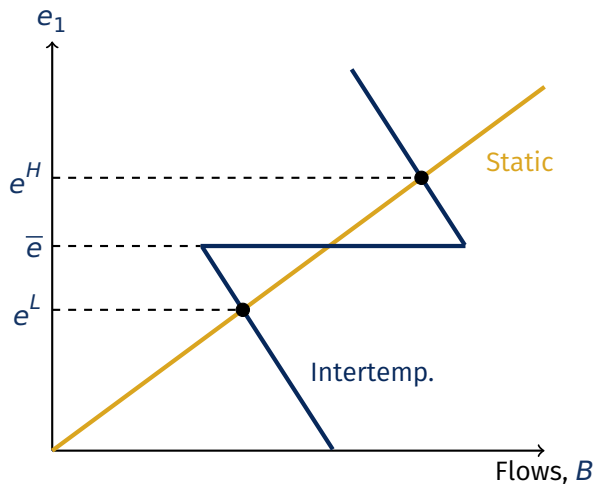
$$\frac{A^*}{R^*} - (1 + \gamma)L^* < 0$$

↑ \$ tightens
financial constraint

- ▶ Define \bar{e} as the e_1 that makes the IC hold with equality. Then,
 - * If $e_1 < \bar{e}$: **Banks operate** $\Rightarrow \Pi > 0$, investment materializes.
 - * If $e_1 > \bar{e}$: **Banks collapse** $\Rightarrow \Pi = 0$, investment is lost.

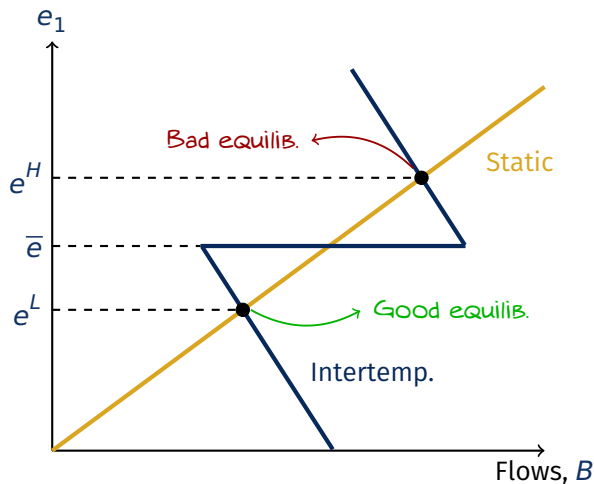
Multiple Equilibria

Capital Flows and Exchange Rate



Multiple Equilibria

Capital Flows and Exchange Rate



Self-fulfilling crises

► “Bad” equilibrium (with e^H) resembles a **global financial crisis**:

i) dollar appreciation

ii) global banks struggling

iii) ↓ EU Agg. Demand

iv) ↑ net capital flows to the US

Self-fulfilling mechanism defines the equilibrium:



Numerical example

Table Parameter values

Variable	Description	Value	Notes
θ, θ^*	NT preference	0.9	G&M (2015)
β, β^*	Discount factors	0.985	G&M (2015)
η_t	EU % T endowm.	[0.45,0.5]	Data
γ	Financial friction	0.38	Multiple Eq.

FOR THIS EXAMPLE: $A^* = .05, L^* = .04, A = .11, L = .075,$
 $Y_1^N = 2.62, Y_1^{*N} = 2.55, Y_2^N = Y_2^{*N} = 2.5.$

Table Targeted variables

Variable	Description	Target	Model
$\frac{A^*}{A^* + Y_2^{*N}}$	US output loss	2.2%	2.1%
$\frac{A}{A + Y_2^N}$	EU output loss	1.8%	4.3%
$\frac{e^H - e^L}{e^L}$	ER depreciation	12.5%	12.6%
	\$ shortage (%)	15%	15%
R^*	US interest rate	1.013	1.013
R	EU interest rate	1.015	1.015

Lending of Last Resort

Intervention by the ECB

- ▶ **Main idea:** Central Bank can rule out the pessimistic expectations, if it commits to provide the required liquidity to banks, **even if the ER is high.**
- ▶ Follow [Bocola & Lorenzoni \(2020\)](#): CB transfers NT goods to banks, financed with linear taxes τ on households' NT endowment, Y^N .

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- ▶ ECB transfers euros to cover banks' \$ liquidity needs,

$$\underbrace{\tau \cdot Y^N}_{\text{Transfer}} = \underbrace{e_1 \cdot L^*}_{\text{\$ debt}} = f(e_1)$$

- ▶ Assume **limited fiscal/monetary capacity:** $\tau < \bar{\tau}$. Intervention is **not feasible** if

$$\underbrace{\bar{\tau} \cdot Y^N}_{\text{Max Transfer}} < \underbrace{e_1^H \cdot L^*}_{\text{\$ debt during crisis}}$$

Intervention by the ECB

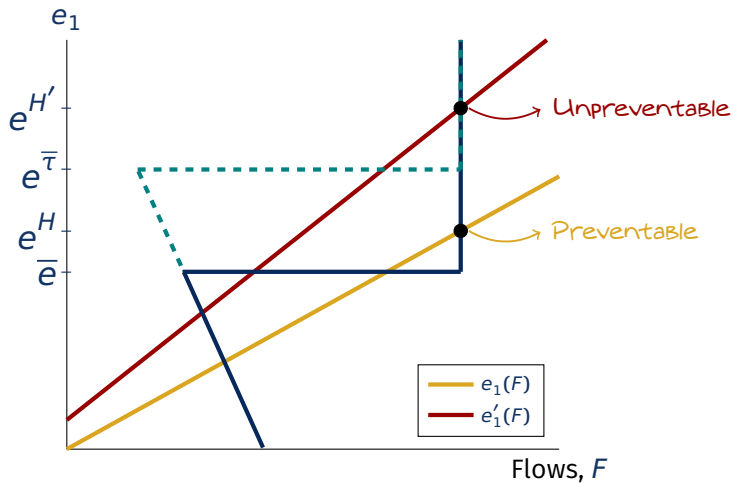


Figure Intervention by ECB

Intervention by the Fed (Swap Lines)

- ▶ Similar intervention, but with tax on US HH. Same **limited fiscal capacity**: $\tau^* < \bar{\tau}$.
- ▶ Fed transfers \$ to cover banks' \$ liabilities,

$$\tau^* Y^{*N} = L^* \neq f(e_1)$$

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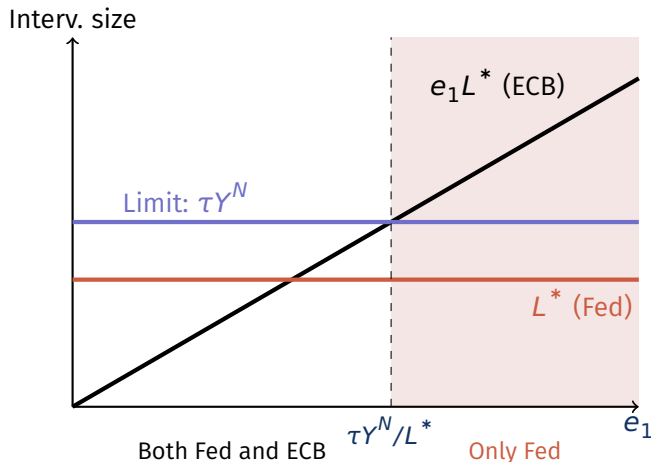
Take away

- ▶ Assume $Y^N = Y^{*N}$. **Only the Fed can eliminate the “bad” equilibrium if**

$$\underbrace{e_1^H L^*}_{\text{Liq. needs in euros}} > \underbrace{\bar{\tau} Y^N}_{\text{Maximum intervention}} > \underbrace{L^*}_{\text{Liq. needs in dollars}}$$

Intervention by the Fed (Swap Lines)

Figure Intervention by Fed and ECB



Winners and Losers

► Consequences of a collapse:

- * Loss of productive investment projects A^* and A (US and EU NT goods in $t = 2$)
- * Loss of EU loses banks' profits Π and L^* (not repaid)

1. NT sector: both countries lose, $\downarrow C_2^{*N}$ and $\downarrow C_2^N$

2. T sector: **US consumes more** and **EU less**, $\uparrow C_t^{*T}$ and $\downarrow C_t^T$

- * Global crisis \Rightarrow \uparrow capital flows to the US and stronger dollar

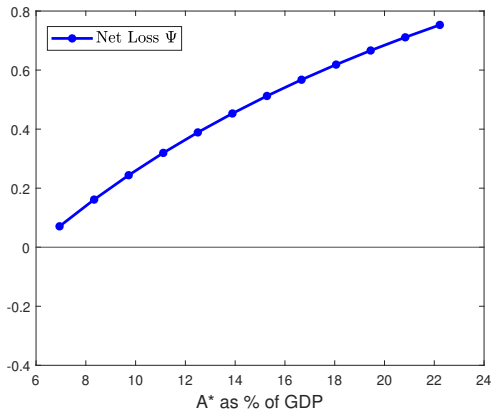
- * Relative prices in US go down, $\uparrow e_t = \uparrow \frac{p_t}{p_t^*}$

► **EU impacted negatively** (always) but **US faces a trade-off**

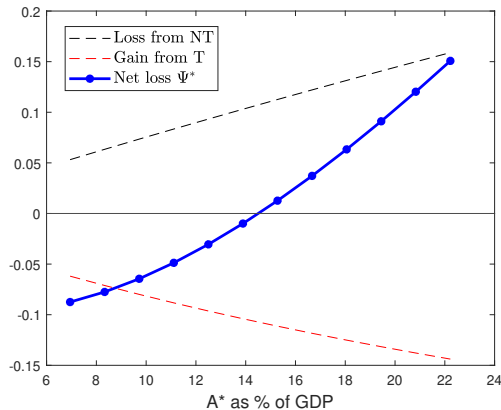
Winners and Losers

Welfare losses as a function of A^*

(a) For the EU



(b) For the US



Conclusions

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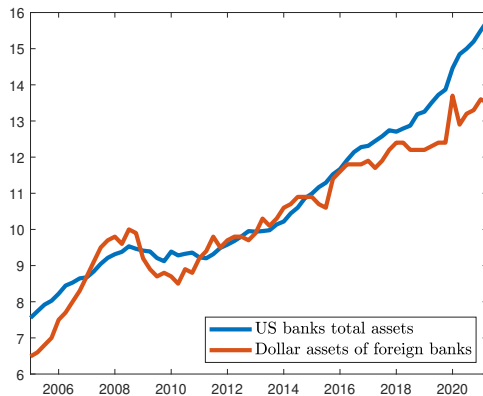
- ▶ **Self-fulfilling expectations** about the exchange rate can lead to **global financial crises** due to the exposure of large global banks to dollar shortages.
- ▶ **Foreign CBs can do little** to eliminate bad equilibrium (e.g. € weaker during a crisis)
- ▶ **Fed** can provide \$ liquidity, but **faces a trade-off**
 - * During a crisis, US households can benefit from a stronger dollar...
 - * ...but they lose investments in productive US assets if banks collapse

Conclusions

- ▶ **Self-fulfilling expectations** about the exchange rate can lead to **global financial crises** due to the exposure of large global banks to dollar shortages.
- ▶ **Foreign CBs can do little** to eliminate bad equilibrium (e.g. € weaker during a crisis)
- ▶ **Fed** can provide \$ liquidity, but **faces a trade-off**
 - * During a crisis, US households can benefit from a stronger dollar...
 - * ...but they lose investments in productive US assets if banks collapse
- ▶ Also in the paper
 - * How can these imbalances arise?
 - * Moral Hazard problem: Fed vs ECB vs Global Banks

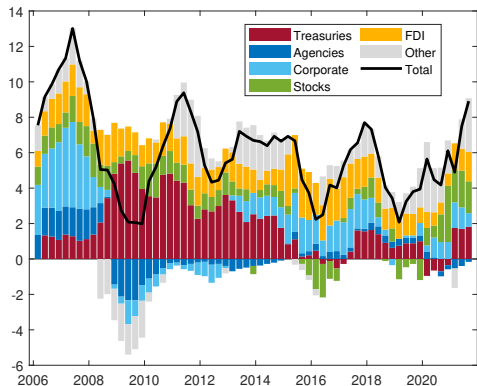
Thank you!

- ▶ Non-US global banks have a large footprint in dollar banking.

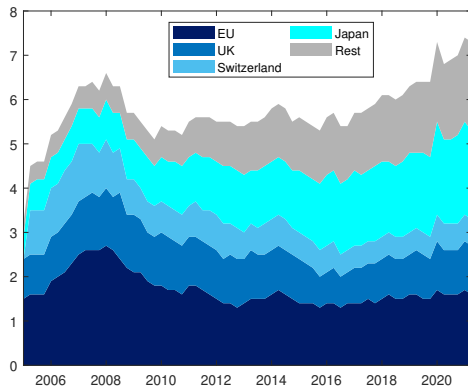


Dollar cross-border foreign currency claims
and US banks' total assets (\$ trillions)

- ▶ Non-US global banks have a large footprint in dollar banking.

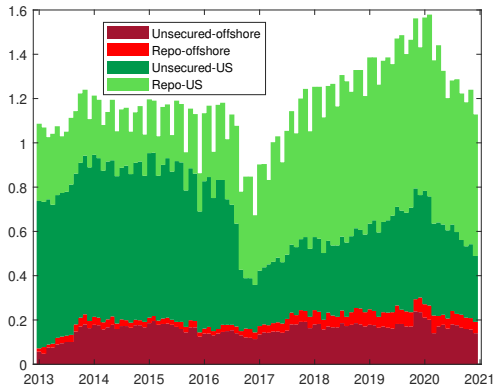


Purchases of US assets by foreigners (% of GDP)

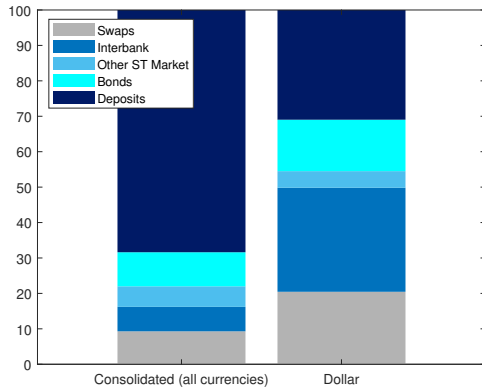


Foreign claims on US counterparties (\$ trillions)

► Dollar funding of non-US global banks is short-term and fragile.



Money Market Funds funding (\$ trillions)



Funding Structure of non-US global banks, 2017 (%)

US prime money funds' assets, mid-2008

[← Back](#)

Fund	Non-US banks (%)	EU banks (%)	Net assets (\$ bill.)
Fidelity Cash Reserves	63	51	128
JPMorgan Prime Money Market	67	62	120
Vanguard Prime Money Market	33	24	106
BlackRock Liquidity Temp Reserve Primary	51	47	68
Schwab Value Advantage	43	37	65
GS FS Prime Obligations	54	40	61
Dreyfus Inst Cash Advantage	0	0	56
Fidelity Inst Money Market	62	51	49
Morgan Stanley Inst Liq Prime	61	54	47
Dreyfus Cash Management	37	37	34
AIM STIT Liquid Assets	70	56	33
Barclays Inst Money Market	57	45	32
Merrill Lynch Premier Inst Portfolio	24	19	31
Fidelity Inst MM: Prime	60	51	26
Total	56	47	21
	50	42	878

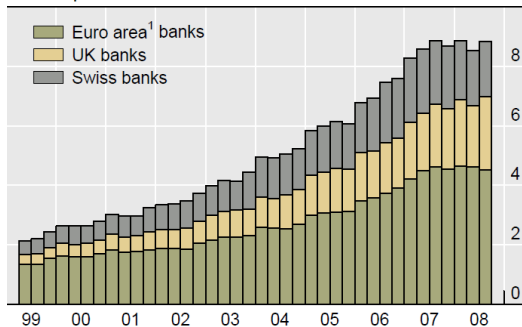
SOURCE: Baba et al. (2009).

Why Swap Lines now?

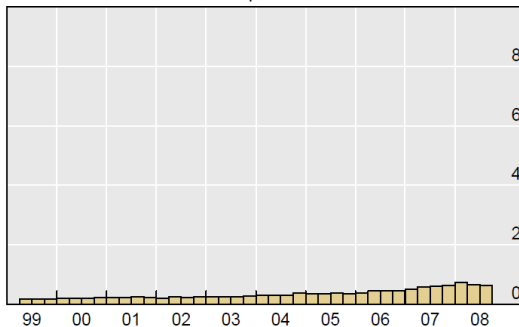
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Asymmetry in international banking

European banks' assets in US dollars



US banks' assets in European currencies²



¹ Includes Austria, Belgium, France, Germany, Greece, Ireland, Italy, the Netherlands, Portugal and Spain. ² Euro, pound sterling and Swiss franc. Pound sterling covers only US banks' UK offices; Swiss franc covers only US banks' Swiss offices.

Sources: BIS consolidated statistics (immediate borrower basis); BIS locational statistics by nationality.

Graph 1

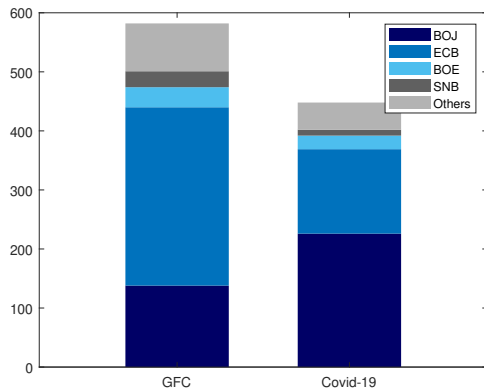
"The Swap Lines are designed to *improve liquidity conditions* in dollar funding markets in the US and *abroad* [...] during times of stress. They have helped to ease strains in financial markets and *mitigate their effects on economic conditions.*"
(Federal Open Market Committee)

Central banks [+ Add to myFT](#)

Central banks announce dollar liquidity measures to ease banking crisis

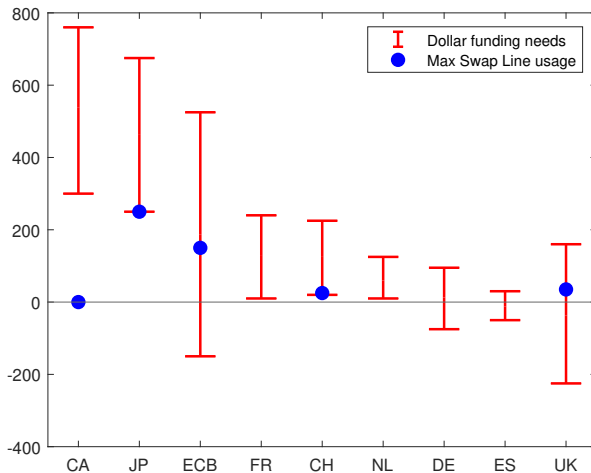
Turmoil prompts authorities to launch daily operations to access dollar funding via standing swap lines

Colby Smith in Washington and Martin Arnold in Frankfurt MARCH 19 2023



Outstanding Swap Lines usage (US\$ billions)

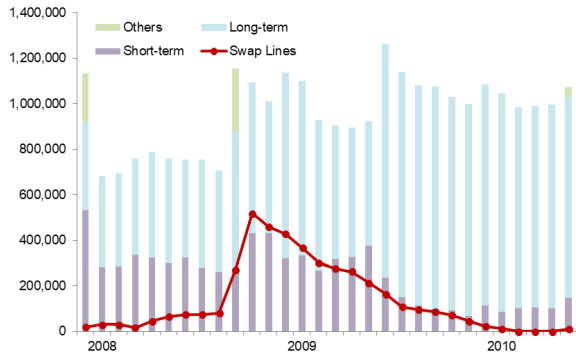
Who used the Swap Lines?



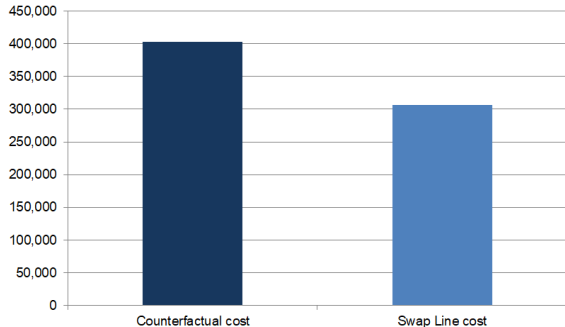
Short-term funding needs and central bank swap lines, by banking system (USD bn)

Is this relevant in magnitude? [◀ Back](#)

(a) Liquidity injections by the ECB outstanding, USD millions



(b) Interest payments of the ECB on Dollar loans in 2008-2009, USD millions



- ▶ Swap Lines equivalent to **40%** of the ECB euro liquidity injection at the peak of the GFC.
- ▶ Over 2008-2009, the ECB/EU-Banks would have had to spend an additional **\$100 billion**.

- ▶ **Self-fulfilling crises.** Calvo (1988), Schmitt-Grohé & Uribe (2016), Obstfeld (1996), Cole & Kehoe (2000), Céspedes et al. (2017), Aguiar et al. (2017), Farhi & Maggiori (2018), Bocola & Lorenzoni (2020).
- ▶ **Role of the US and the dollar** in the international monetary system. Farhi & Maggiori (2018), Maggiori (2017), Gourinchas, Rey, & Govillot (2018), Kekre and Lenel (2021), Cesa-Bianchi & Eguren-Martin (2021), Obstfeld & Zhou (2022).
- ▶ **Empirical work on Swap Lines:** effective in easing strains in dollar funding markets. Baba & Packer (2009), Aizenman & Pasricha (2010), Moessner & Allen (2013), Aizenman et al. (2021), Bahaj & Reis (2020), Goldberg & Ravazzolo (2022), Ferrara et al. (2022).
- ▶ **Theoretical work on Swap Lines.** Bahaj & Reis (2022), Eguren-Martin (2020), Marin (2022), Cesa-Bianchi et al. (forth.)

Optimality conditions

▶ EU FOCs:

$$\text{Euler: } p_{t+1} C_{t+1}^T = \beta R_t p_t C_t^T$$

$$\text{NT demand: } C_t^N = \frac{\theta}{1-\theta} p_t C_t^T$$

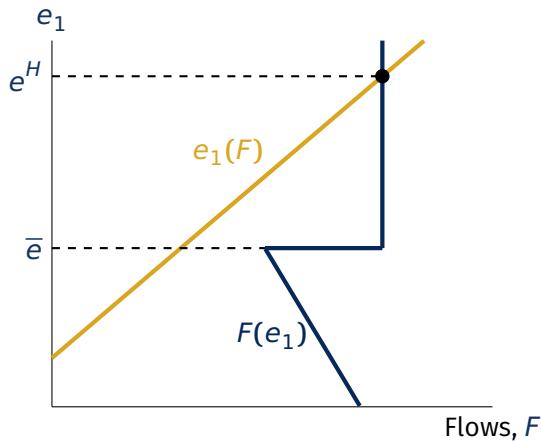
▶ US FOCs:

$$\text{Euler: } p_{t+1}^* C_{t+1}^{*T} = \beta^* R_t^* p_t^* C_t^{*T}$$

$$\text{NT demand: } C_t^{*N} = \frac{\theta^*}{1-\theta^*} p_t^* C_t^{*T}$$

Equilibrium depends on fundamentals [← Back](#)

(a) Unique Equilibrium
Low β



(b) Unique Equilibrium,
low η_1 (EU T as % of total)

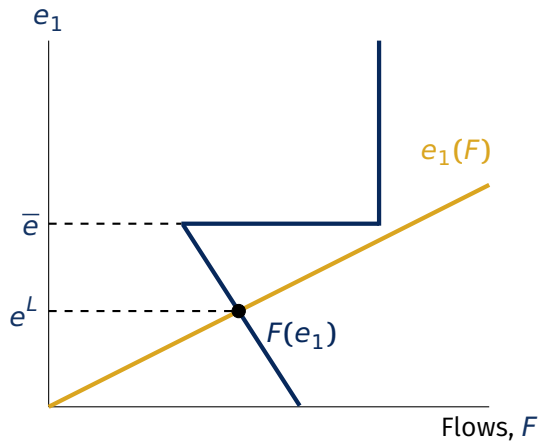


Figure Exchange rate and Capital Flows

Multiple equilibria ◀ Back

When can they arise?

▶ **Bad eq:**

$$e_1^H = \frac{1-\eta}{\eta}$$

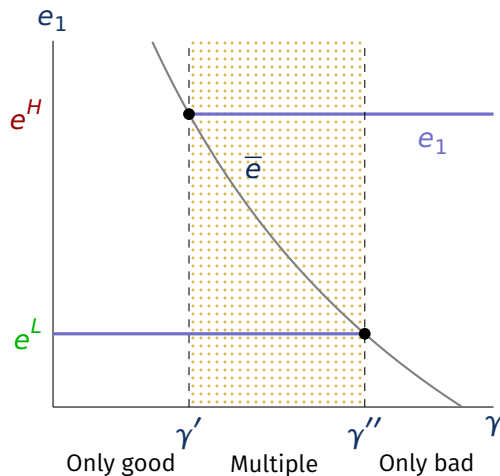
▶ **Good eq:**

$$e_1^L = \frac{1-\eta}{\eta + \frac{\theta}{1-\theta} \frac{1}{1+\beta} \left(\frac{1}{R^*} A^* - L^* \right)}$$

▶ **Threshold:**

$$\bar{e} \equiv \frac{A/R}{(1+\gamma)L^* - A^*/R^*}$$

Figure Equilibrium exchange rate and financial constraint γ



- ▶ Exchange rates in equilibrium

$$\text{Good eq. : } e_1^L = \frac{1 - \eta}{\eta + \frac{\theta}{1 - \theta} \frac{1}{1 + \beta} \left(\frac{1}{R^*} A^* - L^* \right)}$$

$$\text{Bad eq. : } e_1^H = \frac{1 - \eta}{\eta}$$

$$\text{Threshold : } \bar{e} \equiv \frac{A/R}{(1 + \gamma)L^* - A^*/R^*}$$

- ▶ Different scenarios arise,

$$\bar{e} < e^L < e^H \quad : \text{ only bad eq. possible}$$

$$e^L < \bar{e} < e^H \quad : \text{ multiple equilibria}$$

$$e^L < e^H < \bar{e} \quad : \text{ only good eq. possible}$$

Comparative Statics

Drop in A^* (USD assets) or increase in L^* (USD liabilities)

Figure State of the economy

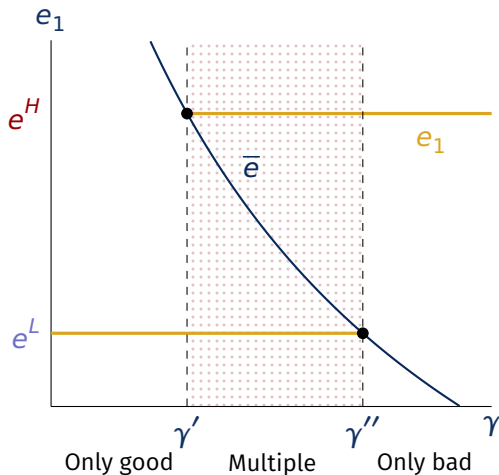
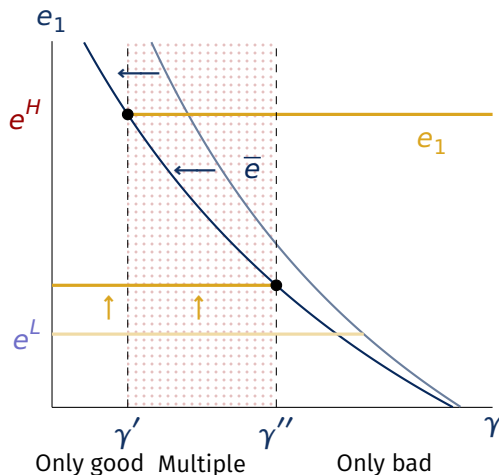
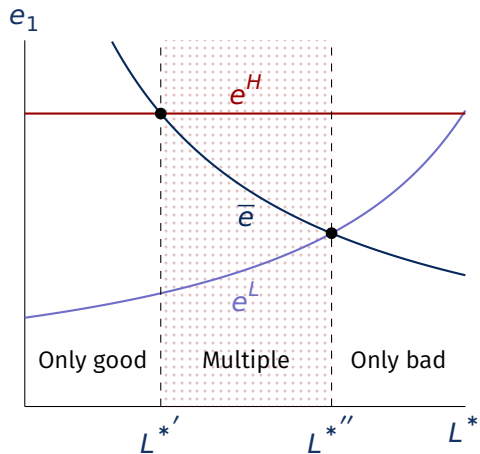


Figure State of the economy after drop in A^* or increase in L^*

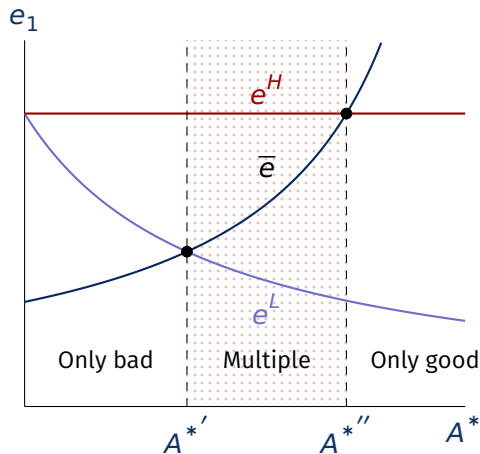


Comparative Statics

(a) State of the economy and dollar liabilities L^*



(b) State of the economy and US assets A^*



Lending of Last Resort - ECB

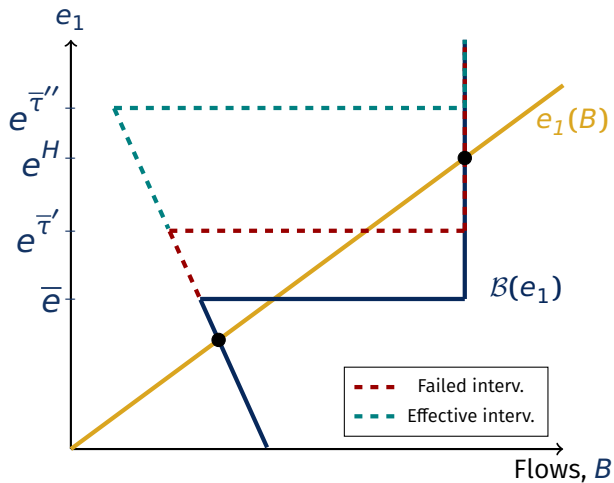
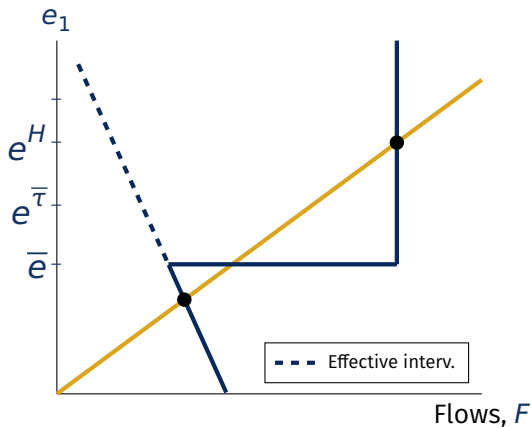


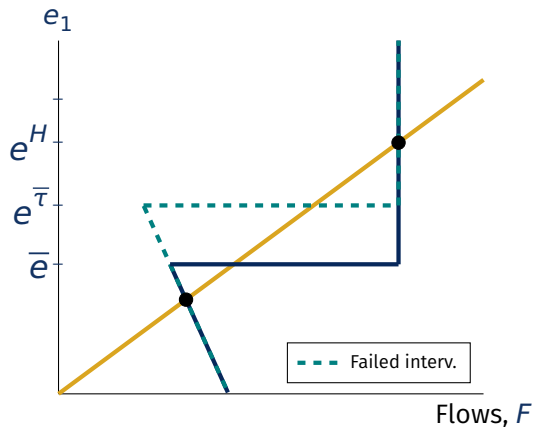
Figure Interventions with $\bar{\tau}' < \bar{\tau}''$

Fed Swap Lines if $\tau > \bar{\tau} > \tau^*$

(a) Intervention by the Fed
when $\bar{\tau} > \tau^*$



(b) Intervention by the ECB
when $\tau > \bar{\tau}$



- ▶ US Welfare losses from the crisis

$$U_L^* - U_H^* = \theta \beta^* \ln \left(\frac{A^* + Y_2^{*N}}{Y_2^{*N}} \right) - (1 - \theta) \left[\ln \left(\frac{C_{H,1}^{*T}}{C_{L,1}^{*T}} \right) + \beta^* \ln \left(\frac{C_{H,2}^{*T}}{C_{L,2}^{*T}} \right) \right]$$

- ▶ In the collapse scenario: $C_{H,t}^{*T} = Y_t^{*T}$ for $t = 1, 2$. So the focus is on $C_{L,t}^{*T}$,

$$C_{L,1}^{*T} = (Y_1^T + Y_1^{*T}) \frac{e_1^L}{1 + e_1^L} \quad C_{L,2}^{*T} = (Y_2^T + Y_2^{*T}) \frac{e_1^L}{\beta/\beta^* + e_1^L}$$

- ▶ **Analysis of A^*** : if $\uparrow A^*$, then $\downarrow e_1^L$ and thus $\downarrow C_{L,t}^{*T}$. Opposite forces on welfare losses
 - * Increases the first term ($\uparrow NT$ consumption), but also the second one ($\downarrow T$ consumption)

Extensions

Nominal version (w/ monetary policy)

- ▶ EU consumption basket now includes **real money balances**, M_t/P_t

$$C_t \equiv [(C_t^N)^\theta (C_t^T)^\phi (M_t/P_t)^\omega]$$

M_t is the amount of money held by the HH, and P_t is the nominal price level.

- ▶ Budget constraint

$$\sum_{t=1}^2 R^{-t} (p_t^N Y_t^N + p_t^T Y_t^T + M_t^S) = \sum_{t=1}^2 R^{-t} (p_t^N C_t^N + p_t^T C_t^T + M_t)$$

M_t^S is the seigniorage rebated lump sum by the government. Equal to M_t in equilibrium.

Nominal version (w/ monetary policy)

- ▶ Static optimization (US)

$$\frac{M_t^*}{\omega} \equiv m_t^* = p_t^{*N} C_t^{*N} \frac{1}{\theta} = p_t^{*T} C_t^{*T} \frac{1}{\phi}$$

- ▶ **Euler equation**: interest rate R_t^* now depends on **current and future money supply**

$$\mathbb{E}(m_{t+1}^*) = m_t^* \beta R_t^*$$

- ▶ **US MP tightening** in t pushes the global economy closer to the **bad equilibrium**:
 $\downarrow m_t^* \Rightarrow \uparrow R^* \Rightarrow \downarrow \bar{e}$

$$\downarrow \bar{e} = \frac{A/R}{(1 + \gamma)L^* - A^* / \uparrow R^*}$$

Access to Dollar Bonds

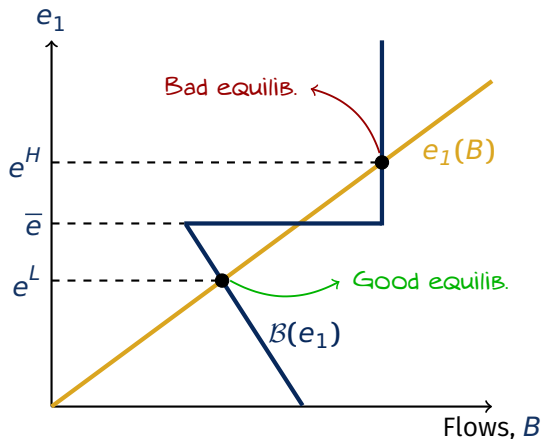
► **Two problems** with standard framework:

1. Multiple eq. require the US running a **positive CA balance** in “normal” times.
2. When global banks collapse, economy converges to **autarky**.

► **How to fix it?** EU households can trade dollar bonds with US HH, **but at a cost**.

- * By correcting 2), possible to correct 1).

Figure Multiple Equilibria



Access to Dollar Bonds

- ▶ EU households face a more complex problem,

$$\max_{C_t} U = \ln(C_1) + \beta \mathbb{E} \ln(C_2) - \zeta(\tilde{B})$$

- ▶ Budget constraint

$$\begin{aligned} p_1 Y_1^T + Y_1^N &= p_1 C_1^T + C_1^N + B + e_1 \tilde{B} \\ \Pi + RB + e_2 R^* \tilde{B} + p_2 Y_2^T + Y_2^N &= p_2 C_2^T + C_2^N \end{aligned}$$

- ▶ Access to euro deposits with banks B paying R , and to dollar bonds with US HH, \tilde{B} paying R^* . Holding balances in foreign currency entails a small non-pecuniary cost:

$$\zeta(\tilde{B}) = \begin{cases} \chi & \text{if } \tilde{B} \neq 0 \\ 0 & \text{otherwise} \end{cases}, \quad \chi > 0$$

Access to Dollar Bonds

- ▶ In normal times, \tilde{B} are not used. EU households prefer to save in euro bonds given UIP and the extra cost of saving in dollars.
 - * Only when **banks collapse**, EU households rely on the **costly dollar bonds**.

- ▶ What I need is that **EU runs a trade balance surplus in "normal" times**

$$P_1(Y_1^T - C_1^T) = B > 0$$

- ▶ This is achieved by a **weak euro in $t = 1$**

$$e_1^L > \frac{1 - \eta_1}{\eta_1} = \frac{Y_1^{*T}}{Y_1^T}$$

- ▶ If that holds, then also $e_1^H > e_1^L$: EU TB is larger when collapse.

Access to Dollar Bonds

- ▶ In equilibrium, the exchange rate is

$$e_1^L = \frac{1 - \eta_1 + \beta(1 - \eta_2)}{\eta_1 + \beta^* \eta_2 + \frac{\theta}{1-\theta} (A^*/R^* - L^*)}$$

- ▶ So that in terms of the parameters, the condition is

$$\frac{\eta_1}{1-\eta_1} \beta(1 - \eta_2) - \eta_2 \beta^* > \frac{\theta}{1-\theta} \left(\frac{A^*}{A^* + Y_2^{*N}} \beta^* Y_1^{*N} - L^* \right)$$

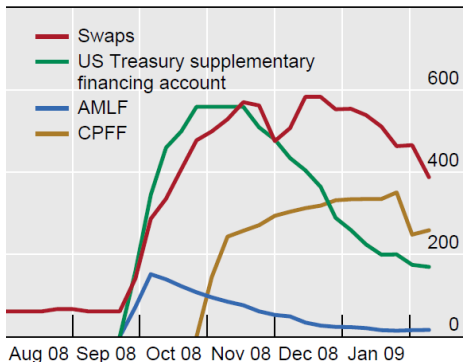
- ▶ **Many possibilities** to achieve this:

- * Low β^* : US is impatient.
- * High η_1 : EU has lots of T in $t = 1$.
- * Low η_2 : but small share of T in $t = 2$.
- * High L^* : US has a lot saved, so want to consume today.
- * Low A^* : US require less savings because output in $t = 2$ is low.

Fed liquidity and official reintermediation

← Back

Federal Reserve liquidity operations¹



¹ Outstanding amounts, in billions of US dollars; Wednesday observations.

SOURCE: Baba, McCauley and Ramaswamy (2009)

Official reintermediation of US dollar credit to non-US banks

