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A Heterogeneous Agents Model of Energy Consumption and Energy Conservation

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¹Czech National Bank, The views expressed herein are those of the authors and do not necessarily reflect the view of the Czech National Bank



• In this paper we study *energy price shocks - monetary policy-energy conservation* nexus in a heterogeneous framework

Motivation

- Both energy price shocks and monetary policy affect different groups of households differently
 - what are the main channels of distributional effects of monetary policy? Based on HFCS Slacalek et al. (2020): IES, somewhat smaller net interest rate exposure; large indirect effect through labour market
 - heterogeneity in energy consumption: share of raw energy expenditures in household consumption differs with the households' income Figure
- Investment into abatement capital can have stimulative effect on economic growth
- Abatement and distributional aspects amplify (change) propagation of monetary policy in response to energy price shocks



• We study how inflation targeting monetary policy influences households' energy conservation decisions

- it builds resilience to energy price fluctuations
- the qualitative conclusions can be extended to wide range of products, e.g. fuel consumption

• We further consider several types of monetary policy responses to energy price shocks

- the persistence and the "shape" of energy price shocks are important
- we study how each type of policy affects energy savings and each agent's consumption
- there is a trade-off between stimulating investment and reducing inflation



Literature

- There is a growing literature on heterogeneous agents and distributional effects of monetary policy:
 - empirical work: e.g. Slacalek et al. (2020);
 - theoretical framework with endogenous labour market: Challe et al. (2017), Ravn and Sterk (2021);
- We relate to studies on monetary policy reaction to energy price shocks, Natal (2012), Kormilitsina (2011):
 - but we add abatement and distributional effects;
- We relate to the general equilibrium models of energy consumption and emissions:
 - Varga et al. (2022), Campiglio et al. (2022), Kiuila and Rutherford (2013)
 - they formulate abatement capital and costs in terms of reducing emissions
- and we somewhat relate to the literature on effects of transmission to renewable energy on economic growth
 - Pradhan and Ghosh (2022), Dogan et al. (2020), or Chica-Olmo et al. (2020)
 - there is no consensus so far

• We incorporate search and matching frictions into the labour market, with endogenous labour market tightness

- Nash bargaining, vacancy costs, exogenous separation rate
- Households: employed, unemployed, firm owners (out of the labour-force)

Equations

- consume non-energy and energy goods (CES aggregator)
- supply labour (inelastically) or earn firms
- invest into abatement capital, physical capital (firm owners), nominal assets

• Firms : Equations

- use energy, labour and physical capital to produce non-energy goods
- Government: provides unemployment benefits and collect taxes
- Central bank: conducts monetary policy in response to the deviations of policy inflation (and/or output)



- We employ assumption from Challe et al. (2017) of perfect risk-sharing among the *employed workers*.
 - households are grouped in identical families, a "planner" optimizes family wealth and redistributes (averages) nominal assets among the employed workers
 - Guess-and-verify first period unemployed do not "save their savings". The borrowing limits for unemployed workers is zero

• We adopt a similar assumption to holdings of abatement capital details

- employed and unemployed workers live in separate "residencies" and move between the residencies when their employment status changes
- workers can not take their abatement capital with them, which is taken by the state
- new-movers to every residence receive from the state the average in this residence amount of abatement capital
- The abatement capital is produced domestically











• Parameters in policy rules are constant!

$$\frac{R_t}{\bar{R}} = \left(\frac{R_{t-1}}{\bar{R}}\right)^{\rho_r} \left[\left(\frac{E_t \Pi_{t+1}^p}{\bar{\Pi}}\right)^{\phi_\pi} \left(\frac{E_t y_{t+1}}{\bar{y}}\right)^{\phi_y} \right]^{1-\rho_r} \epsilon_t^r.$$
$$E_t \Pi_{t+1}^p = (E_t \Pi_{t+1}^c)^{1-\phi_e} (E_t \Pi_{t+1}^e)^{\phi_e}.$$

- Economy is initially in the steady state
- Model is linearised around the steady state
- Inflation expectations are perfectly anchored

Baseline policy rule: $\phi_y = 0$, $\phi_\pi = 2$.

- MP shock
- expected energy price shock
 Policy simulations (Simulations Simulations2)















Expected energy price shock: baseline policy rule

















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Policy Simulations





Plan

Policy Simulations





Plan

Policy Simulations





-----baseline Taylor rule ------baseline+output ----weak reaction to infl. -----weak + output







-----baseline Taylor rule ------baseline+output ----weak reaction to infl. -----weak + output



Figure: Policy Responses: Welfare, 1% Expected Energy Price Shock







• Monetary policy has an effect on investment in energy price resilience capital through:

- direct effect by influencing returns on other assets
- indirect, labour market, effect by changing the number of HtM
- An expected energy price shock increases investment into energy saving capital, which
 - can stimulate domestic production
 - insulate the economy against the energy prices fluctuations
- Too restrictive monetary policy in response to the energy price shock dampens investment into abatement capital
- It is up to fiscal authority to stimulate energy conservation

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Share of energy in HH expenditures









Each household maximizes the following utility subject to their expected employment status.

$$U_t(h) \equiv E_t \sum_{j=0}^{\infty} \beta^j \frac{\mathbb{C}_{t+j}(h)^{1-\mu}}{1-\mu},$$
(1)

 μ - relative risk aversion; $\mathbb C$ - composite consumption good; E^s - energy services; C - non-energy consumption good. The composite consumption good is:

$$\mathbb{C}_{t}(h) = \left[(1 - \phi_{e})^{\frac{1}{\lambda_{e}}} C_{t}(h)^{\frac{\lambda_{e}-1}{\lambda_{e}}} + \phi_{e}^{\frac{1}{\lambda_{e}}} E_{t}^{s}(h)^{\frac{\lambda_{e}-1}{\lambda_{e}}} \right]^{\frac{\lambda_{e}}{\lambda_{e}-1}}, \quad (2)$$

$$E_{t}^{s}(h) = f(K_{h,t-1}^{e}) E^{r}(h)_{t} = \frac{\psi}{2} (K_{h,t-1}^{e})^{2} E^{r}(h)_{t}, \quad (3)$$





Households: employed, unemployed, firm owners (out of the labour-fource) Budget constraint:

- revenue side: for employed household nominal wage $(1 \tau)W_t$, for unemployed nominal benefits $P_t W_{\mu,t}$, for a firm owner - dividends and return on capital $(1 - \tau)Rev$; return on bonds B_{t-1} ;
- expenditure side: consumption of goods and raw energy, C_t and E_t^r ; nominal bond holdings B_t , investment into capital I_t and into abatement capital I_t^e , adjustment costs, $P_t^I = P_t$ is price of a domestically produced good.

Denoting after tax household income \tilde{W} :

$$P_{t}C_{t} + P_{t}^{e}E_{t}^{r} + B_{t} + P_{t}^{I}I_{t}(1 + S[I_{t}, I_{t-1}]) + P_{t}^{I}I_{t}^{e}(1 + S[I_{t}^{e}, I_{t-1}^{e}]) \leq \tilde{W}_{t} + R_{t}B_{t-1}$$
(4)





Monopolistic competition, Rotemberg pricing tradition, production function:

$$Y_{t} = min\left[\frac{1}{1-\rho_{o}}A_{t}N_{t}^{1-\gamma_{k}}K_{t-1}^{\gamma_{k}}, \frac{1}{\rho_{o}}E_{t}^{rp}\right]$$
(5)

Competitive final good producer, first-order conditions:

$$Y_t(i) = \left(\frac{P_t(i)}{P_t}\right)^{-\gamma} Y_t, \tag{6}$$







Nominal assets are average among employed workers:

$$\tilde{b}_{e,t} = \frac{1}{e_t} \left[\left(1 - \omega (1 - \eta_t) \right) e_{t-1} b_{e,t-1} + \eta_t u_{t-1} \cdot 0 \right].$$
(7)

The abatement capital is the same within the workers' employment status :

$$\tilde{k}^{e}_{u,t} = \bar{k}^{e}_{u'} \tag{8}$$

$$\tilde{k}^e_{e,t} = k^e_{e,t-1}. \tag{9}$$





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• employed workers:

$$P_t C_t + B_t + P_t^e E_t^r + P_t^I I_t^e \le (1 - \tau) W_t + R_t B_{t-1},$$
(10)
$$I_t^e = k_{e,t}^e - (1 - \delta_e) \tilde{k}_{e,t}^e;$$
(11)

• poor HtM: first period unemployed

$$P_{t}C_{t} + P_{t}^{e}E_{t}^{r} + P_{t}^{I}I_{t}^{e} \leq P_{t}W_{\mu,t} + R_{t}B_{t-1},$$

$$I_{t}^{e} = \delta_{e}\tilde{k}_{u,t}^{e};$$
(12)
(13)

unemployed for longer than 1 period

$$P_t C_t + P_t^e E_t^r + P_t^I I_t^e \le P_t W_{\mu,t}, \tag{14}$$

$$I_t^e = \delta_e \tilde{k}_{u,t}^e; \tag{15}$$

• rich HtM: firm owners

$$P_t C_t + B_t^c + P_t^e E_t^r + P_t^I I_t^e + P_t^I I_t \le (1 - \tau) Rev_t + R_t B_{t-1}^c, \quad (16)$$

$$I^e - k^e - (1 - \delta) k^e \qquad (17)$$

$$I_{t} = \kappa_{c,t} - (1 - \delta_{e})\kappa_{c,t-1},$$

$$I_{t} = k_{t} - (1 - \delta_{e})k_{t-1}$$
(17)
(18)

$$B_t^c = \bar{b} < 0.$$
(19)

