## Debt Aversion

Theory and Experiment

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## EEA ESEM

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## Introduction

## Motivation

- Debt aversion: intrinsic unwillingness to take on debt, even if economically reasonable
- Suboptimal investment
- Tertiary education (Field, 2009; Caetano et al. 2019)
- Energy-efficient technologies (Schleich et al., 2021)
- Entrepreneurs (Nguyen et al. 2020, Paaso et al. 2021)
- Suboptimal consumption
- Consumption/saving experiments (Meissner, 2016; Duffy and Orland, 2020, Ahrens et al. 2022)
- Suboptimal portfolio choice
- Debt repayment experiments (Martínez-Marquina and Shi, 2022; Ozyilmaz, 2022)


## Introduction

## What we do

- This project:

1. Model of debt aversion
2. Experiment involving real debt contracts
3. Structural estimation of debt aversion

- Debt preferences will be jointly considered with:
- Risk aversion
- Loss aversion
- Time preferences
- All these preferences may affect how people save and borrow and therefore need to be controlled for


## Introduction

Identification

- Compare willingness to accept different saving and debt contracts
- structural similarity: gain and loss of money, temporally separated
- Debt Aversion: Willingness to pay a premium to avoid being in debt (after controlling for other preferences)


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Preview: Yes, people are willing to ...

## Experiment

- 90 binary choices over lotteries and intertemporal prospects
- binary choices from 7 multiple price lists (MPLs)
- 3 standard MPLs to elicit risk and time preferences
- 4 new MPLs that consist of saving and debt contracts
- One "decision that counts" randomly chosen


## Experiment

Saving contract example

## Decision <br> $38 / 90$



## Experiment

## Debt contract example




## Experiment

## Timeline

Figure: Timeline of the experiment

| $\begin{gathered} \text { Session } 1 \\ 90 \mathrm{~min} \end{gathered}$ | 4 weeks | $\begin{gathered} \text { Session } 2 \\ 30 \mathrm{~min} \end{gathered}$ | 4 weeks | $\underset{30 \mathrm{~min}}{\text { Session } 3}$ | ca. 1 week | Completion Bonus |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |

Show-up fee

- 90 choices (MPLs)

Questionnaire

- Contract payments

Questionnaire
Contract payments

Questionnaire
Contract payments

## Experiment

## Procedures

- Saving and debt are actual, real-time contracts with the experimenter
- If participants accept a contract, they agree to actually pay money to the experimenter
- Saving: Pay at earlier date, receive at later date
- Debt: Receive at earlier date, pay at later date
- At Date 1, participants may pay from show-up fee ( $€ 15$ for all three dates)
- At later sessions, pay in cash or via Paypal
- $\mathrm{n}=127$, in Maastricht (2019-2021 / BEElab)
- Average earnings: €43


## A glimpse at the data...



## A glimpse at the data...



## A glimpse at the data...



## Theory

General model

- Two period model $(\tau \in\{t, T\}, 0 \leq t<T)$ :

$$
\begin{aligned}
U\left(x_{t}, x_{T}\right) & =\mathbb{E}\left[\phi(t) v\left(x_{t}\right)+\phi(T) v\left(x_{T}\right)-\mathbb{1}_{\text {debt }} c\left(x_{t}, x_{T}\right)\right] \\
& \mathbb{1}_{\text {debt }}= \begin{cases}1 & \text { if } x_{t}>0 \text { and } x_{T}<0 \\
0 & \text { otherwise }\end{cases}
\end{aligned}
$$

- $\phi(\tau)$ is the discount function.
- $v(x)$ value function evaluating monetary gains and losses.
- $c\left(x_{t}, x_{T}\right)$ denotes the cost of being in debt.


## Theory

## Debt aversion

- Value function:

$$
v(x)=\left\{\begin{array}{ll}
u(x) & \text { if } x \geq 0 \\
-\lambda u(-x) & \text { if } x<0
\end{array} \quad \lambda>1 \equiv\right. \text { loss aversion }
$$

- Cost of being in debt:

$$
c\left(x_{t}, x_{T}\right)=(1-\gamma) \phi(T) v\left(x_{T}\right) \quad \gamma>1 \equiv \text { debt aversion }
$$

- Saving contracts:

$$
U\left(x_{t}<0, x_{T}>0\right)=-\lambda \phi(t) u\left(-x_{t}\right)+\phi(T) u\left(x_{T}\right)
$$

- Debt contracts:

$$
U\left(x_{t}>0, x_{T}<0\right)=\phi(t) u\left(x_{t}\right)-\gamma \lambda \phi(T) u\left(-x_{T}\right)
$$

## Theory

Main specification

- Atemporal utility function (CRRA):

$$
u(x)=\frac{(x)^{1-\alpha}}{1-\alpha} \quad \alpha>0 \equiv \text { risk aversion }
$$

- Discount function:

$$
\phi(\tau)=\frac{1}{(1+\delta)^{\tau}} \quad \delta>0 \equiv \text { discounting }
$$

- Present bias: omitted


## Results

Aggregate parameter estimates

- The average participant discounts the future, and is risk, loss and debt averse


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## Aggregate parameter estimates

- The average participant discounts the future, and is risk, loss and debt averse
- Joint ML-estimation in random utility frame with logit Fechner error
- additional parameter of decision noise $\mu$
- $\mu=0$ is deterministic choice, $\mu \rightarrow \infty$ is uniform randomization

|  | Point estimate | Standard Error | $95 \%$ Conf. Interval |
| ---: | :---: | :---: | :---: |
| Risk aversion: $\alpha$ | 0.6430 | 0.0344 | $0.57,0.71$ |
| Discounting: $\delta$ | 0.0359 | 0.006 | $0.02,0.05$ |
| Debt Aversion: $\gamma$ | 1.0535 | 0.0112 | $1.03,1.08$ |
| Loss Aversion: $\lambda$ | 1.1074 | 0.0118 | $1.08,1.13$ |
| Fechner error: $\mu$ | 0.4483 | 0.0402 | $0.37,0.52$ |

n: 12,240, cluster: 127, log-likelihood: -4107,9

## Results

- Average participant would be indifferent between accepting or rejecting:
$€ 20.93$ today €-15 in 4 weeks
- Counterfactual, debt-neutral person with the same preference parameters (except $\gamma=1$ ):
$€ 18.08$ today $\quad €-15$ in 4 weeks
$\Rightarrow$ "Borrowing premium" of $€ 2.85$ ( $=16 \%$ of the principal $€ 18.08$ )


## Further results

- $89 \%$ of participants are debt averse

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- Distribution estimation
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- the longer the indebtedness the higher the borrowing premium
- higher cognitive ability is associated with less debt aversion


## Conclusion

- Debt aversion is a genuine preference, wide-spread and impacts choice
- We should care, e.g. as policy uses subsidized loans to spur wanted behaviour
- Real indebtedness in the lab is possible and interesting
- e.g. to study underlying mechanisms
- seemingly unrelated behavior when indebted


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- We should care, e.g. as policy uses subsidized loans to spur wanted behaviour
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## Thank you

The working paper...


Appendix

## Descriptive details

- (Mostly student) sample from behavioral econ lab at Maastricht University (NL)
- $74 \%$ undergrad; $25 \%$ Master
- various backgrounds from music to law, but clear mode in field of "Business and/or Economics"
- $61 \%$ female
- $22 \%$ German, $17 \%$ Dutch, $11 \%$ Belgian and $9 \%$ Italian


## Example time preference choice

| Decision $1 / 90$ |
| :--- |


| Option A |  |
| :---: | :---: |
| You will receive an amount of $14.00 €$ today |  |
| today | in 4 weeks |
| +14 |  |
| Choose Option A |  |


| Option B |  |
| :---: | :---: |
| You will receive an amount of $18.00 €$ in 4 weeks |  |
| today | in 4 weeks |
|  | +18 |
| Choose Option B |  |

## Example risk preference choice

Decision $11 / 90$


## Maximum likelihood estimation

- Random utility model (RUM): a decision maker chooses option B if $U\left(X^{B}\right)+\varepsilon^{B} \geq U\left(X^{A}\right)+\varepsilon^{A}$.

$$
P(B)=F\left(\frac{U\left(X^{B}\right)-U\left(X^{A}\right)}{\mu}\right)=F(\Delta U)
$$

- $F$ is cumulative distribution function of $\left(\varepsilon^{A}-\varepsilon^{B}\right)$ and $\theta=(\alpha, \delta, \gamma, \lambda, \mu)$
- Fechner error with logit link, logistic distribution $F(\xi)=\left(1+\mathrm{e}^{-\xi}\right)^{-1}$
- Log-likelihood function:

$$
\begin{array}{r}
\ln L(\alpha, \beta, \delta, \gamma, \lambda, \mu)= \\
\sum_{i} \sum_{j}\left[\ln (F(\Delta U)) c_{i j}+\ln (1-F(\Delta U))\left(1-c_{i j}\right)\right]
\end{array}
$$

- $c_{i j}=0$ if individual $i$ chooses A in choice $j$ and $c_{i j}=1$ if individual $i$ chooses B in choice $j$.


## Results

Decomposing the influence on indifference contracts

$$
\text { Saving }\left(x_{t}<0 ; x_{T}>0\right)
$$



Debt $\left(x_{t}>0 ; x_{T}<0\right)$


## Results

Decomposing the influence on indifference contracts
Saving $\left(x_{t}<0 ; x_{T}>0\right)$


Debt $\left(x_{t}>0 ; x_{T}<0\right)$


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Saving ( $\left.x_{t}<0 ; x_{T}>0\right)$


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Decomposing the influence on indifference contracts
Saving ( $\left.x_{t}<0 ; x_{T}>0\right)$


Debt $\left(x_{t}>0 ; x_{T}<0\right)$


## Results

Distributions of preference parameters


- $P(\gamma>1) \sim 89 \%$, large majority is debt averse


## Results

Distributions of preference parameters

|  | $\alpha$ | $\delta$ | $\gamma$ | $\lambda$ | $\mu$ |
| ---: | :---: | :---: | :---: | :---: | :---: |
| Risk aversion: $\alpha$ | $0.0317^{* * *}$ |  |  |  |  |
| Discounting: $\delta$ | $-0.0013^{* * *}$ | $0.0013^{* * *}$ |  |  |  |
| Debt aversion: $\gamma$ | 0.0004 | 0.0005 | $0.0027^{* * *}$ |  |  |
| Loss aversion: $\lambda$ | $-0.0159^{* * *}$ | $0.0042^{* * *}$ | $0.0039^{* * *}$ | $0.0249^{* * *}$ |  |
| Fechner error: $\mu$ | $-0.0297^{* * *}$ | $-0.0041^{* * *}$ | $-0.0053^{* * *}$ | $0.0263^{* * *}$ | $0.0435^{* * *}$ |

Table: Estimated variance-covariance matrix

## Extension

## Debt duration

- Additional parameter of debt duration aversion $(\zeta)$
- Short debt (4 weeks): $U\left(x_{t}, x_{T=t+1}\right)=\phi(t) u\left(x_{t}\right)-\gamma \lambda \phi(T) u\left(-x_{T}\right)$
- Long debt (8 weeks): $U\left(x_{t}, x_{T=t+2}\right)=\phi(t) u\left(x_{t}\right)-\gamma \zeta \lambda \phi(T) u\left(-x_{T}\right)$

|  | Point estimate | Standard Error | 95\% Conf. Interval |
| :--- | :---: | :---: | :---: |
| Risk aversion: $\alpha$ | 0.640 | 0.034 | $0.573,0.706$ |
| Discounting: $\delta$ | 0.043 | 0.007 | $0.028,0.058$ |
| Debt Aversion: $\gamma$ | 1.063 | 0.013 | $1.037,1.090$ |
| Debt Duration Aversion: $\zeta$ | 1.851 | 0.292 | $1.279,2.423$ |
| Loss Aversion: $\lambda$ | 1.101 | 0.012 | $1.077,1.124$ |
| Fechner error: $\mu$ | 0.448 | 0.040 | $0.369,0.527$ |

n: 12,240, cluster: 127, log-likelihood: -4096

## Extension

So what?

- Average participant would be indifferent between accepting or rejecting:

$$
\begin{array}{ll}
\text { €20.67 today } & €-15 \text { in } 4 \text { weeks } \\
\text { €21.11 today } & €-15 \text { in } 8 \text { weeks }
\end{array}
$$

- Counterfactual, debt-neutral person with the same preference parameters (except $\gamma=1$ ):

$$
\begin{array}{ll}
\text { €17.43 today } & €-15 \text { in } 4 \text { weeks } \\
\text { €15.51 today } & €-15 \text { in } 8 \text { weeks }
\end{array}
$$

$\Rightarrow$ 4-week "Borrowing premium" of $€ 3.24$ ( $=18.6 \%$ of $€ 17.43$ )
$\Rightarrow 8$-week "Borrowing premium" of $€ 5.60(=36.1 \%$ of $€ 15.51)$

## Results

## Observable heterogeneity

|  | $\alpha$ <br> risk aversion | $\delta$ <br> discounting | $\gamma$ <br> debt aversion | $\lambda$ <br> loss aversion | $\mu$ <br> fechner error |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Age | $0.035^{* *}$ | -0.003 | -0.006 | $-0.012^{* * *}$ | $-0.038^{* * *}$ |
| Cognitive ability | -0.007 | -0.012 | $-0.022^{*}$ | -0.015 | -0.034 |
| Female | $0.161^{*}$ | -0.008 | 0.010 | $-0.063^{*}$ | $-0.283^{*}$ |
| Financial literacy | -0.033 | 0.003 | -0.003 | -0.006 | 0.009 |
| Agreeableness | -0.027 | 0.005 | 0.004 | $0.013^{*}$ | 0.010 |
| Conscientiousness | -0.040 | -0.005 | -0.016 | 0.005 | 0.055 |
| Extraversion | -0.005 | -0.003 | 0.001 | -0.005 | 0.003 |
| Negative emotionality | 0.043 | -0.002 | -0.007 | -0.015 | -0.037 |
| Openmindedness | 0.021 | 0.001 | 0.004 | -0.014 | -0.008 |
| Constant | -0.199 | $0.107^{* *}$ | $1.176^{* * *}$ | $1.414^{* * *}$ | $1.424^{* * *}$ |

N: 12240, Log. Likelihood: -3695, BIC: 7860

