

# Greenflation?

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- Humans affect the climate by emitting greenhouse gases into the atmosphere and this contributes to global warming (IPCC, 2021).
- Some countries have introduced policies to reduce emissions.
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- Some countries have introduced policies to reduce emissions.
- Fear of *greenflation*, i.e., upward pressures on inflation from higher energy prices (speech by Schnabel, 2022).
- Research questions:
  - ① What are the real and inflationary implications from a green transition?
  - ② How should monetary policy react during the transition?

# The analytic framework

- Setting
  - A New-Keynesian model with energy; wages ( $W$ ) and consumption-goods prices ( $P_g$ ) are sticky, the energy price  $P_e$  is fully flexible (upper-case letters denote nominal prices).

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- $\gamma$  is close to zero and  $\tau$  is phased in so very small deviations from efficiency.
- Monetary policy should look through the increase in  $P_e \Rightarrow$  CPI peaks at  $< 1\%$  above target, i.e., limited greenflation.

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- Energy services are produced by combining energy inputs:

$$C_{e,t} + e_{g,t} = \left( (1 - \lambda)^{\frac{1}{\varepsilon}} E_{1,t}^{\frac{\varepsilon-1}{\varepsilon}} + \lambda^{\frac{1}{\varepsilon}} E_{2,t}^{\frac{\varepsilon-1}{\varepsilon}} \right)^{\frac{\varepsilon}{\varepsilon-1}}.$$

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- The energy sector is fully competitive with flexible prices.

- The policy loosely resembles the Fit-For-55 program in EU:  $\tau$  increases linearly up to 2040 so that fossil energy use falls by about 60%, after which it remains constant.
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  - No climate policy to reduce emissions in the rest of the world.
- Monetary policy follows simple Taylor rules, such as

$$I_t = \frac{1}{\beta} \pi^* \left( \frac{\pi_t}{\pi^*} \right)^{\alpha_\pi}$$

where inflation can be headline, core, or wage inflation.

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$$p_{e,t} = w_t \left[ (1 - \lambda) \left( \frac{1}{1 - \tau_t} \right)^{1 - \varepsilon} + \lambda \right]^{\frac{1}{1 - \varepsilon}} \uparrow$$

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- Now there will be deviations from efficiency. How large?

# The size of the deviation from efficiency

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- $\gamma \approx 0.03\text{--}0.05$ : the deviation from the efficient prices will be small.
  - In the FF55, the tax is phased in, i.e., only small changes at each point in time, which contributes to small deviations.

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- Since  $R_{t+j} \leq R_{ss}$ , the transition generates downward pressures on inflation!
- How much depends on  $\alpha_\pi$ :  $\Pi_t$  can be driven to zero with a high  $\alpha_\pi$ .
  - In a flex-price setting this has no cost.

# Nominal rigidities 1: sticky goods prices and flexible wages

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  - Would require  $P_g \downarrow$  when  $P_e \uparrow$ , which would result in an inefficient allocation of goods (Aoki, 2001).

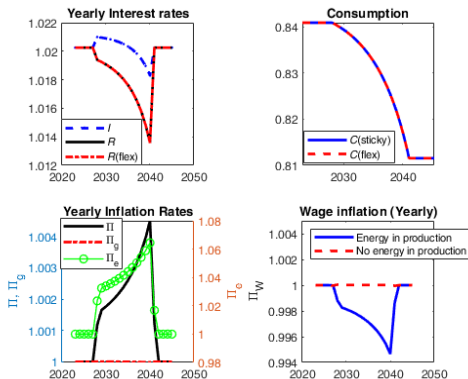
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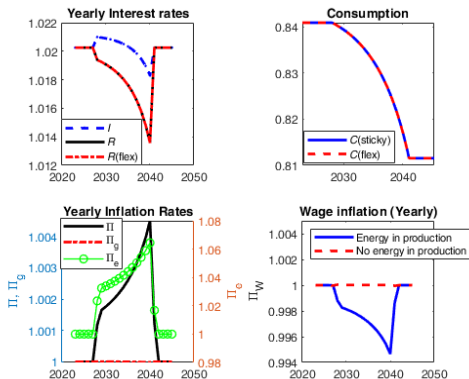
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  - use a Taylor rule that targets core inflation—CPI—energy inflation—and
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  - $W$  and  $P_e$  can then adjust so that EGT is replicated.

# Sticky goods prices, flexible wages



- B.L.:  $P_e \uparrow \Rightarrow \text{CPI} \uparrow \leq 0.5\%$ .
  - $\Pi$  remains low and it is not costly since we are replicating the EGT.

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- B.L.:  $P_e \uparrow \Rightarrow \text{CPI} \uparrow \leq 0.5\%$ .
  - $\Pi$  remains low and it is not costly since we are replicating the EGT.
- Similar logic applies for the case with flexible  $P_g$  and sticky  $W$ .

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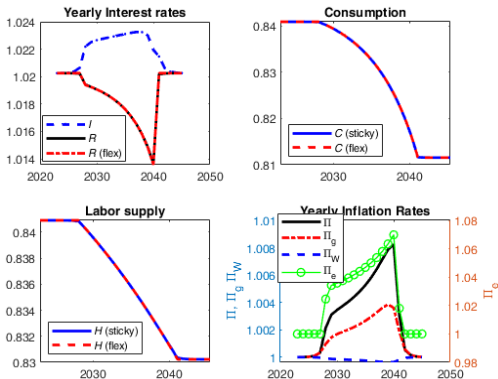
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- Hence, monetary policy has to accept that either  $W$  or  $P_g$  or both will have to adjust.
- We consider a Taylor rule that incorporates both core and wage inflation:

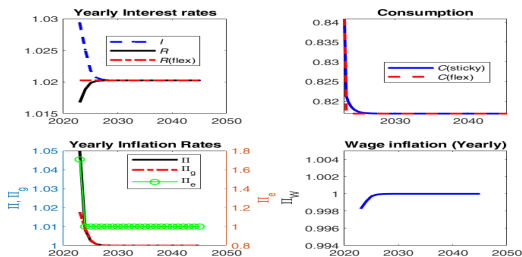
$$I_t = \frac{1}{\beta} \left[ \underbrace{\pi_g^* \left( \frac{\pi_{g,t}}{\pi_g^*} \right)^{\alpha_\pi}}_{\text{Core inflation}} \underbrace{\pi_W^* \left( \frac{w_t}{w_{t-1}} \frac{\pi_t}{\pi_W^*} \right)^{\alpha_W}}_{\text{Wage inflation}} \right]$$



- A Taylor rule with a high  $\alpha_W$  and a low  $\alpha_\pi$ , makes it possible to closely replicate the EGT.  $\text{CPI} \uparrow \approx 0.8\%$
- VERY small deviations from efficiency.

# A transition that starts immediately

Can lead to large deviations in efficiency and inflation.



# Conclusions

- We show that a green transition requires the  $p_e \uparrow$  and  $p_g \downarrow$ ,  $mc \downarrow$ , and  $w \downarrow$ .
- It is optimal for the central bank to see through the increasing energy prices and focus on core inflation.
- The result is a modest *greenflation*.
- These results are in line with the empirical findings in Konradt and Weder di Mauro (JEEA, 2023), showing only limited effects on inflation from green policies.
- Contrasts with Airaudo et al. (2023): “Permanent increases in brown energy prices induce a green transition with short-run inflation and persistent output losses.”