## Firm productivity and derived factor demand: when market power leads to a decoupling

JOB MARKET PAPER

Filippo Biondi PhD Candidate



► Industry dynamics: firm-level productivity ⇒ output/input decisions

- ► Industry dynamics: firm-level productivity ⇒ output/input decisions
- Decline in responsiveness of factor demand to productivity shocks (Ilut, Kehrig, & Schneider, 2018; Decker, Haltiwanger, Jarmin, and Miranda, 2020)

- ► Industry dynamics: firm-level productivity ⇒ output/input decisions
- Decline in responsiveness of factor demand to productivity shocks (Ilut, Kehrig, & Schneider, 2018; Decker, Haltiwanger, Jarmin, and Miranda, 2020)
- Growing interest in IO/macro on the mechanisms and implications (Kehrig & Vincent, 2021; De Loecker, Eeckhout, & Mongey, 2022)

- ► Industry dynamics: firm-level productivity ⇒ output/input decisions
- Decline in responsiveness of factor demand to productivity shocks (Ilut, Kehrig, & Schneider, 2018; Decker, Haltiwanger, Jarmin, and Miranda, 2020)
- Growing interest in IO/macro on the mechanisms and implications (Kehrig & Vincent, 2021; De Loecker, Eeckhout, & Mongey, 2022)
  - 1. Distributional concerns: if productivity growth not fully transmitted, consumers and/or suppliers affected

- ► Industry dynamics: firm-level productivity ⇒ output/input decisions
- Decline in responsiveness of factor demand to productivity shocks (Ilut, Kehrig, & Schneider, 2018; Decker, Haltiwanger, Jarmin, and Miranda, 2020)
- Growing interest in IO/macro on the mechanisms and implications (Kehrig & Vincent, 2021; De Loecker, Eeckhout, & Mongey, 2022)
  - 1. Distributional concerns: if productivity growth not fully transmitted, consumers and/or suppliers affected
  - 2. Theoretically puzzling

Common presumption: factor demand is monotonic increasing in productivity (Syverson, 2011; De Loecker & Syverson, 2021)

- Common presumption: factor demand is monotonic increasing in productivity (Syverson, 2011; De Loecker & Syverson, 2021)
  - ✓ perfect competition (Levinsohn & Petrin, 2003)
  - ✓ monopolistic competition with CES (De Loecker, 2011)

- Common presumption: factor demand is monotonic increasing in productivity (Syverson, 2011; De Loecker & Syverson, 2021)
  - ✓ perfect competition (Levinsohn & Petrin, 2003)
  - ✓ monopolistic competition with CES (De Loecker, 2011)

► <u>My paper</u>: X imperfect competition with variable markups

- Common presumption: factor demand is monotonic increasing in productivity (Syverson, 2011; De Loecker & Syverson, 2021)
  - ✓ perfect competition (Levinsohn & Petrin, 2003)
  - ✓ monopolistic competition with CES (De Loecker, 2011)

- ► <u>My paper</u>: X imperfect competition with variable markups
- Factor demand becomes <u>gradually</u> less responsive and may even decrease

- Common presumption: factor demand is monotonic increasing in productivity (Syverson, 2011; De Loecker & Syverson, 2021)
  - ✓ perfect competition (Levinsohn & Petrin, 2003)
  - ✓ monopolistic competition with CES (De Loecker, 2011)

- ► <u>My paper</u>: X imperfect competition with variable markups
- Factor demand becomes gradually less responsive and may even decrease

→ **Decoupling** of factor demand from productivity growth



**1. Theory:** why firms do not adjust their input after a productivity shock?

Theory: why firms do not adjust their input after a productivity shock?
 Identify and characterize the conditions that lead to this decoupling:

- Theory: why firms do not adjust their input after a productivity shock?
   Identify and characterize the conditions that lead to this decoupling:
  - a. Features of output demand b. Market structure

- Theory: why firms do not adjust their input after a productivity shock?
   Identify and characterize the conditions that lead to this decoupling:
  - a. Features of output demand b. Market structure
- 2. From theory to empirics: how to identify this in the data?

- Theory: why firms do not adjust their input after a productivity shock?
   Identify and characterize the conditions that lead to this decoupling:
  - a. Features of output demand b. Market structure
- 2. From theory to empirics: how to identify this in the data?

3. Application to Chinese manufacturing: how relevant is it?

# 1. Theory

$$q = f(\underline{x}) \omega$$

$$q = x \omega$$

• Profit-maximizing  $q^* = x^* \omega$ 

• Profit-maximizing  $q^* = x^* \omega$ 

► Productivity shock  $\Delta \omega > 0 \Rightarrow \Delta x^*$ ?

- ► Profit-maximizing  $q^* = x^* \omega$
- ► Productivity shock  $\Delta \omega > 0 \Rightarrow \Delta x^*$ ?



• Profit-maximizing  $q^* = x^* \omega$ 

► Productivity shock  $\Delta \omega > 0 \Rightarrow \Delta x^*$  ?

produce same q with LESS input
 +

• Profit-maximizing  $q^* = x^* \omega$ 

- ► Productivity shock  $\Delta \omega > 0 \Rightarrow \Delta x^*$ ?
  - produce same q with LESS input
  - + more efficient  $(\downarrow MC)$ , incentive to increase  $q^*$  so need **MORE** input

- Profit-maximizing  $q^* = x^* \omega$
- ► Productivity shock  $\Delta \omega > 0 \Rightarrow \Delta x^*$ ?

### ► Net effect $\Delta x^* \leq 0$ depends on the size of output expansion $\Delta q^* > 0$

Express in *logs* 

$$q^* = x^* \omega$$

 $\log(x^*) = \log(q^*) - \log(\omega)$ 

Express in logs  $q^* = x^* \omega$   $\log(x^*) = \log(q^*) - \log(\omega)$ Total derivatives  $\frac{d \log(x^*)}{d \log(\omega)} = \frac{d \log(q^*)}{d \log(\omega)} - \frac{d \log(\omega)}{d \log(\omega)}$ 

$$q^* = x^* \omega$$

$$\log(x^*) = \log(q^*) - \log(\omega)$$

$$\frac{\log(x^*)}{d\log(\omega)} = \frac{d\log(q^*)}{d\log(\omega)} - \frac{d\log(\omega)}{d\log(\omega)}$$

$$\eta_{x^*,\omega} = \eta_{q^*,\omega} - 1$$

[Prop. 1a]  $\eta_{x^*,\omega} < 0 \iff \eta_{q^*,\omega} < 1$ 

$$q^* = x^* \omega$$

$$\log(x^*) = \log(q^*) - \log(\omega)$$

$$\frac{d\log(x^*)}{d\log(\omega)} = \frac{d\log(q^*)}{d\log(\omega)} - \frac{d\log(\omega)}{d\log(\omega)}$$

 $\eta_{x^*,\omega} = \eta_{q^*,\omega} - 1$ 

$$[Prop. 1a] \quad \eta_{x^*, \omega} < 0 \iff \eta_{q^*, \omega} < 1$$

**Equilibrium outcome**: a. output demand b. market structure















At a certain level of output, demand becomes "*nearly-satiated* " i.e. to convince customers to buy 1% more output, the price must fall so much that MR starts decreasing by more.



► Takes its "foot off the gas" and decides to expand q<sup>\*</sup> by less than 1%



► Takes its "foot off the gas" and decides to expand *q*<sup>\*</sup> by less than 1%

Productivity improvement is more than enough, so less input is needed!

In general

[Prop. 1c] 
$$\eta_{x^*,\omega} < 0 \iff \varepsilon(q^*) < 3 - \rho(q^*)$$

the threshold of  $\varepsilon(q)$  depends also on curvature  $\rho(q) \equiv -\frac{p''q}{p'}$ as it governs the rate at which  $\varepsilon(q)$  declines with q

In general

[Prop. 1c] 
$$\eta_{x^*,\omega} < 0 \iff \varepsilon(q^*) < 3 - \rho(q^*)$$

the threshold of  $\varepsilon(q)$  depends also on curvature  $\rho(q) \equiv -\frac{p''q}{p'}$ as it governs the rate at which  $\varepsilon(q)$  declines with q

► I bring this into the *demand manifold* framework (Mrázová & Neary, 2017) which allows comparing demands based only on their implied relationship between  $\varepsilon(q)$  and  $\rho(q)$ 



It occurs in <u>many</u> commonly-used demand functions (2<sup>nd</sup> Marshall law) e.g. Linear, LES, CARA, Bulow-Pfleiderer, Klenow-Willis, Logistic, ...



▶ Direct link to values of **pass-through** and **markups** e.g. linear  $\mu \ge 1.5$ 

Beyond monopoly, this result depends on elasticity of the *residual* demand

- positioning of each firm vs. others
- competitive pressure in the market

Beyond monopoly, this result depends on elasticity of the *residual* demand

► <u>Take-aways:</u>

**1.** Small firms always increase  $x^*$  vs. large may not adjust and scale back

Beyond monopoly, this result depends on elasticity of the *residual* demand

► <u>Take-aways:</u>

**1.** Small firms always increase  $x^*$  vs. large may not adjust and scale back

2. Monopolistic competition: prediction on firm size distribution breaks higher  $\omega_i \neq$  larger  $x_i$ 

Beyond monopoly, this result depends on elasticity of the *residual* demand

► <u>Take-aways:</u>

**1.** Small firms always increase  $x^*$  vs. large may not adjust and scale back

- 2. Monopolistic competition: prediction on firm size distribution breaks higher  $\omega_i \neq$  larger  $x_i$
- **3.** Oligopoly: any reduction in competition (i.e. merger, conduct)  $\downarrow \eta_{x^*,\omega}$ - even CES leads to  $\eta_{x^*,\omega} < 0$

# 2. From theory to empirics

## Ideal detection test for $\eta_{x^*,\omega} < 0$

• Observe  $\Delta \omega_i > 0$  and check

$$\begin{cases} \Delta x_i^*(\Delta \omega_i) < \mathbf{0} \\ \Delta q_i^*(\Delta \omega_i) > \mathbf{0} \end{cases}$$

## Challenges

**1.** Other contemporaneous (demand, cost) shocks may overshadow  $\Delta \omega_i$ 

$$\begin{cases} \Delta x_{i}^{*}(\Delta \omega_{i} , \Delta \xi_{i} , \Delta \psi_{i} , \Delta w) \gtrless 0 \\ \Delta q_{i}^{*}(\Delta \omega_{i} , \Delta \xi_{i} , \Delta \psi_{i} , \Delta w) > 0 \end{cases}$$

## Challenges

**1.** Other contemporaneous (demand, cost) shocks may overshadow  $\Delta \omega_i$ 

$$\begin{cases} \Delta x_{i}^{*}(\Delta \omega_{i}, \Delta \xi_{i}, \Delta \psi_{i}, \Delta w) \gtrless 0 \\ \Delta q_{i}^{*}(\Delta \omega_{i}, \Delta \xi_{i}, \Delta \psi_{i}, \Delta w) > 0 \end{cases}$$

2. Revenue vs. physical output

$$\begin{cases} \Delta x_i^*(\Delta \omega_i) < \mathbf{0} \\ \Delta r_i^*(\Delta \omega_i) > \mathbf{0} \end{cases}$$

## Challenges

1. Other contemporaneous (demand, cost) shocks may overshadow  $\Delta \omega_i$ 

$$\begin{cases} \Delta x_{i}^{*}(\Delta \omega_{i}, \Delta \xi_{i}, \Delta \psi_{i}, \Delta w) \gtrless 0 \\ \Delta q_{i}^{*}(\Delta \omega_{i}, \Delta \xi_{i}, \Delta \psi_{i}, \Delta w) > 0 \end{cases}$$

2. Revenue vs. physical output

$$\begin{cases} \Delta x_i^*(\Delta \omega_i) < 0 \\ \\ \Delta r_i^*(\Delta \omega_i) > 0 \end{cases}$$

**1** & **2** + **imperfect competition**  $\rightarrow \omega_i$  and  $\Delta \omega_i$  not estimable

► Develop a new approach to detect  $\eta_{x^*, \omega} < 0$  based on **observables** 

- ► Develop a new approach to detect  $\eta_{x^*,\omega} < 0$  based on **observables**
- **Sign restriction**: conditioning on  $\Delta r_i^* > 0$

$$\begin{cases} \Delta x_i^* (\Delta \omega_i , \Delta \xi_i , \Delta \psi_i , -\Delta w) \\ +/- & + & + \\ \Delta r_i^* (\Delta \omega_i , \Delta \xi_i , \Delta \psi_i , -\Delta w) \\ + & + & + & + \end{cases}$$

- ▶ Develop a new approach to detect  $\eta_{x^*, \omega} < 0$  based on **observables**
- **Sign restriction**: conditioning on  $\Delta r_i^* > 0$

$$\begin{cases} \Delta x_i^* (\Delta \omega_i , \Delta \xi_i , \Delta \psi_i , -\Delta w) \\ +/- + + + + \\ \Delta r_i^* (\Delta \omega_i , \Delta \xi_i , \Delta \psi_i , -\Delta w) \\ + + + + + + + \end{cases}$$

$$\mathsf{Ratio} = \frac{\% \Delta x_i^*}{\% \Delta r_i^*} < 0 \quad \iff \quad \eta_{x^*, \omega} < 0$$

- ▶ Develop a new approach to detect  $\eta_{x^*, \omega} < 0$  based on **observables**
- **Sign restriction**: conditioning on  $\Delta r_i^* > 0$

$$\begin{cases} \Delta x_i^* (\Delta \omega_i , \Delta \xi_i , \Delta \psi_i , -\Delta w) \\ +/- + + + \\ \Delta r_i^* (\Delta \omega_i , \Delta \xi_i , \Delta \psi_i , -\Delta w) \\ + + + + + + \end{cases}$$

$$\mathsf{Ratio} = \frac{\% \Delta x_i^*}{\% \Delta r_i^*} < 0 \quad \iff \quad \eta_{x^*, \omega} < 0$$

Prediction: Ratio more likely to become negative among larger firms

# 3. Application

## Application

Chinese Manufacturing Census (Brandt, Van Biesebroeck & Zhang, 2014, 2017)

- >300 narrowly-defined manufacturing industries (4-digit)
- period of intense productivity growth (1998-2007)

## Application

Chinese Manufacturing Census (Brandt, Van Biesebroeck & Zhang, 2014, 2017)

- >300 narrowly-defined manufacturing industries (4-digit)
- period of intense productivity growth (1998-2007)
- Restrict analysis to single-(main) product firms

## Application

Chinese Manufacturing Census (Brandt, Van Biesebroeck & Zhang, 2014, 2017)

- >300 narrowly-defined manufacturing industries (4-digit)
- period of intense productivity growth (1998-2007)
- Restrict analysis to single-(main) product firms
- Estimate output elasticity as cost shares for labor, intermediate and capital as yearly median at 4-digit industry-province level

Aggregate composite input x\* with a Cobb-Douglas PF

$$f(l,m,k) \omega = \underbrace{l^{\beta_l} m^{\beta_m} k^{\beta_k}}_{x^*} \omega$$

**Illustrative example.** Manufacturing of rubber boots (CIC 2960)



# Industries tested	314
---------------------	-----

# with declining Ratio 159
# with Ratio < 0
75
at highest revenue 5ile</pre>

#### # Industries tested 314

# with declining Ratio159# with Ratio < 0<br/>at highest revenue 5ile75 $\Leftrightarrow \eta_{x^*,\omega} < 0$ 

Evidence consistent with a decoupling of factor demand to productivity growth in <u>at least</u> 20% of industries

#### # Industries tested 314

# with declining Ratio159# with Ratio < 0<br/>at highest revenue 5ile75 $\Leftrightarrow \eta_{x^*,\omega} < 0$ 

Evidence consistent with a decoupling of factor demand to productivity growth in <u>at least</u> 20% of industries

In all of them, firms with higher revenues set higher markups (as expected)

I identify an overlooked mechanism through which market power leads firms to reduce their factor demand when they become more productive.

- I identify an overlooked mechanism through which market power leads firms to reduce their factor demand when they become more productive.
- Characterize the theoretical conditions for this result to emerge and assess its empirical relevance.

- I identify an overlooked mechanism through which market power leads firms to reduce their factor demand when they become more productive.
- Characterize the theoretical conditions for this result to emerge and assess its empirical relevance.
- This result challenges the common presumption in the literature and has wide-ranging implications

- I identify an overlooked mechanism through which market power leads firms to reduce their factor demand when they become more productive.
- Characterize the theoretical conditions for this result to emerge and assess its empirical relevance.
- This result challenges the common presumption in the literature and has wide-ranging implications
  - 1. Measurement of within-industry <u>reallocation</u>
  - 2. Control function approach to production function estimation

- I identify an overlooked mechanism through which market power leads firms to reduce their factor demand when they become more productive.
- Characterize the theoretical conditions for this result to emerge and assess its empirical relevance.
- This result challenges the common presumption in the literature and has wide-ranging implications
  - 1. Measurement of within-industry <u>reallocation</u>
  - Control function approach to production function estimation
     many others still to be unveiled

# Thanks!