

Climate Change Mitigation: How Effective is Green Quantitative Easing?

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Research Question and Results

- Comparison of Green QE to Carbon Tax with respect to
 - Emission reduction
 - Temperature reduction
- Green QE understood as ...
 - ... shift in central banks' private sector securities portfolio ...
 - ... towards green assets
 - Rationale for QE itself not modeled
- Results
 - Green QE can contribute to climate change mitigation
 - But less effective than a carbon tax
 - Green QE complementary, if insufficient carbon pricing

- Integrated Assessment Model (IAM)
 - World economy
 - General equilibrium
 - Two production sectors: **Clean** and **Dirty**
 - Dirty energy sector emits carbon
 - Climate module
 - Portfolio choice: clean and dirty capital
 - Idiosyncratic return-risk
 - Imperfect correlation of returns → partial crowding out
- Policy Experiments:
 - Carbon tax
 - Green quantitative easing (QE)
 - Carbon tax + green QE

- **Maximum (Stylized) Green QE**

- **Perfect** clean-dirty **taxonomy**
- Central banks' **portfolio size is large and growing**
- **Full immediate shift** towards green assets
- **High elasticity of substitution** (between clean and dirty goods)
- **Zero correlation** of asset returns

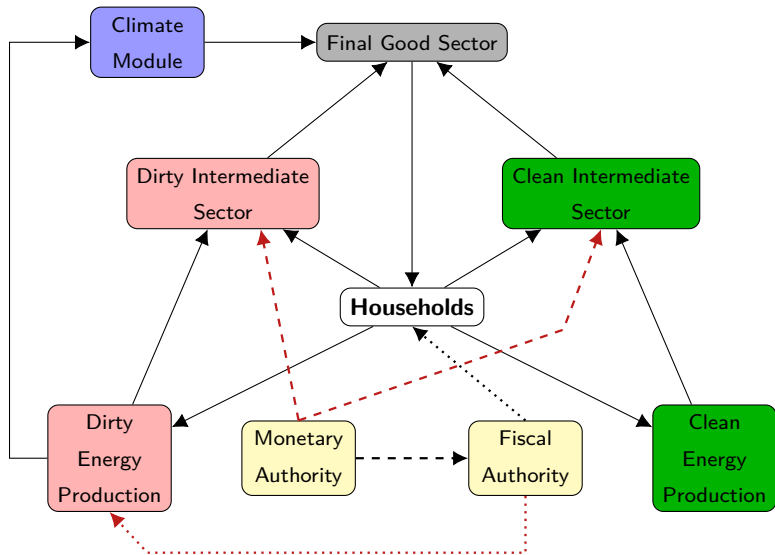
- **Modest Carbon Tax**

- Carbon tax of 50 USD/tC (\approx **13.6 USD/tCO₂**)
- Tax rate constant (relative to dirty energy costs)

Related Literature

- IAMs along the **transition**: Golosov et al. (2014), Kotlikoff et al. (2019, 2021), Nordhaus and Boyer (2000), Van Der Ploeg and Rezai (2021), Ferrari and Landi (2022) etc.
- **DSGEs** with climate module and green monetary policy: Heutel (2012), Giovanardi, Kaldorf, Radke, and Wicknig (2021), Ferrari and Landi (2020), Benmir and Roman (2020)
- Papoutsis, Piazzesi and Schneider (2021): Carbon bias in Eurosystem's corporate bond portfolio

Model Overview



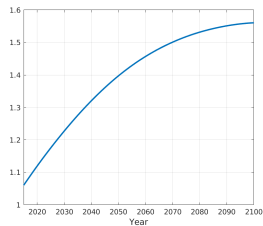
Results

Steps

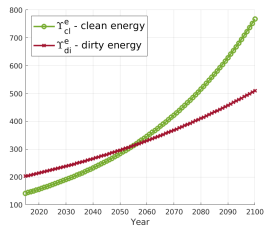
- 1 Transition profiles of baseline scenario (2015 - 2100 shown)
 - Central bank's capital proportional to private clean and dirty capital
 - No carbon tax
- 2 Three policy scenarios (introduced in 2021):
 - Carbon tax
 - Green QE
 - Carbon tax + green QE
- 3 Comparison of transition profiles of baseline and 3 counterfactuals

Results - Baseline

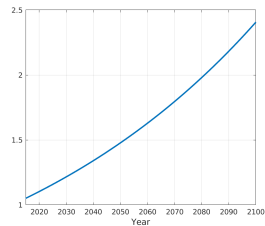
Exogenous Driving Forces



(a) Labor



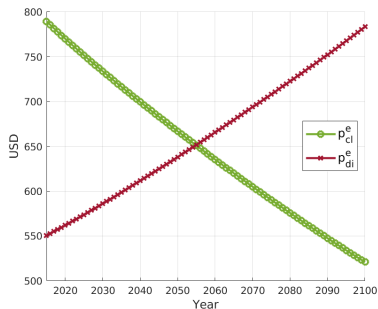
(b) Energy productivity



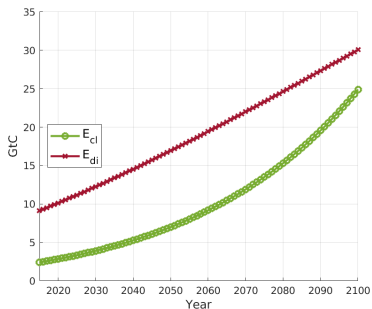
(c) Final good productivity

Results - Baseline

Intermediate Production - Energy Input



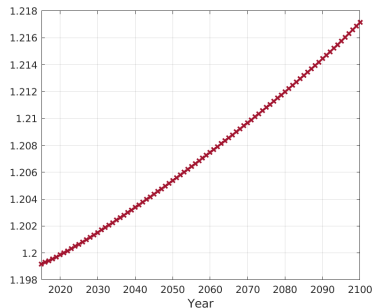
(a) Energy price



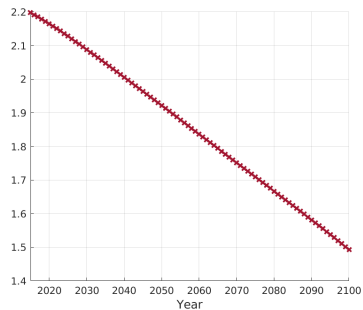
(b) Energy input

Results - Baseline

Final Production Inputs



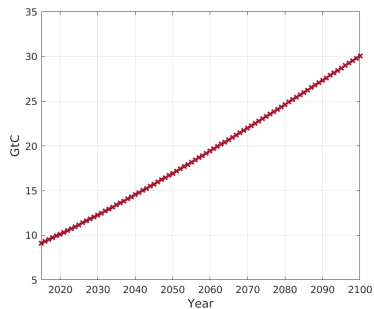
(a) Relative price dirty to clean ($\frac{P_{di}}{P_{cl}}$)



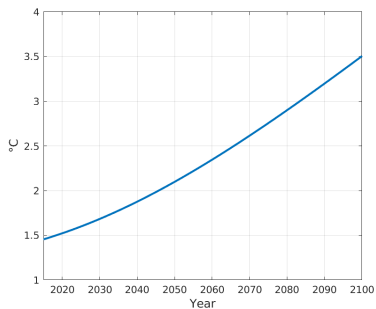
(b) Relative good use dirty/clean ($\frac{Y_{di}}{Y_{cl}}$)

Results - Baseline

Climate Variables



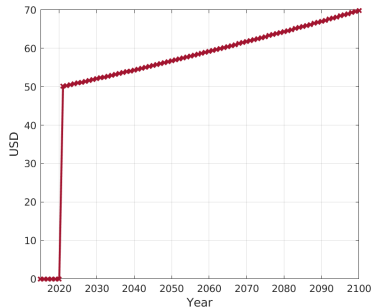
(a) Carbon emissions



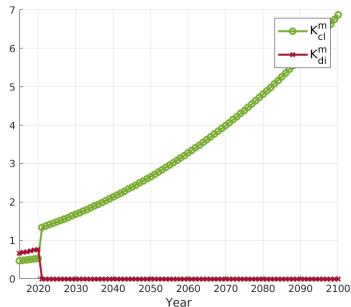
(b) Temperature

Policy Scenarios

Driving Forces



(a) Carbon tax

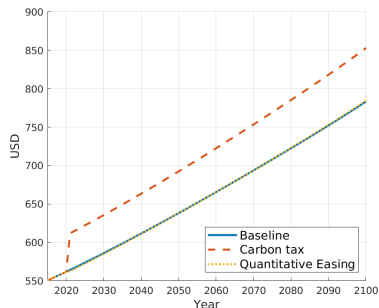


(b) Capital holdings by monetary authority

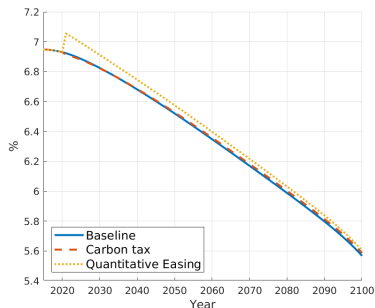
- 1 **Carbon tax:** $\tau_{2021,di}^e = 50 \text{ USD/tC} = \mathbf{13.6 \text{ USD/tCO}_2}$, growing with dirty energy price ($\approx 0.4\%$)
- 2 **Green QE:** full shift to K_{cl} , growing with capital ($\approx 2.0\%$)

Results - Scenarios

Dirty Energy Price & Capital Return



(a) Dirty energy price

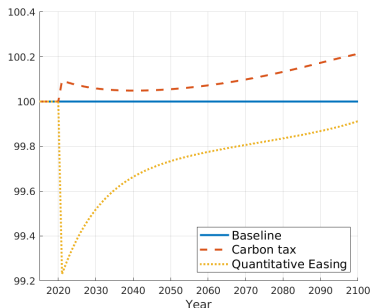
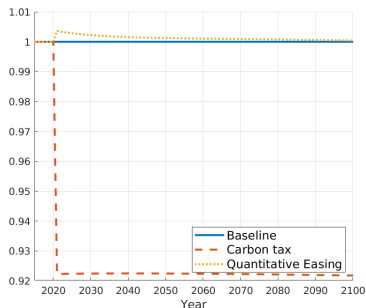


(b) Dirty rate of return

- **Carbon tax** increases dirty energy price: $p_{di}^e \uparrow$
- **Green QE** increases cost of dirty capital: $r_{di} \uparrow$

Results - Scenarios

Intermediate Production - Factor Intensities



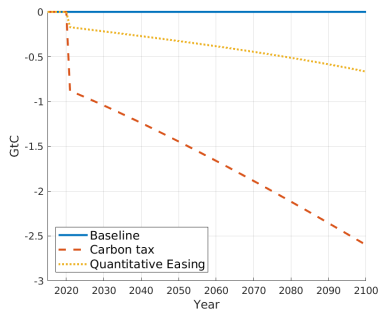
(a) Dirty energy intensity $\left(\frac{E_{di}}{Y_{di}}\right)$

(b) Dirty capital intensity $\left(\frac{K_{di}}{Y_{di}}\right)$

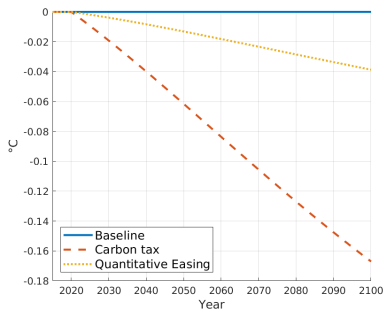
- **Carbon tax:** Lowers energy intensity, $E_{di}/Y_{di} \downarrow$
increases dirty capital intensity, $K_{di}/Y_{di} \uparrow$
- **Green QE:** Increases energy intensity, $E_{di}/Y_{di} \uparrow$
decreases dirty capital intensity, $K_{di}/Y_{di} \downarrow$

Results - Scenarios

Climate Variables - Reductions



(a) Emission reduction

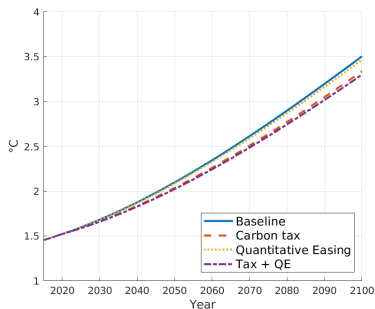


(b) Temperature reduction

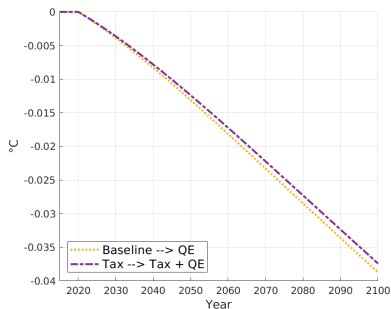
Year 2100 temperature reduction of **Green QE** equivalent to
 $\approx 11 \text{ USD/tC} \approx 3 \text{ USD/tCO}_2$ carbon tax

Results - Scenarios

Combining Carbon Tax & Green QE



(a) Temperature

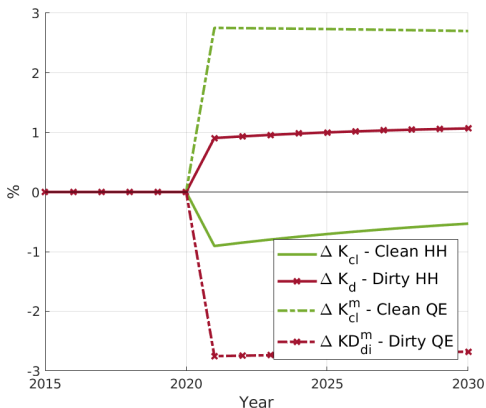


(b) Temperature reduction

Green QE on top of carbon tax (somewhat) less effective than standalone.

Results - QE-Scenario

Why no crowding out?



Imperfect crowding out of private held capital K_{cl}^{HH} through quantitative easing K_{di}^{HH} due to **imperfect correlation** of clean and dirty capital returns.

Sensitivity Analysis

	Baseline	Flat QE	CO2 Bias	Pos. Corr.	Low SE	WAPR	CO2 Re.
T in 2100	3.505	3.503	3.505	3.408	3.539	3.190	2.566
$\Delta T - \tau$	-0.167	-0.167	-0.167	-0.170	-0.155	-0.149	-0.107
$\Delta T - QE$	-0.039	-0.011	-0.056	-0.032	-0.005	-0.036	-0.029
$\Delta T - \tau / \Delta T - QE$	4.3	15.2	3	5.3	31	4.1	3.7

Summary

↓ - Lower CO2 emissions ↑ - Higher CO2 emissions

- Carbon tax leads to ...
 - 1 ↓ Final sector: **Lower demand** for dirty interm. good
 - 2 ↓ Interm. sector: **Lower demand** for dirty energy
- Green QE leads to ...
 - 1 ↓ Final sector: **Lower demand** for dirty interm. good
 - 2 ↑ Interm. sector: **Higher demand** for dirty energy
 - 3 ↑ Partial crowding out of private capital
- Carbon tax stronger ($-0.167C^\circ$ vs. $-0.039C^\circ$ for green QE) ...
 - Green QE equivalent to carbon tax ≈ 3 USD/tCO₂
- ... but green QE complementary to carbon tax

End

Thank you for your attention!

Households

Households choose $k_{t,i,cl}$, $k_{t,i,di}$ and c_{ti} facing **idiosyncratic risks in returns** $r_{t,i,cl}$ and $r_{t,i,di}$

Households **Epstein-Zin preferences**:

$$u_{ti} = \left[c_{ti}^{1-v} + \beta \cdot \left(\mathbb{E}[u_{t+1i}^{1-\theta}] \right)^{\frac{1-v}{1-\theta}} \right]^{\frac{1}{1-v}},$$

Households' **budget**:

$$k_{t+1,cl,i} + k_{t+1,cl,i}^D + (1 + \tau_t^c) c_{ti} = (1 + r_{t,cl,i}) k_{t,cl,i} + (1 + r_{t,di,i}) k_{t,di,i} + r_t^l L$$

Energy production

Clean and **dirty** energy production, $s \in \{cl, di\}$ through labor only

$$E_{ts} = \gamma_{ts}^e L_{ts}^e.$$

Profit maximization, given energy prices p_{ts}^e , energy taxes τ_{ts}^e and wages r_t^l ,

$$\max_{L_t^e} p_{ts}^e (1 - \tau_{ts}^e) \gamma_{ts}^e L_{ts}^e - r_t^l L_{ts}^e,$$

yields **energy prices**

$$p_{ts}^e = \frac{r_t^l}{(1 - \tau_{ts}^e) \gamma_{ts}^e}.$$

Intermediate good production

Every household runs **two intermediate good firms, clean and dirty**, $s \in \{cl, di\}$ using **own capital** k_{tsi} , and purchasing labor ℓ_{tsi} and energy e_{tsi}

$$y_{tis} = \psi_s \left[(k_{tis})^\alpha (\ell_{tis})^{1-\alpha} \right]^\gamma \cdot e_{tis}^{1-\gamma} + \zeta_{tis} k_{tis},$$

where $(\zeta_{t,cl,i}, \zeta_{t,di,i}^X) \sim D(\cdot, \Sigma)$.

Profit maximization, given **intermediate good prices** p_{ts} , wages r_t^l , energy prices p_{ts}^e and depreciation rate δ_s

$$\max_{\ell_{tis}, e_{tis}} p_{ts} \cdot y_{tis} - r_t^l \ell_{tis} - p_{ts}^e e_{tis} - \delta_s k_{tis},$$

... yields **capital returns**

$$r_{tis} = \text{coeff} \cdot p_{ts} \left(\frac{r_t^l}{p_{ts}} \right)^{-\frac{1-\alpha}{\alpha}} \cdot \left(\frac{p_{ts}^e}{p_{ts}} \right)^{-\frac{1-\gamma}{\alpha\gamma}} - \delta_s + p_{ts} \zeta_{tis}$$

Final Good Production

$$Y_t = (1 - D_t) \cdot \Upsilon_t \cdot \left(\kappa_{cl}(Y_{t,cl})^{\frac{\varepsilon-1}{\varepsilon}} + \kappa_{di}(Y_{t,di})^{\frac{\varepsilon-1}{\varepsilon}} \right)^{\frac{\varepsilon}{\varepsilon-1}},$$

with **damage** D_t .

Carbon stock

$$S_t = S_{1t} + S_{2t},$$

... accumulates according to

$$S_{1t} = \phi_1 \xi E_t^D + \rho_1 S_{1,t-1}$$

$$S_{2t} = (1 - \phi_1) \xi E_t^D + \rho_2 S_{2,t-1},$$

... determines **temperature**

$$T_t = \lambda \frac{\log(S_t/S)}{\log(2)},$$

... which determines **damage**

$$D_t = 1 - \frac{1}{1 + \nu T_t^2}.$$

• Fiscal

- Levies **carbon taxes** $\tau_{t,di}^e$ and **consumption taxes** τ_t^c
- Receives central bank's profits π_t^m
- No government debt (\rightarrow OLG/perpetual youth needed)

$$\tau_t^e E_{t,di} + \tau_t^c C_t + \pi_t^m = 0$$

• Monetary

- Holds **clean** $K_{t,cl}^m$ and **dirty** $K_{t,di}^m$ **capital**
- Proportional portfolio size: $K_{t,cl}^m + K_{t,di}^m = \bar{k}^{QE} \cdot (K_{t,cl}^{HH} + K_{t,di}^{HH})$
- **Central bank's profits** are

$$\pi = \mathbb{E}[r_{t,cl}]K_{t,cl}^m + \mathbb{E}[r_{t,di}]K_{t,di}^m - \Delta K_{t+1,cl}^m - \Delta K_{t+1,di}^m$$

- Climate Module (a la Golosov et al., 2014):

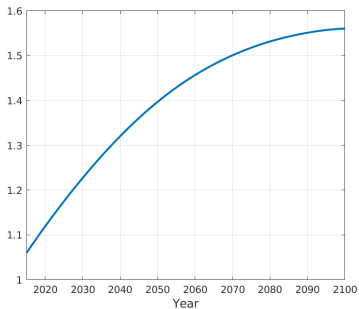
$$S_{1t} = 0.5 \cdot 0.4 E_t^D + 0.999 \cdot S_{1,t-1}$$

$$S_{2t} = (1 - 0.5) \cdot 0.4 \cdot E_t^D + 0.995 \cdot S_{2,t-1}$$

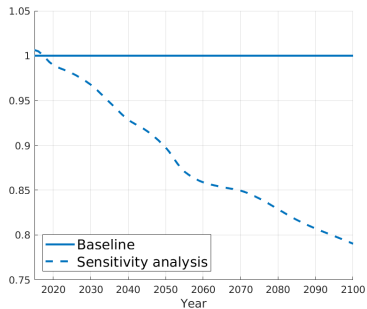
$$T_t = 3 \cdot \frac{\log(S_t/581)}{\log(2)}$$

$$D_t = 1 - \frac{1}{1 + 0.0028388 T_t^2}$$

Population Dynamics



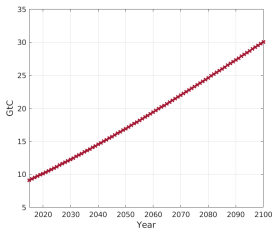
(a) Population size



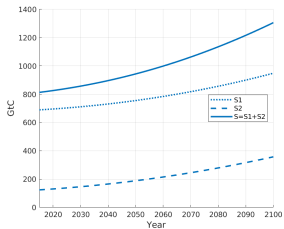
(b) WAPR

Results - Baseline

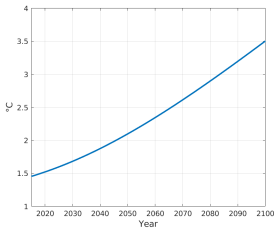
Climate Variables



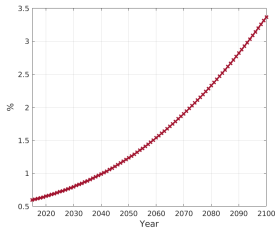
(a) CO2 emissions



(b) Carbon stock



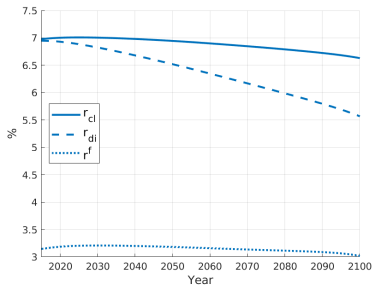
(c) Temperature



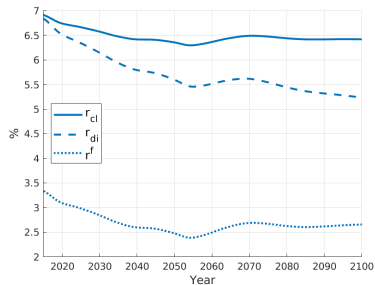
(d) Damage

Results - Baseline

Interest Rates



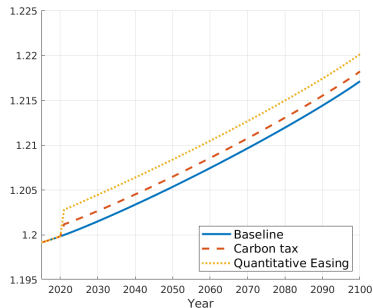
(a) Fixed WAPR - Main setup



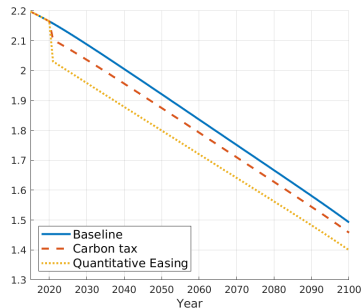
(b) Time-varying WAPR - Sensitivity setup

Results - Scenarios

Dirty Intermediate Good Price and Demand



(a) Relative price dirty to clean ($\frac{P_{di}}{P_{cl}}$)



(b) Relative good use dirty/clean ($\frac{Y_{di}}{Y_{cl}}$)

Calibration

First Stage Parameters

Parameter	Value	Target (Source)
<u>Population and labour supply</u>		
Initial population size N_0	1	Data moment (United Nations)
Initial population growth rate n_0	0.0121	Data moment (United Nations)
Initial working age population ratio ω_0	1	Constant (baseline)
<u>Final good technology</u>		
Elast. of subst. ϵ	26	Elasticity of energy subst. 2
<u>Intermediate good technology</u>		
Non-energy share: γ	0.96	Kotlikoff et al. (2019)
Capital share: α	0.33	Standard value
<u>Climate Module</u>		
Initial carbon stock: S_0	802 GtC	
Pre-industrial carbon stock: S_{pre}	581 GtC	
Stock 1 share: ϕ_s	[0.5,0.5]	a la
Emission share in atmosphere: ξ	0.4	Golosov et al. (2014)
Carbon stock persistence: ρ_c	$\rho_c = [0.996, 0.999], c \in \{ra, sl\}$	
Temp. increase with S : λ	3	
Temperature to damage: ν	0.0028388	
<u>Preferences</u>		
Elasticity inter-temp. substit., $1/\nu$	0.5	Standard value

Notes: Calibration in the baseline model. First stage parameters calibrated with reference to other studies or without using the model. Steady state year is year 2010.

Calibration

Second Stage Parameters

Parameter	Value	Moment
<i>Final good technology</i>		
Interm. good weight $\kappa_s, s \in \{cl, di\}$	0.45, 0.55	$E_{0s=di} / E_{0s=cl} = 4$
Growth rate final good TFP, g	0.0098	$(\frac{Y_{2100}}{L_{2100}} / \frac{Y_{2020}}{L_{2020}})^{\frac{1}{30}} - 1 = 1.50\%$
<i>Intermediate good technology</i>		
Interm. productivity factor: $\psi_{s=cl} = \psi_{s=di}$	4811	$E_{0s=di} = 30 \text{ GtCO}_2$
Expected depreciation rate: $\delta_s, s \in \{cl, di\}$	0.015, 0.087	$\mathbb{E}[r_{0s}] = 6.94\%, s \in \{cl, di\}$
Std. of depreciation shock: $\sigma_s^{\zeta}, s \in \{cl, di\}$	0.030, 0.021	$\sigma^{r_{0s}} = 8.4\%, s \in \{cl, di\}$ (std. of capital returns)
<i>Energy production technology</i>		
Clean productivity factor, $\Upsilon_{0s=cl}^e$	128	$p_{0s=cl}^e = 810 \text{ USD/tC}$
Dirty productivity factor, $\Upsilon_{0s=di}^e$	192	$p_{0s=di}^e = 540 \text{ USD/tCe}$
Growth rate clean prod. fact., $g_{s=cl}^e$	0.020	$(p_{2100s=cl}^e / p_{2020s=cl}^e)^{\frac{1}{70}} - 1 = -0.50\%$
Growth rate dirty prod. fact., $g_{s=di}^e$	0.011	$(\frac{E_{2035s=di}}{Y_{2035}} / \frac{E_{2020s=di}}{Y_{2020}})^{\frac{1}{15}} - 1 = -0.50\%$
<i>Preferences</i>		
Time discount factor: β	0.997	$K/Y = 2.5$
Relative risk aversion: θ	63.9	$r^f = 2.9\%$
<i>Central bank portfolio</i>		
Capital holdings $K_{0s}^m, s \in \{cl, di\}$	[6244, 8930]	$K_{0s}^m / K_{0s} = 4\%, s \in \{cl, di\}$

Notes: Calibration in the baseline model. Second stage parameters calibrated endogenously by matching of moments. Steady state year is year 2010.