

Substitutes or complements: a budget-based analysis of the relationship between donating and volunteering

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Introduction

Motivation and question

- Non-profit and philanthropic organizations rely on charitable gifts of various types, e.g. **donating and volunteering**
- Individuals' gifts of money and time are often studied independently of each other or in limited contexts
- Knowledge of **underlying preferences** for charitable giving benefits general understanding of altruistic preferences

Are donating and volunteering substitutes or complements?
How to sensibly test this?

Literature

Textbook definition (Nicholson and Snyder, 2016):

- Two goods are substitutes if an increase in the price of one good increases the quantity demanded of the other good
- Two goods are complements if an increase in the price of one good decreases the quantity demanded of the other good
- Effect of tax treatment donations (its "price") on volunteering (e.g., Andreoni et al., 1996; Brown and Lankford, 1992; Feldman, 2010)
 - Always based on American giving data
 - Overall inconclusive results
- (Partial) lab studies using real-effort volunteering tasks suggest substitute relationship (Brown et al., 2019; Lilley and Slonim, 2014; Ploner and Regner, 2013)
- Field experiment by Yeomans and Al-Ubaydli (2018) shows that a charity's (starting) volunteers reduce their volunteering hours after receiving a donation request

Contribution

- Derive a **model of donating and volunteering** with an explicit role for the money and time budgets available for these gifts
- Show that the relationship between donating and volunteering can (under certain conditions) be identified by their **cross-budget effect**
- Present an **empirical application** using an econometric model that mimics these conditions
- Estimate own- and cross-budget effects using a **panel dataset of Dutch individuals** and relate estimates to the theoretical model

Theoretical model

A model of donating and volunteering

$$U(c, l, d, v) = u_\alpha(c) + u_\beta(l) + \phi(d, v)$$

c = composite private consumption

l = leisure

d = donating

v = volunteering

maximize $U(c, l, d, v)$
 c, l, d, v

subject to $c + p_d d \leq M,$

$l + p_v v \leq T,$

$d \geq 0,$

$v \geq 0.$

$$u_\alpha(c) = \alpha_c c + (\alpha_{cc}/2)c^2 \quad \text{and} \quad u_\beta(l) = \beta_l l + (\beta_{ll}/2)l^2$$

$$\phi(d, v) = \gamma_d d + \gamma_v v + \gamma_{dv} dv + (\gamma_{dd}/2) d^2 + (\gamma_{vv}/2) v^2$$

Giving outcomes

1. No giving
2. Donating only
3. Volunteering only
4. Donating & volunteering

► Derivations

$$d_2 = \frac{A_1}{B_1}$$

$$A_1 = [\alpha_c + \alpha_{cc}M]p_d - \gamma_d$$
$$B_1 = [\gamma_{dd} + \alpha_{cc}p_d^2] < 0$$

$$d_4 = \frac{\gamma_{dv}A_2 - A_1B_2}{\underbrace{\gamma_{dv}^2}_{>0} - \underbrace{B_1B_2}_{>0}}$$

$$A_2 = [\beta_I + \beta_{II}T]p_v - \gamma_v$$
$$B_2 = [\gamma_{vv} + \beta_{II}p_v^2] < 0$$

Model predictions

1. No giving
2. Donating only
3. Volunteering only
4. Donating & volunteering

$$\frac{dd_2}{dM} = \frac{\alpha_{cc} p_d}{\gamma_{dd} + \alpha_{cc} p_d^2}$$

$$\frac{dd_2}{dT} = 0$$

$$\frac{dd_4}{dM} = \frac{-\alpha_{cc} p_d B_2}{\gamma_{dv}^2 - B_1 B_2}$$

$$\frac{dd_4}{dT} = \frac{\gamma_{dv} \beta_{II}}{\gamma_{dv}^2 - B_1 B_2}$$

Application

Data

- Giving in the Netherlands Panel Survey (Center for Philanthropic Studies at VU Amsterdam) (Bekkers et al., 2021)
 - Unbalanced panel representative of Dutch population (> 18 years age)
 - Biennial since 2002
- Estimation sample of 503 individuals, 2439 observations
 - Inclusion rule $T \geq 4$, average $T = 4.85$
 - Years 2006-2019
- Data on time and money budgets and charitable gifts
 - Average work week of 18 hours, net household income of €2270
 - $\frac{1}{3}$ of all observations: participation in both *donating & volunteering*
 - Average among individuals in that category: €400/year of donations & 20.2 volunteer hrs/month

Variables

- *Donating* = household total value (in €) of money and goods donations in a certain calendar year
- *Volunteering* = individual hours spent on volunteering per month in a certain year
- *Income* = household net monthly income (in €) → proxy for money budget M
- *Working hours* = individual paid hours of work per week → inversely related to time budget T
- Battery of time-variant control variables
(#kids in hh, moving provinces, home ownership status, working hours partner)

Empirical strategy

- Estimate (volunteering) own-budget effects using Fixed Effects Poisson model
- **Main model: Correlated Random Effects two-part model**
 - Goal: estimate cross-budget effect for individuals in regime *donating & volunteering*
 - First-part logit to estimate donating *participation*
 - Second-part Poisson to estimate donating *amount* using only the positive observations
 - Pooled estimation
- Income and working hours assumed strictly exogenous conditional on fixed and correlated random effects

Empirical strategy: Second-part conditional mean model

$$E(\textit{donating}_{it} \mid x_i, S_i, \delta_t) = \exp(\psi + \bar{x}_i \boldsymbol{\xi} + \bar{w}_i \boldsymbol{\eta} + x_{it} \boldsymbol{\beta} + \mathbf{w}_{i,t,t-1} \boldsymbol{\theta} + S_i \boldsymbol{\tau} + \delta_t)$$

- x_{it} = vector including *income*_{it} & *workinghours*_{it} & time-variant individual controls
- $w_{i,t,t-1}$ = vector including dummy for last-period participation in volunteering and its interaction with *workinghours*_{it}
- \bar{x}_i, \bar{w}_i = averages of x_{it} & $w_{i,t,t-1}$, $t = 1, \dots, T$
- δ_t = vector of time dummies
- S_i = a vector of selection dummies

Results: Volunteering own-budget effect

Poisson model estimates of volunteer time			
	(1)	(2)	(3)
Income	0.005 (0.006)	0.014** (0.007)	0.015** (0.007)
Working hours	-0.029*** (0.004)	-0.025*** (0.006)	-0.025*** (0.006)
χ^2	45.20***	29.08***	44.75***
Individual FE		✓	✓
Indiv. controls			✓
N	2439	1440	1440

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Notes: SE clustered at the individual level in parentheses. Each model includes time dummies. Income equals net monthly household income *in* €100. The FE model uses only the observations of individuals with at least some variation in volunteering.

Results: Donating cross-budget effect

Two-part model estimates of donations		
POISSON SECOND-PART		
Income	0.007 (0.005)	0.006 (0.005)
Working hours	-0.006* (0.004)	-0.006* (0.004)
V_{t-1} * Working hours	0.009* (0.005)	0.009* (0.005)
V_{t-1}	-0.102 (0.125)	-0.103 (0.126)
χ^2	111.27***	189.09***
N	2048	2048
CRE individual means	✓	✓
Individual controls		✓

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

Notes: SE clustered at the individual level in parentheses. Each model includes time dummies and selection dummies for obs./indiv. Income equals net monthly household income *in* €100. The second part-model only uses observations of positive donations.

Giving to church

- Opportunity to study relationship between two modes of disagreggate giving
- Small remaining sample of religious givers
- No own-budget effect time on volunteering for church
- Also no cross-budget effect time on donating to church (as predicted by model in case of no own-budget effects)

Sensitivity analyses

- Results robust to changes in inclusion rules ($T > 2$ or $T > 4$ instead of $T > 3$)
- And to including in the analysis the years 2002 and 2004 which used slightly different questions
- Excluding 2019: stronger time effects, but sensitive to inclusion of control variables
- Monetary giving: two-part model estimates become weaker rather than stronger

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Conclusions

Findings

- Significant negative effect of change in working hours on volunteering hours:
positive own-budget effect for volunteering
- Within-individual variation in working hours also weakly influences donation level:
non-zero cross-budget effect of time on donating
- The **direction** of this effect **differs** per "giving regime"
- For *don & vol* individuals, the cross-budget effect is **negative but insignificant** and significantly differs from that of *donating only* individuals
- (Weakly) suggests that donating and volunteering are substitutes

Bottom line

- Budget variation instead of price variation to determine the relationship between donating and volunteering
- Especially useful to apply to **contexts with limited price variation of donations** (importance of charitable deductions)
- Application(s) with different panel data needed for **more conclusive evidence in the future**
- Multi-mode, multi-budget model as starting point for research in other domains of prosocial behavior

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Thank you!

Questions and contact:

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Appendix

Constrained optimization problem

$$\mathcal{L} = u_\alpha(c) + u_\beta(l) + \gamma_d d + \gamma_v v + \gamma_{dv} dv + (\gamma_{dd}/2) d^2 + (\gamma_{vv}/2) v^2 \\ + \lambda_m(M - c - p_d d) + \lambda_t(T - l - p_v v) + \mu_d d + \mu_v v$$

$$c : u'_\alpha(c) - \lambda_m = 0 \quad (1)$$

$$l : u'_\beta(l) - \lambda_t = 0 \quad (2)$$

$$d : \gamma_d + \gamma_{dd}d + \gamma_{dv}v - \lambda_m p_d + \mu_d = 0 \quad (3)$$

$$v : \gamma_v + \gamma_{vv}v + \gamma_{dv}d - \lambda_t p_v + \mu_v = 0 \quad (4)$$

$$\lambda_m : M - c - p_d d = 0 \quad (5)$$

$$\lambda_t : T - l - p_v v = 0 \quad (6)$$

$$\mu_d d = 0 \quad (7)$$

$$\mu_v v = 0 \quad (8)$$

Derivations of d and v

1. No giving
2. Donating only
3. Volunteering only
4. Donating & volunteering

▶ Return

$$A_1 = [\alpha_c + \alpha_{cc}M]p_d - \gamma_d$$

$$B_1 = [\gamma_{dd} + \alpha_{cc}p_d^2] < 0$$

$$A_2 = [\beta_l + \beta_{ll}T]p_v - \gamma_v$$

$$B_2 = [\gamma_{vv} + \beta_{ll}p_v^2] < 0$$

Regime 2

Combining (1), (3) & (5)
and plugging in $v_2 = 0$:

$$d_2 = \frac{A_1}{B_1}$$

Regime 4

Combining (1), (3) & (5):

$$v = \frac{A_1 - B_1d}{\gamma_{dv}} \quad (9)$$

Combining (2), (4) & (6):

$$d = \frac{A_2 - B_2v}{\gamma_{dv}} \quad (10)$$

Substituting (9) in (10):

$$d_4 = \frac{\gamma_{dv}A_2 - A_1B_2}{\underbrace{\gamma_{dv}^2}_{>0} - \underbrace{B_1B_2}_{>0}}$$