

# The Conservation Multiplier

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- The Norwegian REDD+ funds are halted, in part because of disagreements over whether the payments should be earmarked or used at the discretion of the current government.
- The government in any resource-rich country faces the decision over whether to exploit or conserve. If the resource is conserved, the subsequent government inherits the dilemma.

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- 2 ...and on stability, conflicts, and polarization?
- 3 Can "principals" (lobbies/compensators) take advantage of the dynamic game between the "agents" (the governments)?
- 4 How should compensation for conservation be structured and targeted?

- **Political turnover** leads to less investments in state capacity (Besley and Persson, 2009; 2010), the accumulation of debt (Persson and Svensson, 1989; Alesina and Tabellini, 1990; Tabellini, 1991; Battaglini and Coate, 2008), and to time inconsistency (Amador, 2003; Bisin et al., 2015; Chatterjee and Eyigungor, 2016; Harstad, 2020a).
  - However, these decisions (f.ex., accumulation of debt) are reversible, while for the multiplier effect, in this paper, the decision to exploit must be irreversible.
  - Alesina and Drazen (1991) model stabilization policies as a once-and-for-all irreversible policy decision. There, each policymaker benefits if another policymaker ends the game (by stabilizing the economy), while in the present paper each policymaker hopes that the other policymakers will *not* end the game. This difference is key and leads to dramatically different results.
- **Multiple lobby groups** are naturally considered already in the political economy literature: Outcome is efficient when all stakeholders lobby (Grossman and Helpman, 1994).
  - This result fails to hold in the present exploitation vs. conservation game.
  - In contrast, the analysis below uncovers a fundamental asymmetry in the influence between the lobby paying for action (i.e., exploitation) and the stakeholder paying for inaction (i.e., conservation), because the first lobby only needs to pay the president one single time to succeed, whereas the stakeholder paying for conservation needs to pay in every period.

# The Model

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- The extraction cost is  $c(\cdot)$ .
- The common discount factor is  $\delta$ :

$$V(S_t) = Ax_t S_t + b(1 - x_t) S_t - c(\cdot) + \delta V(S_{t+1}).$$



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- Extraction cost:

$$\frac{c}{2} x_t^2 S_t.$$

# The Model: Extraction

- **Microfoundation:**

- Suppose there are temporary iid shocks on costs (-benefits) across the units:

$$\tilde{c} \sim U[0, \bar{c}].$$

- It is cost-effective to extract the least-cost fraction  $x_t$ . Thus, every unit where  $\tilde{c} < x_t \bar{c}$ .
- The expected unit cost vs. total cost is:

$$x_t \cdot \frac{x_t \bar{c}}{2} \quad \text{vs.} \quad x_t \cdot \frac{x_t \bar{c}}{2} S_t.$$

- Holds also if the unit-specific  $\tilde{c}$  is observed only by local suppliers – if the local surplus is internalized, and if it is not (the government's cost is then  $\bar{c} x_t^2 S_t$ ).
- Holds also if the shocks (while iid over time) are perfectly correlated across the units (then,  $x_t$  measures expected fraction that is extracted).

# The Model: Tractability

**Lemma.**  $S_t$  is payoff-irrelevant; each Markov-perfect  $x_t$  is independent from  $S_t$ .

*Proof.* If every future action is  $x_s$ , the continuation value from  $t + 1$ , is:

$$\begin{aligned} & \sum_{\tau=t+1}^{\infty} \delta^{\tau-(t+1)} (1-x_s)^{\tau-(t+1)} [S_{t+1}x_s A + S_{t+1}(1-x_s)b - S_{t+1}cx_s^2/2] \\ &= v(x_s) S_{t+1}, \text{ where } v(x_s) = \frac{x_s A + (1-x_s)b - x_s^2 c/2}{1-\delta(1-x_s)}. \end{aligned}$$

Given this, the solution at  $t$  is:

$$\arg \max_{x_t} S_t x_t A_t + S_t (1-x_s) b - S_t x_s^2 c/2 + \delta (1-x_t) v(x_s) S_t,$$

where possibly  $A_t \neq A$ . This solution for  $x_t$  is independent from  $S_t$ .



# The MPE

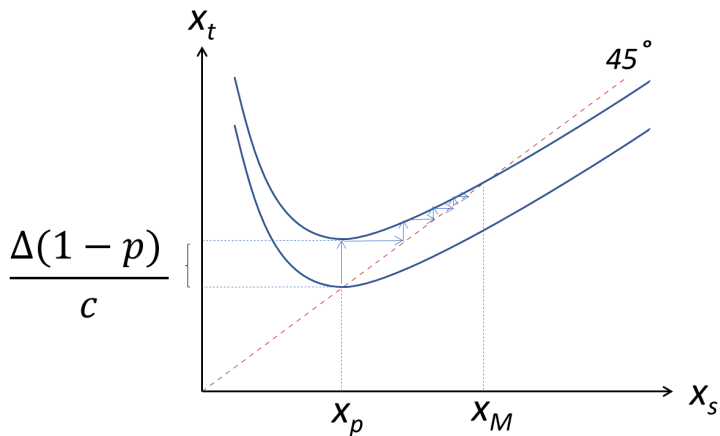


Figure: If  $\Delta$  increases a little,  $x_M$  can increase by a lot – thanks to the multiplier.

# The Multiplier

## Proposition

- If  $(1 - \rho) \Delta$  is larger,  $x_M$  is larger,  $\partial x_t / \partial x_s > 0$  is larger, and comparative statics are strengthened by a multiplier:

$$\frac{dx}{dA} = \frac{\partial x}{\partial A} \cdot (1 + \mu),$$

$$\mu = \frac{\partial x_t / \partial x_s}{1 - \partial x_t / \partial x_s},$$

$$\frac{\partial x_t}{\partial x_s} = \frac{\delta (1 - \rho) \Delta}{c (1 - \delta + \delta x)} > 0.$$

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$$\begin{aligned}\frac{dx}{d\bar{A}} &= \frac{\partial x}{\partial \bar{A}} \cdot (1 + \mu), \\ \mu &= \frac{\partial x_t / \partial x_s}{1 - \partial x_t / \partial x_s}, \\ \frac{\partial x_t}{\partial x_s} &= \frac{\delta (1 - \rho) \Delta}{c (1 - \delta + \delta x)} > 0.\end{aligned}$$

- We can also refer to  $\mu$  as the "conservation multiplier", because:

$$\frac{d(1 - x)}{d\bar{A}} = -\frac{dx}{d\bar{A}} = -\frac{\partial x}{\partial \bar{A}} \cdot (1 + \mu).$$

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- The rate of return to lobbying can be very high!
- Suppose  $K$  loses  $F$ , while  $L$  gains  $G$ , per extracted unit. Both can offer conditional linear compensations.



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$$-\frac{\partial x_M / \partial G}{\partial x_M / \partial F} = 1 + \delta \frac{1 - p}{1 - \delta} \frac{1 - \delta(1 - x_M)}{1 - \delta(1 - x_M)(1 - p)} \in \left[ 1, \frac{1}{1 - \delta} \right].$$

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- If  $\delta = 0.85$  and  $x_M \rightarrow 0$ ,

$p =$	0	$\frac{1}{7}$	$\frac{1}{2}$	1
$-\frac{\partial x_M / \partial G}{\partial x_M / \partial F} =$	6.7	3.7	1.7	1

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  - The future payments from  $K$  are appreciated by  $P_t$  if  $p = 1$ ,
  - but not if  $p = 0$ .
- The smaller is  $p$ , the smaller is the influence of  $F$  relative to the influence of  $G$ .

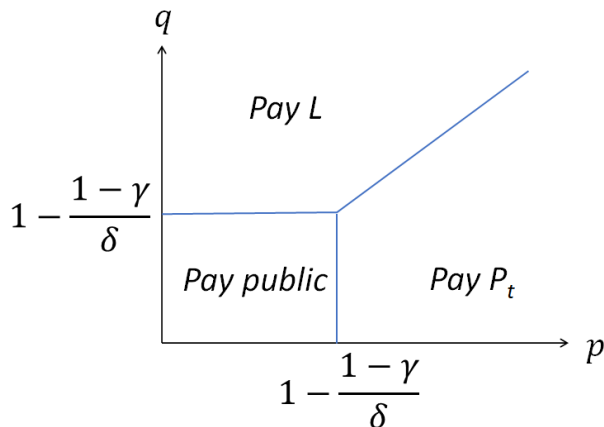
# Earmarks, Targets, and Paying the Lobby

- Payments might be earmarked public goods, with value  $\gamma \in (0, 1)$  for  $P_t$ , even when out of power.
- $K$  may pay  $L$  per conserved unit. If so,  $L$  finds it optimal to lobby less.
- Suppose  $L$  stays in power in any future period with probability  $q$ .

Then:

$$-\frac{dx_M/dG}{dx_M/dF} \rightarrow 1 \text{ when } q \rightarrow 1.$$

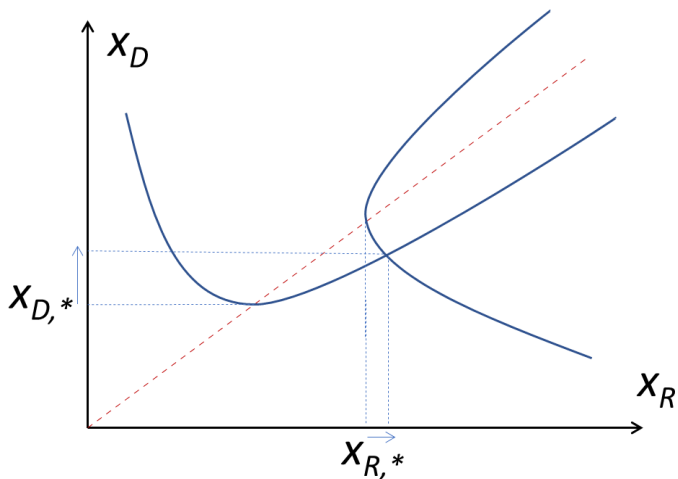
# Earmarks, Targets, and Paying the Lobby



# Heterogeneity

- Even if  $\Delta = 0$ , rotation/instability raises  $x_M$  if parties prefer different  $x_S$ 's.
- Each party thinks the other "mismanages" the resource.
- If the conservation-friendly party is expected to conserve even more, because of compensations from  $K$ , the exploitation-friendly party may want to exploit more.
- REDD+ can be counter-productive.

# Heterogeneity



*Figure: When the parties are heterogeneous and the best-response curves cross, both extraction rates are higher than the parties' bliss points.*

# Heterogeneity

Suppose  $x_{D,*} = 0$  and  $\delta = 0.85$ :

$(x_D, x_R)$	$p_R = \frac{1}{7}$	$p_R = \frac{1}{2}$	$p_R = \frac{6}{7}$
$x_{R,*} = 0.10$	(0.01, 0.12)	(0.01, 0.11)	(0.02, 0.10)
$x_{R,*} = 0.20$	(0.02, 0.26)	(0.04, 0.22)	(0.05, 0.20)
$x_{R,*} = 0.30$	(0.05, 0.40)	(0.08, 0.33)	(0.09, 0.31)

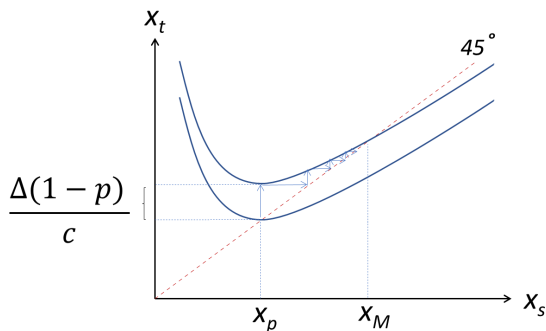
# Endogenous stability

- If voters are identical, and voters forward-looking, then  $x_t$  cannot influence  $p$ .
- With heterogeneous parties, a "minority" party prefers a larger  $x_t$ .
- Voters (may) dislike that  $x_m > x_*$ , and thus prefer to elect a major party (self-enforcing eq.)
- The minority party may prefer to raise  $x_t$  to end its handicap.
- The principals may also want to influence  $p$ :
- $L$  prefers large  $p$  and instability.
- $K$  prefers small  $p$  and stability.



- **Political turnover** leads to less investments in state capacity (Besley and Persson, 2009; 2010), the accumulation of debt (Persson and Svensson, 1989; Alesina and Tabellini, 1990; Tabellini, 1991; Battaglini and Coate, 2008), and to time inconsistency (Amador, 2003; Bisin et al., 2015; Chatterjee and Eyigungor, 2016; Harstad, 2020a).
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# The Conservation Multiplier



*If expected future exploitation increases a little, exploitation today may increase by a lot.*

*Donors can exploit the multiplier, but lobbies are more powerful  
... unless donors commit to earmark .*